

«Material»

Data and Analysis in Terms of Sustainable Growth in National Accounts: As a Supplement

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The following data and analyses are those used in the author's presentation, "Compulsive policies for Sustainable Growth Using the Measurement of the Golden Age by Country," at the 50th Anniversary Conference of the International Association for Research in Income and Wealth, University of Cambridge, on 28th of August, 1998. (For notations, see 39 (1))

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Diminishing constant increasing

Table 1-1 Decreasing returns: a case study

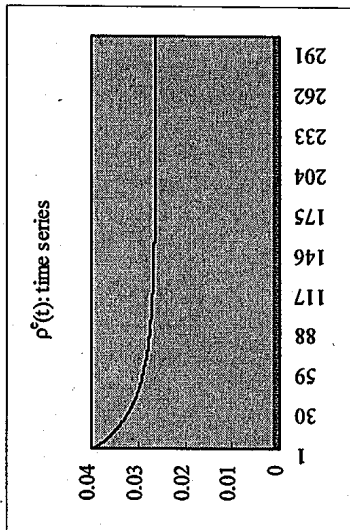
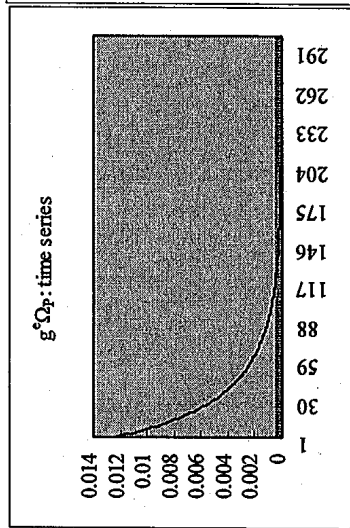
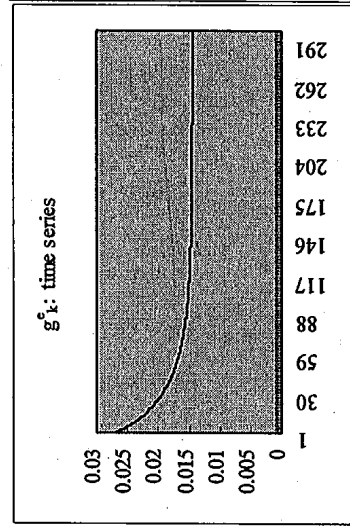
Case 1-1: $g^y = g^k = g^m = g^p = g^c$

Balanced growth	n	Ω^0_P	π^0	k^0	S_{SPF}	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SY}	variables	y^0	ρ^0
	1	0.01	2	0.08	11	0.333333	0.026667	0.026667	0.026667	$k(t)$	5.5	0.04
	2									$x(t) = g_y/g_x(t)$	$m(t)$	
period										$y(t)$	$m'(t)$	$g_m(t)$
1		0.027397	0.027397	0.017225	6.82E-18	2	0.62871	0.04	11.18948	5.594738	0.054795	0.314356
2		0.027397	0.027397	0.017225	6.82E-18	2	0.628713	0.04	11.38221	5.691107	0.054795	0.314356
3		0.027397	0.027397	0.017225	6.82E-18	2	0.628713	0.04	11.57827	5.789136	0.054795	0.314356

Case 1-2: $g^y < g^k = g^m = g^p = g^c$

Unbalanced growth

n	Ω^0_P	π^0	k^0	S_{SPF}	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SY}	variables	y^0	ρ^0		
1	0.01	2	0.08	11	0.3	0.024	0.05	0.0488	0.0728		5.5	0.04	
period										$k^c(t)$	$m^c(t)$	$g_m^c(t)$	
1		0.02459	0.037295	0.027025	0.014446	2.0248	0.587459	0.03951	11.29727	5.579451	0.07459	0.193668	
2		0.02459	0.036838	0.026573	0.014446	0.011954	2.049005	0.039043	11.59747	5.660051	0.07459	0.193668	
3		0.02459	0.036403	0.026142	0.014446	0.011529	2.072629	0.038598	11.90065	5.741814	0.07459	0.193668	
280		0.02459	0.0246	0.014455	0.014446	9.32E-06	3.032185	0.587459	0.026384	925.0916	305.0908	0.07459	0.193668
281		0.02459	0.024599	0.014455	0.014446	9.09E-06	3.032212	0.587459	0.026383	938.4637	309.498	0.07459	0.193668
282		0.02459	0.024599	0.014455	0.014446	8.87E-06	3.032239	0.587459	0.026383	952.0289	313.969	0.07459	0.193668

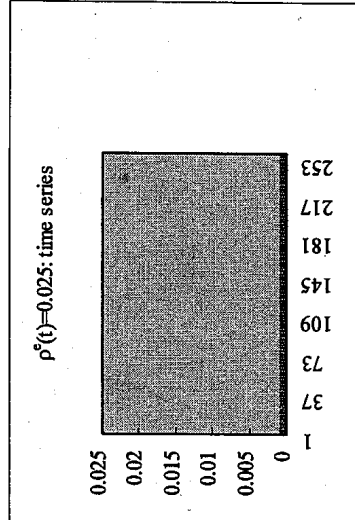
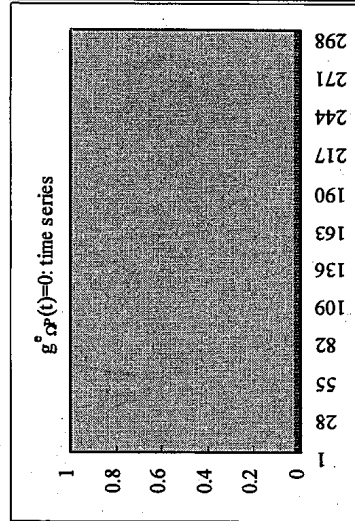
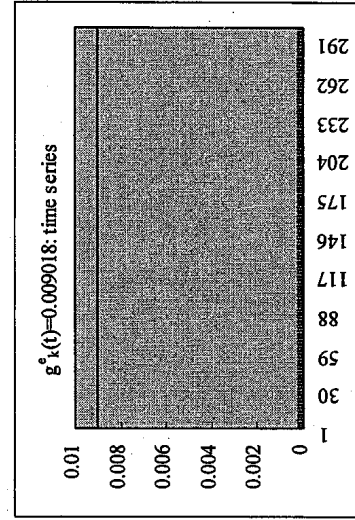


Diminishing constant increasing

Table 1-3 Constant returns of the author: a case study

Case 3-1: $g^y = g^k = g^m = g^p = g^r$																		
Balanced growth		n	Ω^0	π^0	k^0	s_{SPY}^0	s_{SPY}^0	s_{SWMND}^0	s_{SWMND}^0	s_{SPY}^0	s_{SPY}^0	s_{SWMND}^0	s_{SWMND}^0	variables	y^0	ρ^0		
period	$g^y(t)$	$g^k(t)$	$g^m(t)$	$g^p(t)$	$g^r(t)$	11	0.25	0.01875	0.0375	0.036797	0.055547	0.055547	0.055547	$1/Y^0(t)$	$m^0(t)$	$g^m(t)$	3.666667	0.025
1	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	11.0992	3.699733	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
2	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	11.19929	3.733098	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
3	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	11.30029	3.766763	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025

Case 3-2: $g^y = g^k = g^m = g^p = g^r$																		
Unbalanced growth		n	Ω^0	π^0	k^0	s_{SPY}^0	s_{SPY}^0	s_{SWMND}^0	s_{SWMND}^0	s_{SPY}^0	s_{SPY}^0	s_{SWMND}^0	s_{SWMND}^0	variables	y^0	ρ^0		
period	$g^y(t)$	$g^k(t)$	$g^m(t)$	$g^p(t)$	$g^r(t)$	11	0.25	0.01875	0.0375	0.036797	0.055547	0.055547	0.055547	$1/Y^{e0}(t)$	$m^0(t)$	$g^m(t)$	3.666667	0.025
1	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	11.0992	3.699733	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
2	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	11.19929	3.733098	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
3	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	11.30029	3.766763	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
298	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	159.6915	53.23049	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
299	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	161.1316	53.71053	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025
300	0.019108	0.019108	0.009018	0.009018	0.009018	0	3	0.471947	0.025	162.5847	54.19489	0.057325	0.157316	$1/Y^{e0}(t)$	$m^e(t)$	$g^m(t)$	3.666667	0.025



Diminishing constant increasing

Table 1-4 Constant returns using Phelps: a case study

Balanced growth n Ω^0 π^0 k^0

period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$\chi(t)=g_Y/g_k(t)$	$\rho(t)$	$k(t)$	$y(t)$	$1/Y^e(t)$	variables y^0	ρ^0
1	0.019108	0.019108	0.009018	0.009018	0.009018	0.009018	3	0.471947	0.025	11.0992	3.699733	0.057325	0.157316
2	0.019108	0.019108	0.009018	0.009018	0.009018	0.009018	3	0.471947	0.025	11.19929	3.733098	0.057325	0.157316
3	0.019108	0.019108	0.009018	0.009018	0.009018	0.009018	3	0.471947	0.025	11.30029	3.766763	0.057325	0.157316

Case 4-2: $g_Y=g_{KP}=g_k$

Unbalanced growth n Ω^0 π^0 k^0

period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_k(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_k(t)$	$\chi^0(t)=g^0_Y/g^0_k$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$1^0/Y^0(t)$	variables y^0	ρ^0
1	0.025641	0.025641	0.015486	0.015486	0.015486	0.015486	3	0.60396	0.025	11.17035	3.723449	0.076923	0.20132
2	0.025641	0.025641	0.015486	0.015486	0.015486	0.015486	3	0.60396	0.025	11.34333	3.781111	0.076923	0.20132
3	0.025641	0.025641	0.015486	0.015486	0.015486	0.015486	3	0.60396	0.025	11.519	3.839666	0.076923	0.20132
298	0.025641	0.025641	0.015486	0.015486	0.015486	0.015486	3	0.60396	0.025	1072.131	357.377	0.076923	0.20132
299	0.025641	0.025641	0.015486	0.015486	0.015486	0.015486	3	0.60396	0.025	1088.734	362.9114	0.076923	0.20132
300	0.025641	0.025641	0.015486	0.015486	0.015486	0.015486	3	0.60396	0.025	1105.594	368.5315	0.076923	0.20132

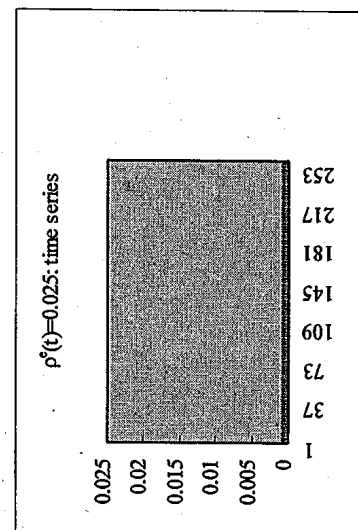
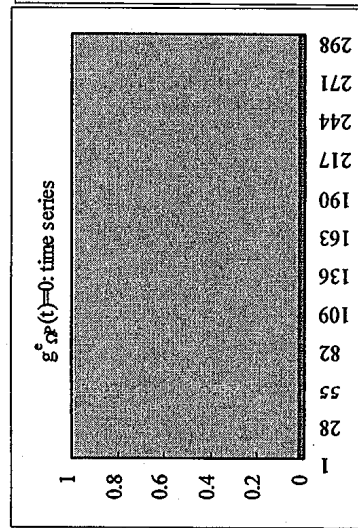
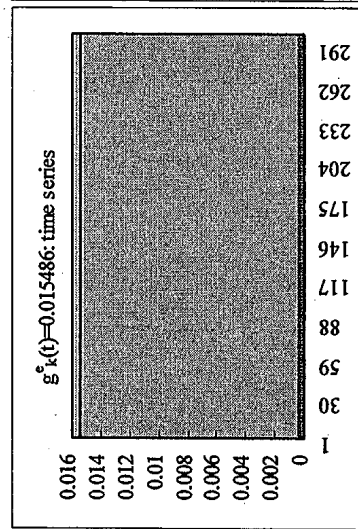


Table 1-g_m-1

Case 1-1: $g^o = g^e$ $k^p = g^y = g_{kp}$ $g_m = 0$: no technological change											
Balanced growth	n	Ω^o	π^o	k^o	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}
period	$g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$\Omega_p(t)$	$\chi(t) = g_y/g_k(t)$	$\rho(t)$	$k(t)$	$y(t)$
	0.01	2	0.08	11	0.333333	0.026667	0.026667	0.026667	0.026667	0.026667	0.052622
1	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.62871	0.04	11.18948	5.594738	0.054795
2	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.38221	5.691107	0.054795
3	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.57827	5.789136	0.054795
Case 1-2: $g^o = g^e < g_{kp}$ $g_m = 0.01$											
Unbalanced growth	n	Ω^o	π^o	k^o	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}	s_{SPY}
period	$g^o_y(t)$	$g^o_{kp}(t)$	$g^o_k(t)$	$g^o_y(t)$	$g^o_{kp}(t)$	$g^o_k(t)$	$\Omega^o_p(t)$	$\chi^o(t) = g^o_y/g^o_k$	$\rho^o(t)$	$k^o(t)$	$y^o(t)$
	0.01	2	0.08	11	0.3	0.024	0.05	0.0488	0.0728		
1	0.02459	0.037295	0.027025	0.014446	0.0124	2.0248	0.387335	0.03951	11.29727	5.579451	0.07459
2	0.02459	0.036474	0.026211	0.014446	0.011598	2.048284	0.39606	0.039057	11.59339	5.660051	0.073852
3	0.02459	0.035698	0.025444	0.014446	0.010842	2.070491	0.40466	0.038638	11.88837	5.741814	0.07312
28	0.02459	0.024734	0.014588	0.014446	0.00014	2.305547	0.584046	0.034699	18.94712	8.21806	0.057017
29	0.02459	0.024486	0.014342	0.014446	-0.0001	2.305311	0.58997	0.034702	19.21886	8.336776	0.056452
30	0.02459	0.024246	0.014105	0.014446	-0.00034	2.304536	0.595808	0.034714	19.48993	8.457207	0.055894

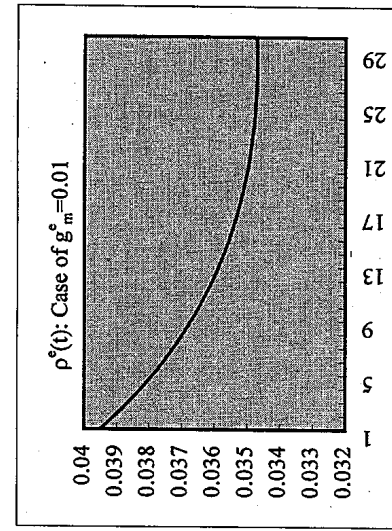
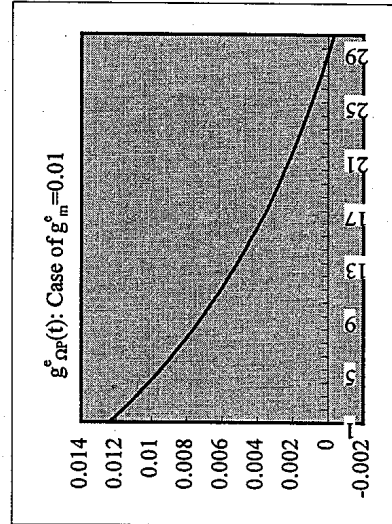
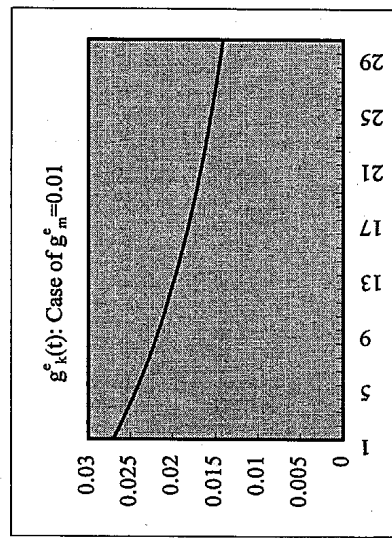


Table 1-g^m-1

Case 1-2: $g^s < g^k$		3		2		1		1						
Unbalanced growth		Ω^0	π^0	$g^m = 0.01$	g^k	g^y	g^k	g^y	g^m					
$g^k(t)$	period	$g^y(t)$	$g^k(t)$	$g^y(t)$	$g^k(t)$	$g^y(t)$	$g^k(t)$	$g^y(t)$	$g^m(t)$					
0.037295	1	0.02459	0.037295	0.027025	0.014446	0.0124	0.0248	0.387335	0.03951	11.29727	5.579451	0.07459	0.193668	GIVEN
0.036838	2	0.02459	0.036474	0.026211	0.014446	0.011598	2.048284	0.39606	0.039057	11.59339	5.660051	0.073852	0.195604	0.01
0.036416	3	0.02459	0.035698	0.025444	0.014446	0.010842	2.070491	0.40466	0.038638	11.88837	5.741814	0.07312	0.19756	0.01
0.036025	4	0.02459	0.034966	0.024719	0.014446	0.010127	2.091458	0.413138	0.038251	12.18224	5.824758	0.072396	0.199536	0.01
0.035664	5	0.02459	0.034273	0.024032	0.014446	0.00945	2.111222	0.421494	0.037893	12.475	5.908901	0.07168	0.201531	0.01
0.035333	6	0.02459	0.033616	0.023382	0.014446	0.008809	2.12982	0.429732	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032907	18	0.02459	0.027786	0.01761	0.014446	0.0082	0.0082	0.0082	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032804	19	0.02459	0.027425	0.017252	0.014446	0.007622	0.007622	0.007622	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032714	20	0.02459	0.027079	0.016909	0.014446	0.007072	0.007072	0.007072	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032635	21	0.02459	0.026745	0.01658	0.014446	0.006549	0.006549	0.006549	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032566	22	0.02459	0.026425	0.016262	0.014446	0.006049	0.006049	0.006049	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032508	23	0.02459	0.026117	0.015957	0.014446	0.005573	0.005573	0.005573	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032459	24	0.02459	0.02582	0.015663	0.014446	0.005118	0.005118	0.005118	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032421	25	0.02459	0.025533	0.01538	0.014446	0.004683	0.004683	0.004683	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032391	26	0.02459	0.025257	0.015106	0.014446	0.004266	0.004266	0.004266	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.03237	27	0.02459	0.024991	0.014843	0.014446	0.003868	0.003868	0.003868	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032357	28	0.02459	0.024734	0.014588	0.014446	0.003485	0.003485	0.003485	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032352	29	0.02459	0.024486	0.014342	0.014446	0.003119	0.003119	0.003119	0.037562	12.76669	5.99426	0.07097	0.203547	0.01
0.032356	30	0.02459	0.024246	0.014105	0.014446	0.002767	0.002767	0.002767	0.037562	12.76669	5.99426	0.07097	0.203547	0.01

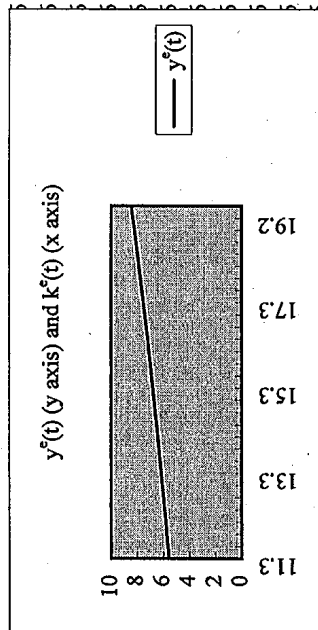
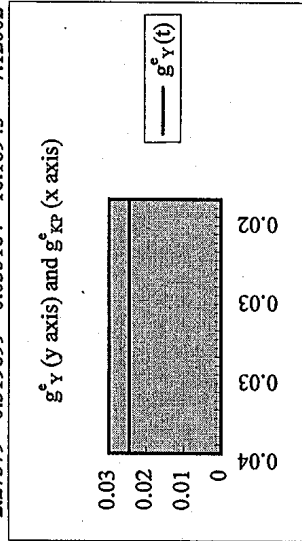
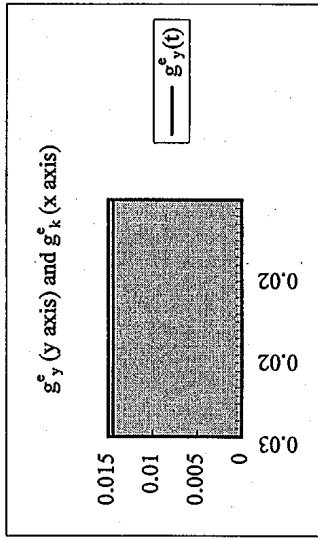


Table 1-e²-2

Case 1-1: $g^0 = g^0_{KP} = g^0_{Y} = g^0_{KP}$ $gm=0$: no technological change

Balanced growth	n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SVDWD}	S_{SVDY}	gm	variables	y^0	ρ^0	
	0.01	2	0.08	11	0.333333	0.026667	0.025956	0.052622	0.01		5.5	0.04
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^0_m(t)$
1	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.62871	0.04	11.18948	5.594738	0.054795	0.314356
2	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.38221	5.691107	0.054795	0.314356
3	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.57827	5.789136	0.054795	0.314356

Case 1-2: $g^0_{Y} < g^0_{KP}$ $g^0_m = 0.05$

Unbalanced growth	n	Ω^0_P	π^0	k^0	S^0_{SPY}	S^0_{SVDWD}	S^0_{SVDY}	$g^0_{KP}(2) = I^0 Y^0(t) / \Omega_{SP}(t-1)$	variables	y^0	ρ^0		
	0.01	2	0.08	11	0.3	0.024	0.05	0.0488	0.0728		5.5	0.04	
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\Omega^0_P(t)$	$\chi^0(t) = g^0_Y / g^0_K$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0 Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.02459	0.037295	0.027025	0.014446	0.0124	2.0248	0.387335	0.03951	11.29727	5.579451	0.07459	0.193668	GIVEN
2	0.02459	0.035084	0.024836	0.014446	0.010242	2.045538	0.411745	0.03911	11.57785	5.660051	0.071038	0.203351	0.05
3	0.02459	0.033075	0.022846	0.014446	0.008281	2.062477	0.436761	0.038788	11.84236	5.741814	0.067655	0.213519	0.05
8	0.02459	0.025279	0.015128	0.014446	0.000672	2.098419	0.571456	0.038124	12.9445	6.168693	0.05301	0.27251	0.05
9	0.02459	0.024059	0.01392	0.014446	-0.00052	2.097331	0.600432	0.038144	13.12469	6.257804	0.050486	0.286135	0.05
10	0.02459	0.022925	0.012797	0.014446	-0.00163	2.093922	0.630127	0.038206	13.29264	6.348203	0.048081	0.300442	0.05

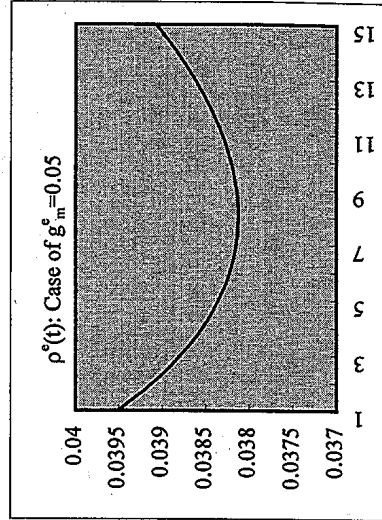
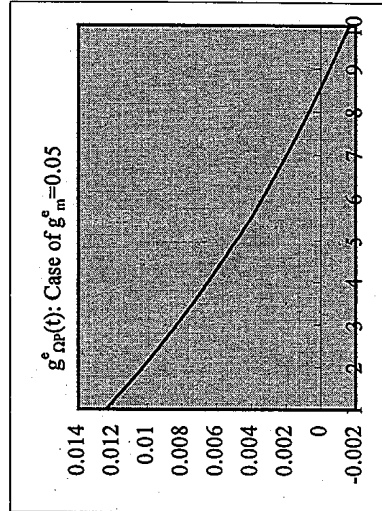
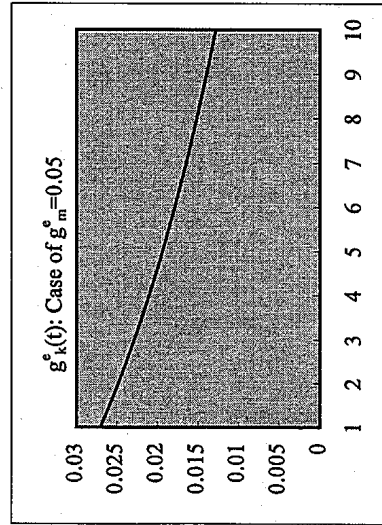


Table 1-g^c-3

Case 2-1: $g^o = g^o_{kp} = g^o_{y} = g^o_{kp}$ $g^o_m = 0$: no technological change

Balanced growth	π	Ω^o_P	π^o	k^o	s_{SPY}	s_{SNDWD}	s_{SPY}	s_{SNDWD}	s_{SPY}	s_{SNDWD}	variables	y^o	ρ^o
		0.01	3	0.075	11	0.25	0.01875	0.0375	0.036797	0.055547		3.666667	0.025
period	$g^o_y(t)$	$g^o_{kp}(t)$	$g^o_k(t)$	$g^o_y(t)$	$g^o_{kp}(t)$	$\Omega^o_P(t)$	$\chi(t) = g^o_y/g^o_k(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^o(t)$	$m(t)$	$g^o_m(t)$
1	0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.0992	3.699733	0.057325	0.157316	
2	0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.19929	3.733098	0.057325	0.157316	0
3	0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.30029	3.766763	0.057325	0.157316	0

Case 2-2: $g^o_y > g^o_{kp}$ $g^o_m = -0.01$

Unbalanced growth	π	Ω^o_P	π^o	k^o	s_{SPY}	s_{SNDWD}	s_{SPY}	s_{SNDWD}	s_{SPY}	s_{SNDWD}	variables	y^o	ρ^o
		0.01	3	0.075	11	0.6	0.024	0.05	0.0488	0.0728		3.666667	0.025
period	$g^o_y(t)$	$g^o_{kp}(t)$	$g^o_k(t)$	$g^o_y(t)$	$g^o_{kp}(t)$	$\Omega^o_P(t)$	$\chi(t) = g^o_y/g^o_k$	$\rho^o(t)$	$k^o(t)$	$y^o(t)$	$I/Y^o(t)$	$m^o(t)$	$g^o_m(t)$
1	0.04712	0.032373	0.022152	0.036753	-0.01408	2.95775	1.135278	0.025357	11.24367	3.801427	0.09712	0.378426	GIVEN
2	0.04712	0.033168	0.022938	0.036753	-0.01332	2.918338	1.108097	0.0257	11.50158	3.941141	0.098101	0.374642	-0.01
3	0.04712	0.033955	0.023718	0.036753	-0.01257	2.881646	1.082398	0.026027	11.77437	4.085989	0.099092	0.370895	-0.01
23	0.04712	0.046996	0.036629	0.036753	-0.00012	2.57766	0.782047	0.029096	21.67844	8.410122	0.121154	0.303358	-0.01
24	0.04712	0.047476	0.037105	0.036753	0.00034	2.578536	0.774134	0.029086	22.48282	8.719218	0.122377	0.300324	-0.01
25	0.04712	0.047939	0.037564	0.036753	0.000782	2.580553	0.766653	0.029064	23.32736	9.039675	0.123613	0.297321	-0.01

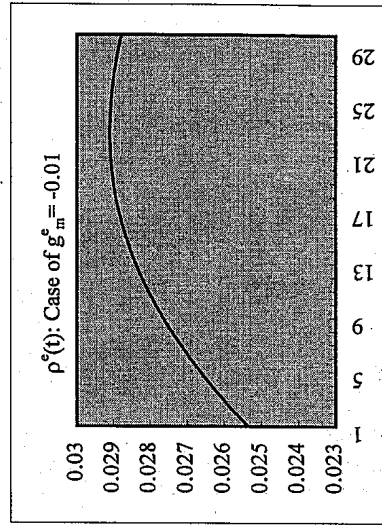
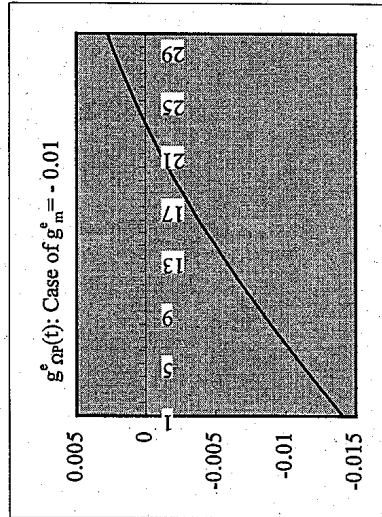
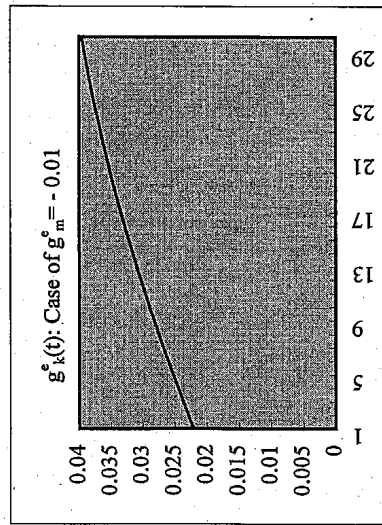


Table1-g_m-3

Case 2-2: $g_y > g_{kp}$ Unbalanced growth		$g_m = 0.01$		3		11		0.6		0.045		0.05		0.04775		0.09275		variables		1	
$g_{kp}(t)$	$g_y(t)$	Ω_P	π^0	k^0	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{kp}(t)$	$\Omega_P(t)$	$\pi^0(t) = g_y^0/g_k^0$	$\rho^0(t)$	$g_{kp}(t)$	s_{swd}	s_{sy}	$g_{kp}(2) = i^0 \gamma^0(t) / \Omega_P(t-1)$	$i^0 \gamma^0(t)$	$m^0(t)$	$g_m(t)$	y^0	ρ^0	
0.037295	0.02459	0.01	0.075	0.036753	-0.01408	2.95775	1.135278	0.025357	11.24367	3.801427	0.09712	0.378426	GIVEN	0.025	0.09712	0.378426	GIVEN	0.09712	0.378426	3.66667	0.025
0.036474	0.02459	0.01	0.075	0.036753	-0.01332	2.918338	1.108097	0.0257	11.50158	3.941141	0.098101	0.374642			0.098101	0.374642		0.098101	0.374642	0.370895	-0.01
0.035698	0.02459	0.01	0.075	0.036753	-0.01257	2.881646	1.082398	0.026027	11.77437	4.085989	0.099092	0.370895			0.099092	0.370895		0.099092	0.370895	0.367186	-0.01
0.034966	0.02459	0.01	0.075	0.036753	-0.01183	2.847561	1.058101	0.026338	12.06273	4.236161	0.100093	0.367186			0.100093	0.367186		0.100093	0.367186	0.363514	-0.01
0.034273	0.02459	0.01	0.075	0.036753	-0.01109	2.815976	1.03513	0.026634	12.36735	4.391852	0.101104	0.363514			0.101104	0.363514		0.101104	0.363514	0.359879	-0.01
0.033616	0.02459	0.01	0.075	0.036753	-0.01037	2.786787	1.013411	0.026913	12.68898	4.553265	0.102126	0.359879			0.102126	0.359879		0.102126	0.359879	0.356281	-0.01
0.032992	0.02459	0.01	0.075	0.036753	-0.00965	2.760439	0.996511	0.027188	13.01437	4.717114	0.103157	0.356281			0.103157	0.356281		0.103157	0.356281	0.352718	-0.01
0.0324	0.02459	0.01	0.075	0.036753	-0.00894	2.744991	0.981111	0.027449	13.34191	4.880114	0.104199	0.352718			0.104199	0.352718		0.104199	0.352718	0.349191	-0.01
0.031836	0.02459	0.01	0.075	0.036753	-0.00825	2.730114	0.966889	0.027718	13.67188	5.043114	0.105252	0.349191			0.105252	0.349191		0.105252	0.349191	0.345699	-0.01
0.0313	0.02459	0.01	0.075	0.036753	-0.00757	2.715714	0.953111	0.028000	14.01437	5.206114	0.106315	0.345699			0.106315	0.345699		0.106315	0.345699	0.342242	-0.01
0.030788	0.02459	0.01	0.075	0.036753	-0.00689	2.701714	0.940111	0.028266	14.39185	5.369114	0.107389	0.342242			0.107389	0.342242		0.107389	0.342242	0.338819	-0.01
0.0303	0.02459	0.01	0.075	0.036753	-0.00625	2.688114	0.927111	0.028532	14.77437	5.532114	0.108473	0.338819			0.108473	0.338819		0.108473	0.338819	0.335431	-0.01
0.029834	0.02459	0.01	0.075	0.036753	-0.00561	2.675114	0.914111	0.028800	15.15689	5.695114	0.109569	0.335431			0.109569	0.335431		0.109569	0.335431	0.332077	-0.01
0.029388	0.02459	0.01	0.075	0.036753	-0.00499	2.662114	0.901111	0.029066	15.54037	5.858114	0.110676	0.332077			0.110676	0.332077		0.110676	0.332077	0.328756	-0.01
0.028961	0.02459	0.01	0.075	0.036753	-0.00439	2.649114	0.888111	0.029332	15.92385	6.021114	0.111794	0.328756			0.111794	0.328756		0.111794	0.328756	0.325468	-0.01
0.028553	0.02459	0.01	0.075	0.036753	-0.00379	2.636114	0.875111	0.029598	16.30833	6.184114	0.112923	0.325468			0.112923	0.325468		0.112923	0.325468	0.322214	-0.01
0.028161	0.02459	0.01	0.075	0.036753	-0.00322	2.623114	0.862111	0.029864	16.69381	6.347114	0.114064	0.322214			0.114064	0.322214		0.114064	0.322214	0.318992	-0.01
0.027786	0.02459	0.01	0.075	0.036753	-0.00266	2.610114	0.849111	0.030130	17.08030	6.510114	0.115216	0.318992			0.115216	0.318992		0.115216	0.318992	0.315802	-0.01
0.027425	0.02459	0.01	0.075	0.036753	-0.00212	2.597114	0.836111	0.030396	17.46779	6.673114	0.11638	0.315802			0.11638	0.315802		0.11638	0.315802	0.312644	-0.01
0.027079	0.02459	0.01	0.075	0.036753	-0.00159	2.584114	0.823111	0.030662	17.85528	6.836114	0.117555	0.312644			0.117555	0.312644		0.117555	0.312644	0.309517	-0.01
0.026745	0.02459	0.01	0.075	0.036753	-0.00109	2.571114	0.810111	0.030928	18.24277	6.999114	0.118743	0.309517			0.118743	0.309517		0.118743	0.309517	0.306422	-0.01
0.026425	0.02459	0.01	0.075	0.036753	-0.00059	2.558114	0.797111	0.031194	18.63026	7.162114	0.119942	0.306422			0.119942	0.306422		0.119942	0.306422	0.303358	-0.01
0.026117	0.02459	0.01	0.075	0.036753	-0.00012	2.545114	0.784111	0.031460	19.01775	7.325114	0.121154	0.303358			0.121154	0.303358		0.121154	0.303358	0.300324	-0.01
0.02582	0.02459	0.01	0.075	0.036753	0.00034	2.532114	0.771111	0.031726	19.40524	7.488114	0.122377	0.300324			0.122377	0.300324		0.122377	0.300324	0.297321	-0.01
0.025533	0.02459	0.01	0.075	0.036753	0.000782	2.519114	0.758111	0.031992	19.79273	7.651114	0.123613	0.297321			0.123613	0.297321		0.123613	0.297321	0.294348	-0.01
0.025257	0.02459	0.01	0.075	0.036753	0.001208	2.506114	0.745111	0.032258	20.18022	7.814114	0.124862	0.294348			0.124862	0.294348		0.124862	0.294348	0.291404	-0.01
0.024991	0.02459	0.01	0.075	0.036753	0.001619	2.493114	0.732111	0.032514	20.56771	7.977114	0.126123	0.291404			0.126123	0.291404		0.126123	0.291404	0.28849	-0.01
0.024734	0.02459	0.01	0.075	0.036753	0.002014	2.480114	0.719111	0.032770	20.95520	8.140114	0.127397	0.28849			0.127397	0.28849		0.127397	0.28849	0.285605	-0.01
0.024486	0.02459	0.01	0.075	0.036753	0.002393	2.467114	0.706111	0.033026	21.34269	8.303114	0.128684	0.285605			0.128684	0.285605		0.128684	0.285605	0.282749	-0.01
0.024246	0.02459	0.01	0.075	0.036753	0.002758	2.454114	0.693111	0.033282	21.73018	8.466114	0.129984	0.282749			0.129984	0.282749		0.129984	0.282749	0.280000	-0.01

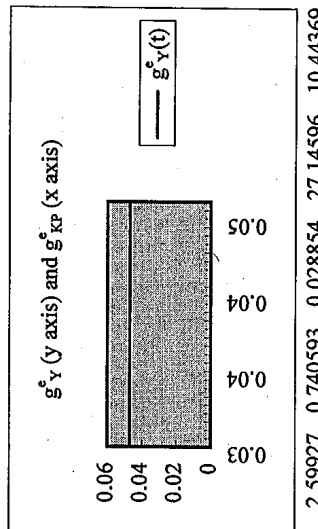
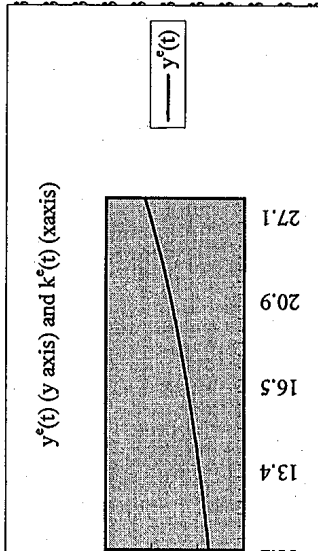
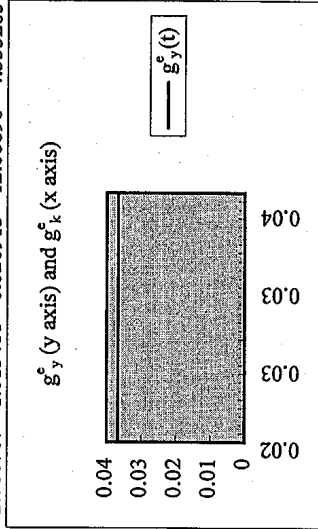


Table I-g_m-4

Case 2-1: $g^e_{Y=g^e_{KP}}=g^e_{Y=g^e_{KP}}$ $g^e_{m}=0$: no technological change

Balanced growth	π^0	Ω^0_P	n	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_{K(t)}$	$g^e_{Y(t)}$	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$\Omega^0_P(t)$	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SPY}	$y(t)$	$1/Y^0(t)$	variables y^0	ρ^0
	3	0.01	3	0.075	11	0.25	0.01875	0.0375	0.036797	0.055547							3.666667	0.025
period	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_{K(t)}$	$g^e_{Y(t)}$	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$\Omega^0_P(t)$	$x(t)=g^e_{Y(t)}/g^e_{K(t)}$	$p(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g^e_{m(t)}$				
1	0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.0992	3.699733	0.057325	0.157316						
2	0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.19929	3.733098	0.057325	0.157316						
3	0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.30029	3.766763	0.057325	0.157316						

Case 2-2: $g^e_{Y>g^e_{KP}}$ $g^e_{m} = -0.05$

Unbalanced growth	π^0	Ω^0_P	n	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_{K(t)}$	$g^e_{Y(t)}$	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$\Omega^0_P(t)$	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SPY}	$y(t)$	$1/Y^0(t)$	variables y^0	ρ^0
	3	0.01	3	0.075	11	0.6	0.024	0.05	0.0488	0.0728							3.666667	0.025
period	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_{K(t)}$	$g^e_{Y(t)}$	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$\Omega^0_P(t)$	$x^0(t)=g^e_{Y(t)}/g^e_{K(t)}$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$1/Y^0(t)$	$m^0(t)$	$g^e_{m(t)}$				
1	0.04712	0.032373	0.022152	0.036753	-0.01408	2.95775	1.135278	0.025357	11.24367	3.801427	0.09712	0.378426	GIVEN					
2	0.04712	0.034564	0.024321	0.036753	-0.01199	2.922283	1.063325	0.025665	11.51713	3.941141	0.102232	0.359505						
3	0.04712	0.036825	0.026559	0.036753	-0.00983	2.89355	0.998046	0.02592	11.82301	4.085989	0.107613	0.341529						
7	0.04712	0.046398	0.036038	0.036753	-0.00069	2.845549	0.792115	0.026357	13.43273	4.720611	0.13212	0.278178						
8	0.04712	0.048874	0.038489	0.036753	0.001675	2.850314	0.75199	0.026313	13.94974	4.894107	0.139074	0.264269						
9	0.04712	0.05136	0.040951	0.036753	0.004049	2.861856	0.715587	0.026207	14.521	5.07398	0.146393	0.251056						

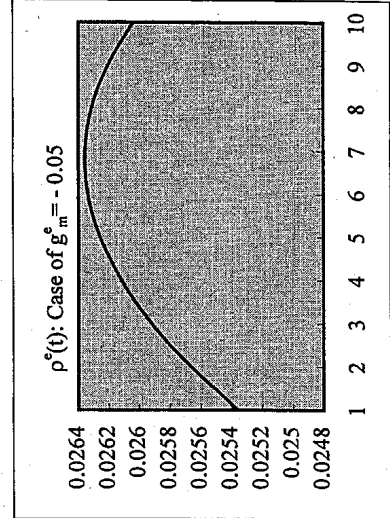
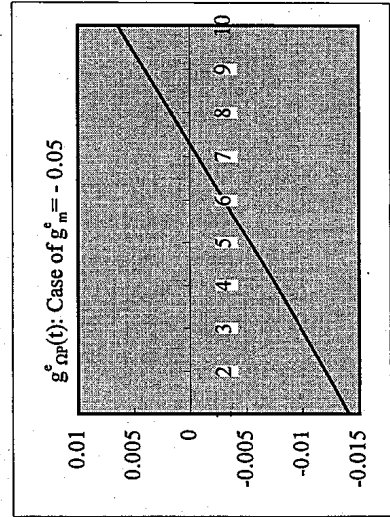
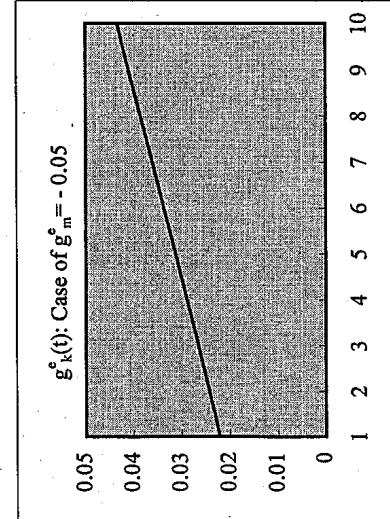


Table 1- g_m^e-4

Case 2-2: $g^e > g^{kp}$ $g_m^e = 0.05$

Unbalanced growth π 0.01 3 0.075 π^0 k^0 s^{spp} s^{sry} s^{sindwd} s^{sindy} s^{sry} y^0 ρ^0

geKP(t)	geY(t)	period	$g^e_y(t)$	$g^{kp}(t)$	$g^e_k(t)$	$g^e_y(t)$	$g^e_{\Omega P}(t)$	Ω^0_P	π^0	k^0	s^{spp}	s^{sry}	s^{sindwd}	s^{sindy}	s^{sry}	y^0	ρ^0
0.037295	0.02459	1	0.04712	0.032373	0.022152	0.036753	-0.01408	2.95775	1.135278	0.025357	11.24	3.801427	0.09712	3.666667	0.025		
0.035084	0.02459	2	0.04712	0.034564	0.024321	0.036753	-0.01199	2.922283	1.063325	0.025665	11.52	3.941141	0.102232	0.378426	GIVEN		
0.033075	0.02459	3	0.04712	0.036825	0.026559	0.036753	-0.00983	2.89355	0.998046	0.02592	11.82	4.085989	0.107613	0.359505	-0.05		
0.031241	0.02459	4	0.04712	0.039148	0.028859	0.036753	-0.00761	2.871519	0.938821	0.026119	12.16	4.236161	0.113276	0.341529	-0.05		
0.029561	0.02459	5	0.04712	0.041524	0.031212	0.036753	-0.00534	2.856174	0.885089	0.026259	12.54	4.391852	0.119238	0.324453	-0.05		
0.028018							-0.00303							0.30823	-0.05		
0.026595							-0.00069							0.292819	-0.05		
0.025279							0.001675							0.278178	-0.05		
0.024059							0.004049							0.264269	-0.05		
0.022925							0.006423							0.251056	-0.05		
0.021869							0.008784							0.238503	-0.05		
0.020883							0.011121							0.226578	-0.05		
0.019961							0.013425							0.215249	-0.05		
0.019097							0.015686							0.204486	-0.05		
0.018285							0.017893							0.194262	-0.05		
0.017522							0.020039							0.184549	-0.05		
0.016804	0.02459	17	0.04712	0.07028	0.059683	0.036753	0.022118							0.175321	-0.05		
0.016126	0.02459	18	0.04712	0.072378	0.061761	0.036753	0.024121							0.166555	-0.05		
0.015486	0.02459	19	0.04712	0.074393	0.063756	0.036753	0.026046							0.158228	-0.05		
0.014881	0.02459	20	0.04712	0.076321	0.065664	0.036753	0.027886							0.150316	-0.05		
0.014308	0.02459	21	0.04712	0.078158	0.067483	0.036753	0.029641							0.1428	-0.05		
0.013765	0.02459	22	0.04712	0.079903	0.069211	0.036753	0.031308							0.13566	-0.05		
0.013249	0.02459	23	0.04712	0.081556	0.070847	0.036753	0.032886							0.128877	-0.05		
0.01276	0.02459	24	0.04712	0.083115	0.072391	0.036753	0.034374							0.122433	-0.05		
0.012294	0.02459	25	0.04712	0.084582	0.073843	0.036753	0.035775							0.116312	-0.05		
0.011851	0.02459	26	0.04712	0.085958	0.075206	0.036753	0.03709							0.110496	-0.05		
0.011429	0.02459	27	0.04712	0.087246	0.076481	0.036753	0.03832	4.386127	0.421255	0.017099	42.62	9.716353	0.36855	0.099723	-0.05		
0.011026	0.02459	28	0.04712	0.088449	0.077672	0.036753	0.039469	4.59242	0.415527	0.01645	45.93	10.07346	0.387948	0.094737	-0.05		
0.010642	0.02459	29	0.04712	0.089569	0.078781	0.036753	0.040538	4.744065	0.410331	0.015809	49.55	10.44369	0.408366	0.09	-0.05		
0.010275	0.02459	30	0.04712	0.09061	0.079812	0.036753	0.041532	4.941098	0.405617	0.015179	53.50	10.82752	0.429859	0.0855	-0.05		

Table 1-g_m⁵

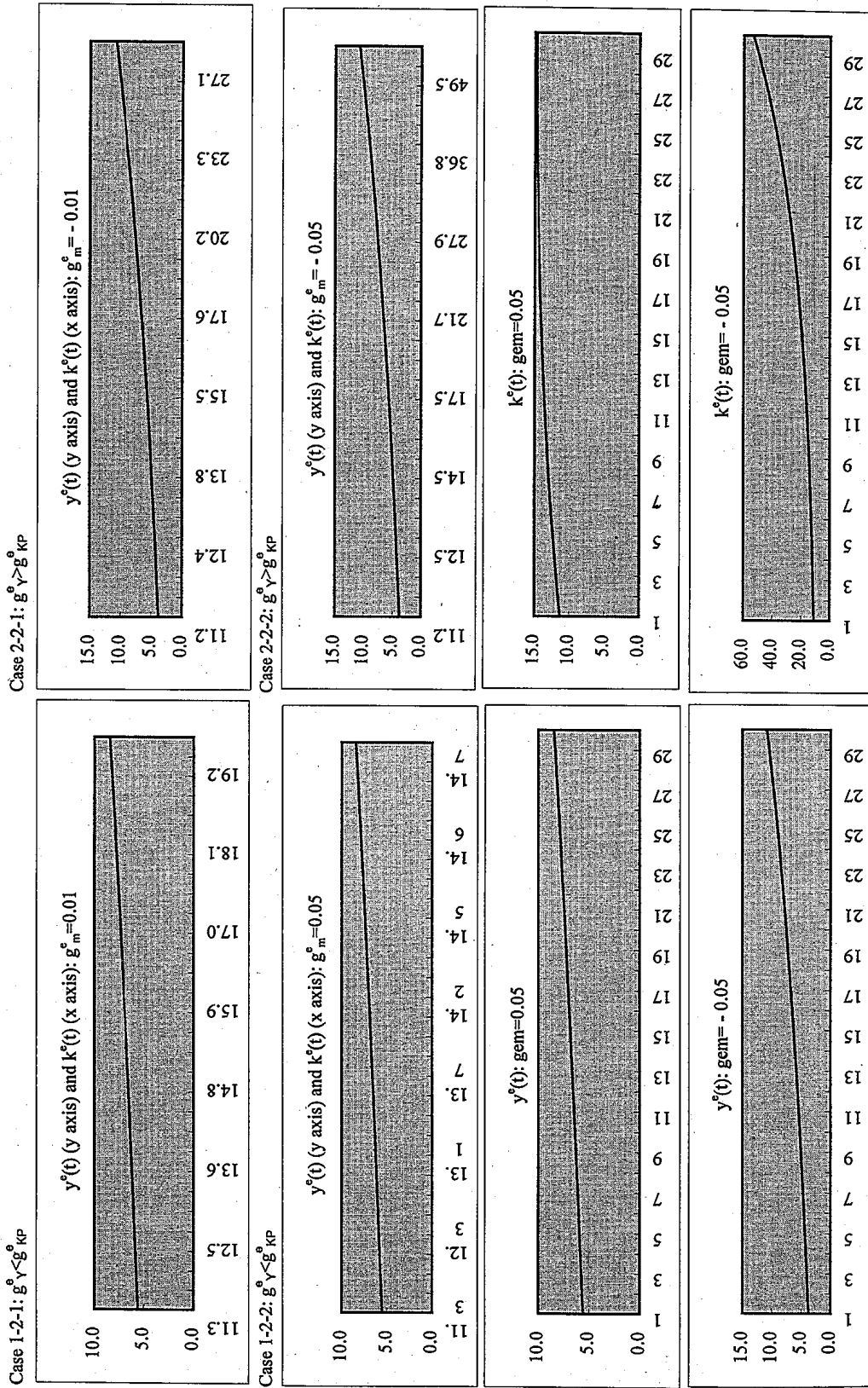


Table1-g_{Ωp}⁻¹

Case 1-1: $g^o_Y = g^o_{kp} = g^o_Y = g^o_{kp}$ $gm=0$: no technological change													
Balanced growth		n	Ω^o_P	π^o	k^o	S_{SPY}	S_{SNDWD}	S_{SY}	gm	variables	y^o	ρ^o	
period	$g^o_Y(t)$	$g^o_{kp}(t)$	$g^o_{kp}(t)$	$g^o_Y(t)$	$g^o_{kp}(t)$	$\Omega^o_P(t)$	$\chi(t)=g^o_Y/g^o_Y(t)$	$k(t)$	$y(t)$	$I/Y^o(t)$	$m^o(t)$	$g^o_m(t)$	
1	0.027397	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.18948	5.594738	0.054795	0.314356
2	0.027397	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.38221	5.691107	0.054795	0.314356
3	0.027397	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.57827	5.789136	0.054795	0.314356
Case 1-2: $g^o_Y < g^o_{kp}$ $g^o_{np}=0.001$													
Unbalanced growth		n	Ω^o_P	π^o	k^o	S_{SPP}	S_{SNDWD}	S_{SPY}	S_{SNDWD}	S_{SY}	variables	y^o	ρ^o
period	$g^o_Y(t)$	$g^o_{kp}(t)$	$g^o_{kp}(t)$	$g^o_Y(t)$	$g^o_{kp}(t)$	$\Omega^o_P(t)$	$\chi(t)=g^o_Y/g^o_Y(t)$	$k^o(t)$	$y^o(t)$	$I^o/Y^{o0}(t)$	$m^o(t)$	$g^o_m(t)$	
1	0.02459	0.037295	0.027025	0.014446	0.0124	2.0248	0.587459	0.03951	11.29727	5.579451	0.07459	0.193668	variable
2	0.02459	0.025615	0.01546	0.014446	0.001	2.026825	0.587459	0.039471	11.47193	5.660051	0.051865	0.278526	0.4381667
3	0.02459	0.025615	0.01546	0.014446	0.001	2.028852	0.587459	0.039431	11.64929	5.741814	0.051917	0.278248	-0.000999
28	0.02459	0.025615	0.01546	0.014446	0.001	2.080186	0.587459	0.038458	17.0951	8.21806	0.05323	0.271382	-0.000999
29	0.02459	0.025615	0.01546	0.014446	0.001	2.082266	0.587459	0.03842	17.35939	8.336776	0.053283	0.271111	-0.000999
30	0.02459	0.025615	0.01546	0.014446	0.001	2.084349	0.587459	0.038381	17.62777	8.457207	0.053337	0.27084	-0.000999

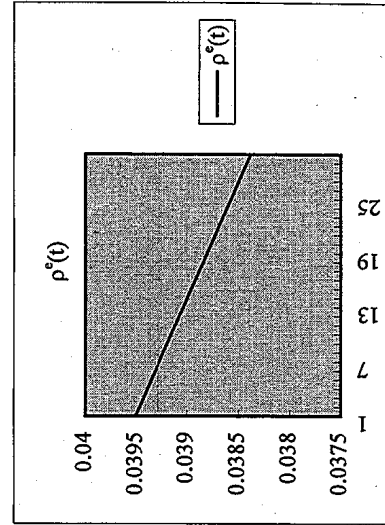
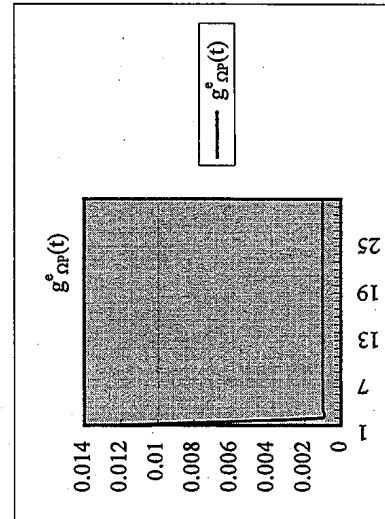
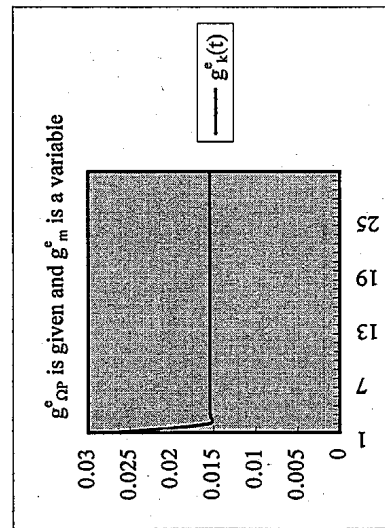


Table 1- \hat{g}_{CP}^{-1}

Case 1-2: $\hat{g}_Y < \hat{g}_{KP}$	$\hat{g}_{KP}(1) = \hat{s}_{SPY} / ((\hat{\Omega}_{CP} - 1)(1 - \hat{s}_{SPY}))$	$\hat{g}_{KP}(2) = \hat{g}_Y + \hat{g}_{KP}(1 + \hat{g}_Y)$	\hat{s}_{SND}	\hat{s}_{SY}	$1 + \hat{g}_Y$	variables	y^0	ρ^0	
Unbalanced growth	$\hat{\Omega}_P$	$\hat{g}_{KP}(t)$	$\hat{g}_Y(t)$	$\hat{\Omega}_{CP}(t)$	$\hat{\rho}(t) = \hat{g}_Y / \hat{g}_{KP}$	$\hat{k}(t)$	$\hat{Y}^0(t)$	$\hat{m}(t)$	$\hat{g}_m(t)$
If $\hat{g}_m = 0$	0.01	0.02459	0.02459	0.3	0.024	0.0488	1.02459	5.5	0.04
$\hat{g}_{KP}(t)$ parameter = 0.001	1	0.02459	0.037295	0.0124	0.0248	0.587459	5.579451	0.07459	0.193668
	2	0.02459	0.025615	0.001	0.026825	0.587459	5.660051	0.051865	0.4381667
	3	0.02459	0.025615	0.001	0.2028852	0.587459	5.741814	0.051917	-0.000999
	4	0.02459	0.025615	0.001	2.03088	0.587459	5.824758	0.051969	-0.000999
	5	0.02459	0.025615	0.001	2.032911	0.587459	5.908901	0.052021	-0.000999
	6	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	7	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	8	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	9	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	10	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	11	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	12	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	13	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	14	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	15	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	16	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	17	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	18	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	19	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	20	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	21	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	22	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	23	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	24	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	25	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	26	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	27	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	28	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	29	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999
	30	0.02459	0.025615	0.001	0.02459	0.025615	0.02459	0.02459	-0.000999

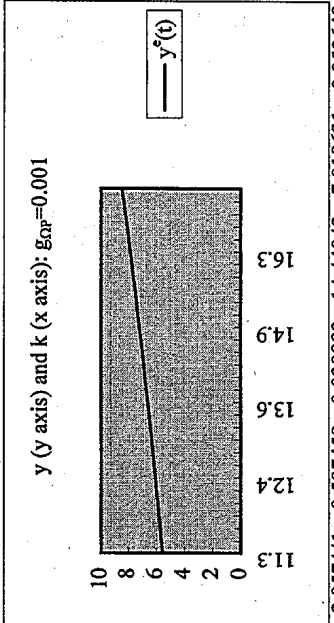


Table 1-g_{kp}^{e-2}

Case 1-1: $g^e_y = g^e_{kp} = g^e_y = g^e_{kp}$ gm=0: no technological change													
Balanced growth		n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SNDWD}	S^{SNDY}	S^{SY}	gm	ρ^0		
period	$g^e(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{op}(t)$	$\Omega_p(t)$	$x(t)=g_y/g_y(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$g^e_m(t)$	
1	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.62871	0.04	11.18948	5.594738	0.054795	0.314356	
2	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.38221	5.691107	0.054795	0.314356	
3	0.027397	0.027397	0.017225	0.017225	6.82E-18	2	0.628713	0.04	11.57827	5.789136	0.054795	0.314356	
Case 1-2: $g^e_y < g^e_{kp}$ $g^e_{kp}(1) = s^e_{SY} / ((\Omega_P - 1)(1 - s^e_{SPY}))$ $g^e_{kp}(2) = g^e_y + g^e_{op}(1 + g^e_y)$													
Unbalanced growth		n	Ω^0_P	π^0	k^0	S^{SPP}	S^{SPY}	S^{SNDWD}	S^{SNDY}	S^{SY}	y^0	ρ^0	
period	$g^e_y(t)$	$g^e_{kp}(t)$	$g^e_k(t)$	$g^e_y(t)$	$g^e_{op}(t)$	$\Omega^e_P(t)$	$x^e(t) = g^e_y / g^e_y$	$\rho^e(t)$	$k^e(t)$	$y^e(t)$	$I^e Y^{e0}(t)$	$m^e(t)$	$g^e_m(t)$
1	0.02459	0.037295	0.027025	0.014446	0.0124	2.0248	0.587459	0.03951	11.29727	5.579451	0.07459	0.193668	variable
2	0.02459	0.023566	0.013431	0.014446	-0.001	2.022775	0.587459	0.03955	11.44901	5.660051	0.047716	0.302746	0.5632247
3	0.02459	0.023566	0.013431	0.014446	-0.001	2.020752	0.587459	0.039589	11.60278	5.741814	0.047668	0.303049	0.001001
8	0.02459	0.023566	0.013431	0.014446	-0.001	2.010669	0.587459	0.039788	12.4032	6.168693	0.04743	0.304569	0.001001
9	0.02459	0.023566	0.013431	0.014446	-0.001	2.008658	0.587459	0.039828	12.56979	6.257804	0.047383	0.304874	0.001001
10	0.02459	0.023566	0.013431	0.014446	-0.001	2.00665	0.587459	0.039867	12.73862	6.348203	0.047335	0.305179	0.001001

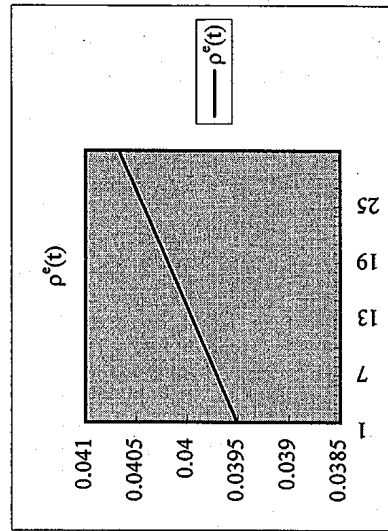
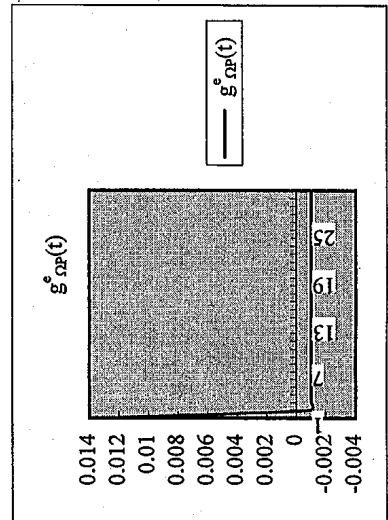
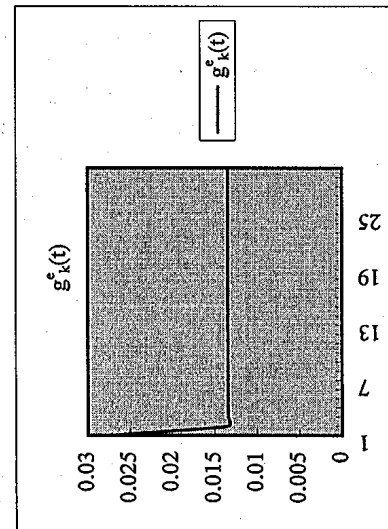


Table 1-g_{OP}-3

Case 2-2: $g_{OP}=0.015$

Unbalanced growth n

geKP(t)	geY(t)	period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_K(t)$	$g^o_Y(t)$	$g^o_{KP}(t)$	$\Omega^o_P(t)$	$\Omega^o_P(t)$	$x^o(t)=g^o_Y g^o_Y P^o(t)$	$K^o(t)$	$Y^o(t)$	$I^o Y^{e0}(t)$	$m^o(t)$	$g^o_m(t)$	ρ^o
0.037295	0.02459	1	0.04712	0.032373	0.022152	0.036753	-0.01408	2.95775	0.779978	0.025357	11.24367	3.801427	0.09712	0.378426	variable	0.025
0.036474	0.02459	2	0.04712	0.062827	0.052304	0.036753	0.015	3.002116	0.779978	0.024982	11.83176	3.941141	0.185827	0.19778	-0.47736	
0.035698	0.02459	3	0.04712	0.062827	0.052304	0.036753	0.015	3.047148	0.779978	0.024613	12.45061	4.085989	0.188615	0.194857	-0.01478	
0.034966	0.02459	4	0.04712	0.062827	0.052304	0.036753	0.015	3.092855	0.779978	0.024249	13.10183	4.236161	0.191444	0.191977	-0.01478	
0.034273	0.02459	5	0.04712	0.062827	0.052304	0.036753	0.015	3.139248	0.779978	0.023891	13.78711	4.391852	0.194316	0.18914	-0.01478	
0.033616	0.02459	6	0.04712	0.062827	0.052304	0.036753	0.015	3.186753	0.779978	0.023537	14.48711	4.548777	0.197277	0.186345	-0.01478	
0.032992	0.02459	7	0.04712	0.062827	0.052304	0.036753	0.015	3.234273	0.779978	0.023183	15.19211	4.706711	0.200327	0.183591	-0.01478	
0.032368	0.02459	8	0.04712	0.062827	0.052304	0.036753	0.015	3.281836	0.779978	0.022827	15.90711	4.864646	0.203377	0.180878	-0.01478	
0.031744	0.02459	9	0.04712	0.062827	0.052304	0.036753	0.015	3.329351	0.779978	0.022473	16.62211	5.022581	0.206427	0.178205	-0.01478	
0.031120	0.02459	10	0.04712	0.062827	0.052304	0.036753	0.015	3.376866	0.779978	0.022119	17.33711	5.180516	0.209477	0.175571	-0.01478	
0.030496	0.02459	11	0.04712	0.062827	0.052304	0.036753	0.015	3.424381	0.779978	0.021765	18.05211	5.338451	0.212527	0.172977	-0.01478	
0.029872	0.02459	12	0.04712	0.062827	0.052304	0.036753	0.015	3.471896	0.779978	0.021411	18.76711	5.496386	0.215577	0.17042	-0.01478	
0.029248	0.02459	13	0.04712	0.062827	0.052304	0.036753	0.015	3.519411	0.779978	0.021057	19.48211	5.654321	0.218627	0.167902	-0.01478	
0.028624	0.02459	14	0.04712	0.062827	0.052304	0.036753	0.015	3.566926	0.779978	0.020703	20.19711	5.812256	0.221677	0.165421	-0.01478	
0.027999	0.02459	15	0.04712	0.062827	0.052304	0.036753	0.015	3.614441	0.779978	0.020349	20.91211	5.970191	0.224727	0.162976	-0.01478	
0.027375	0.02459	16	0.04712	0.062827	0.052304	0.036753	0.015	3.661956	0.779978	0.020000	21.62711	6.128126	0.227777	0.160567	-0.01478	
0.026751	0.02459	17	0.04712	0.062827	0.052304	0.036753	0.015	3.709471	0.779978	0.019651	22.34211	6.286061	0.230827	0.158195	-0.01478	
0.026126	0.02459	18	0.04712	0.062827	0.052304	0.036753	0.015	3.756986	0.779978	0.019302	23.05711	6.444000	0.233877	0.155857	-0.01478	
0.025502	0.02459	19	0.04712	0.062827	0.052304	0.036753	0.015	3.804501	0.779978	0.018953	23.77211	6.601939	0.236927	0.153553	-0.01478	
0.024878	0.02459	20	0.04712	0.062827	0.052304	0.036753	0.015	3.852016	0.779978	0.018604	24.48711	6.759878	0.240000	0.151284	-0.01478	
0.024253	0.02459	21	0.04712	0.062827	0.052304	0.036753	0.015	3.899531	0.779978	0.018255	25.20211	6.917817	0.243077	0.149048	-0.01478	
0.023629	0.02459	22	0.04712	0.062827	0.052304	0.036753	0.015	3.947046	0.779978	0.017906	25.91711	7.075756	0.246154	0.146846	-0.01478	
0.023004	0.02459	23	0.04712	0.062827	0.052304	0.036753	0.015	3.994561	0.779978	0.017557	26.63211	7.233695	0.249231	0.144676	-0.01478	
0.022380	0.02459	24	0.04712	0.062827	0.052304	0.036753	0.015	4.042076	0.779978	0.017208	27.34711	7.391634	0.252308	0.142538	-0.01478	
0.021755	0.02459	25	0.04712	0.062827	0.052304	0.036753	0.015	4.089591	0.779978	0.016859	28.06211	7.549573	0.255385	0.140431	-0.01478	
0.021131	0.02459	26	0.04712	0.062827	0.052304	0.036753	0.015	4.137106	0.779978	0.016510	28.77711	7.707512	0.258462	0.138356	-0.01478	
0.020506	0.02459	27	0.04712	0.062827	0.052304	0.036753	0.015	4.184621	0.779978	0.016161	29.49211	7.865451	0.261539	0.136311	-0.01478	
0.019882	0.02459	28	0.04712	0.062827	0.052304	0.036753	0.015	4.232136	0.779978	0.015812	30.20711	8.023390	0.264616	0.134297	-0.01478	
0.019257	0.02459	29	0.04712	0.062827	0.052304	0.036753	0.015	4.279651	0.779978	0.015463	30.92211	8.181329	0.267693	0.132312	-0.01478	
0.018633	0.02459	30	0.04712	0.062827	0.052304	0.036753	0.015	4.327166	0.779978	0.015114	31.63711	8.339268	0.270770	0.130357	-0.01478	

Table 1- $g_{\Omega P}^0$ -4

Case 2-1: $g^e y = g^e k^p = g^e y = g^e k^p$ Balanced growth											
period	$g^e y(t)$	$g_{k^p}^e(t)$	$g_k^e(t)$	$g_y^e(t)$	$g_{\Omega P}^e(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$
	n	Ω_P^0	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}
		0.01	3	0.075	11	0.25	0.01875	0.0375	0.036797	0.055547	
period							$\chi(t)=g^e y(t)$	$\rho(t)$	$k(t)$	$y(t)$	variables
1		0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.0992	$1/Y^0(t)$ y^0 $m^e(t)$ $g_m^e(t)$
2		0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.19929	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
3		0.019108	0.019108	0.009018	0.009018	0	3	0.471947	0.025	11.30029	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
Case 2-2: $g^e y > g^e k^p$ Unbalanced growth											
period	$g^e y(t)$	$g_{k^p}^e(t)$	$g_k^e(t)$	$g_y^e(t)$	$g_{\Omega P}^e(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\Omega_P(t)$	variables
1		0.04712	0.032373	0.022152	0.036753	-0.01408	2.95775	0.779978	0.025357	11.24367	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
2		0.04712	0.045026	0.034679	0.036753	-0.002	2.951835	0.779978	0.025408	11.6336	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
3		0.04712	0.045026	0.034679	0.036753	-0.002	2.945931	0.779978	0.025459	12.03704	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
7		0.04712	0.045026	0.034679	0.036753	-0.002	2.922434	0.779978	0.025664	13.79567	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
8		0.04712	0.045026	0.034679	0.036753	-0.002	2.916589	0.779978	0.025715	14.2741	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$
9		0.04712	0.045026	0.034679	0.036753	-0.002	2.910756	0.779978	0.025767	14.76912	$1/Y^0(t)$ $m^e(t)$ $g_m^e(t)$

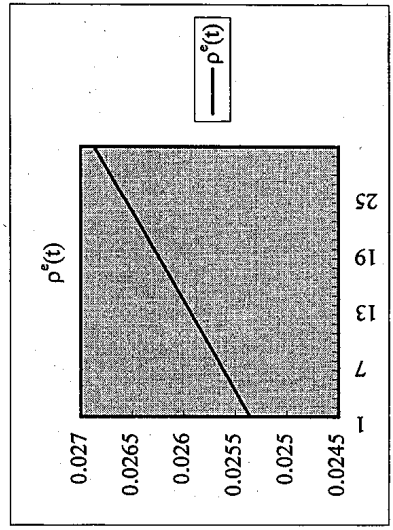
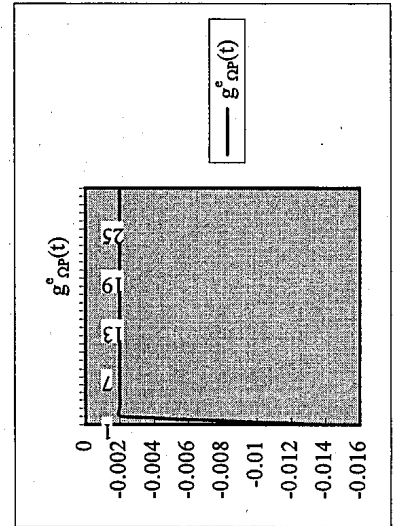
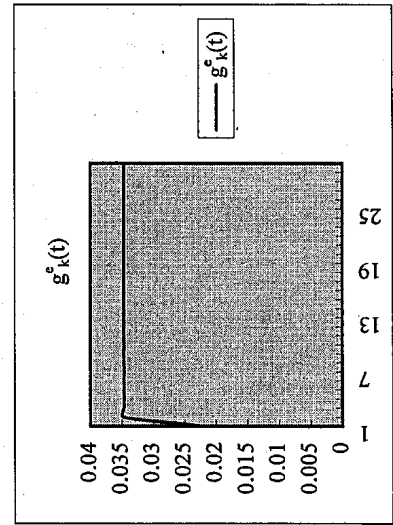
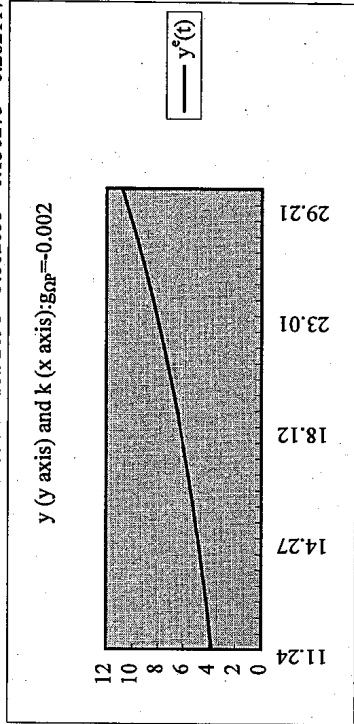


Table1-g_{cap}-4

Case 2-2: $g^y > g^{kp}$
 Unbalanced growth n $g_{nr}^y = -0.002$

gekP(t)	geY(t)	period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^{kp}(t)$	$\Omega^0 P$	π^0	0.01	3	0.075	k^0	S^{SP}	0.6	S^{SPY}	S^{SNDWD}	S^{SNDY}	S^{SY}	0.09275	$y^0(t)$	${}^0\gamma^{e0}(t)$	variables	y^0	ρ^0
0.037295	0.02459	1	0.04712	0.032373	0.022152	0.036753	-0.01408	2.95775	0.779978	0.025357	11.24367	3.801427	0.09712	0.378426	variable	3.666667	0.025								
0.035084	0.02459	2	0.04712	0.045026	0.034679	0.036753	-0.002	2.951835	0.779978	0.025408	11.6336	3.941141	0.133176	0.275972	-0.27074										
0.033075	0.02459	3	0.04712	0.045026	0.034679	0.036753	-0.002	2.945931	0.779978	0.025459	12.03704	4.085989	0.13291	0.276525	0.002004										
0.031241	0.02459	4	0.04712	0.045026	0.034679	0.036753	-0.002	2.940039	0.779978	0.02551	12.45448	4.236161	0.132644	0.277079	0.002004										
0.029561	0.02459	5	0.04712	0.045026	0.034679	0.036753	-0.002	2.934159	0.779978	0.025561	12.88639	4.391852	0.132379	0.277634	0.002004										
0.028018	0.02459	6	0.04712	0.045026	0.034679	0.036753	-0.002	2.928291	0.779978	0.025612	13.33328	4.553265	0.132114	0.278191	0.002004										
0.026595	0.02459	7	0.04712	0.045026	0.034679	0.036753	-0.002	2.922434	0.779978	0.025664	13.79567	4.720611	0.13185	0.278748	0.002004										
0.025279	0.02459	8	0.04712	0.045026	0.034679	0.036753	-0.002	2.916589	0.779978	0.025715	14.2741	4.894107	0.131586	0.279307	0.002004										
0.024059	0.02459	9	0.04712	0.045026	0.034679	0.036753	-0.002	2.910756	0.779978	0.025767	14.76912	5.07398	0.131323	0.279867	0.002004										
0.022925	0.02459	10	0.04712	0.045026	0.034679	0.036753	-0.002	2.904934	0.779978	0.025818	15.2813	5.260463	0.13106	0.280428	0.002004										
0.021869	0.02459	11	0.04712	0.045026	0.034679	0.036753	-0.002	2.899125	0.779978	0.02587	15.81125	5.4538	0.130798	0.280989	0.002004										
0.020883	0.02459	12	0.04712	0.045026	0.034679	0.036753	-0.002	2.893326	0.779978	0.025922	16.35957	5.654243	0.130536	0.281553	0.002004										
0.019961	0.02459	13	0.04712	0.045026	0.034679	0.036753	-0.002	2.88754	0.779978	0.025974	16.92691	5.862053	0.130275	0.282117	0.002004										
0.019097	0.02459	14	0.04712	0.045026	0.034679	0.036753	-0.002	2.881754	0.779978	0.026026	17.51125	6.07398	0.129998	0.282675	0.002004										
0.018285	0.02459	15	0.04712	0.045026	0.034679	0.036753	-0.002	2.875969	0.779978	0.026078	18.1125	6.28639	0.129778	0.283236	0.002004										
0.017522	0.02459	16	0.04712	0.045026	0.034679	0.036753	-0.002	2.870184	0.779978	0.02613	18.72691	6.500463	0.129556	0.283798	0.002004										
0.016804	0.02459	17	0.04712	0.045026	0.034679	0.036753	-0.002	2.864399	0.779978	0.026184	19.35328	6.716107	0.129336	0.284361	0.002004										
0.016126	0.02459	18	0.04712	0.045026	0.034679	0.036753	-0.002	2.858614	0.779978	0.026236	19.99125	6.933265	0.129114	0.284928	0.002004										
0.015486	0.02459	19	0.04712	0.045026	0.034679	0.036753	-0.002	2.852829	0.779978	0.026288	20.64071	7.151852	0.128891	0.285496	0.002004										
0.014881	0.02459	20	0.04712	0.045026	0.034679	0.036753	-0.002	2.847044	0.779978	0.02634	21.30142	7.371909	0.128663	0.286065	0.002004										
0.014308	0.02459	21	0.04712	0.045026	0.034679	0.036753	-0.002	2.841259	0.779978	0.026392	21.97269	7.59348	0.128436	0.286634	0.002004										
0.013765	0.02459	22	0.04712	0.045026	0.034679	0.036753	-0.002	2.835474	0.779978	0.026444	22.65448	7.816589	0.128209	0.287203	0.002004										
0.013249	0.02459	23	0.04712	0.045026	0.034679	0.036753	-0.002	2.829689	0.779978	0.026496	23.34691	8.041141	0.127981	0.287772	0.002004										
0.01276	0.02459	24	0.04712	0.045026	0.034679	0.036753	-0.002	2.823904	0.779978	0.026548	24.05026	8.267265	0.127754	0.288341	0.002004										
0.012294	0.02459	25	0.04712	0.045026	0.034679	0.036753	-0.002	2.818119	0.779978	0.0266	24.76448	8.49398	0.127527	0.288906	0.002004										
0.011851	0.02459	26	0.04712	0.045026	0.034679	0.036753	-0.002	2.812334	0.779978	0.026652	25.48912	8.720611	0.127299	0.289471	0.002004										
0.011429	0.02459	27	0.04712	0.045026	0.034679	0.036753	-0.002	2.806549	0.779978	0.026704	26.22434	8.948107	0.127072	0.290036	0.002004										
0.011026	0.02459	28	0.04712	0.045026	0.034679	0.036753	-0.002	2.800764	0.779978	0.026756	26.96912	9.177265	0.126845	0.290601	0.002004										
0.010642	0.02459	29	0.04712	0.045026	0.034679	0.036753	-0.002	2.794979	0.779978	0.026808	27.72434	9.407346	0.126618	0.291166	0.002004										
0.010275	0.02459	30	0.04712	0.045026	0.034679	0.036753	-0.002	2.789194	0.779978	0.02686	28.48912	9.63848	0.126391	0.291731	0.002004										



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Table 2-1 Changing each parameter under the unbalanced growth state: a case study in the short run

Balanced growth										CASE STUDY (I)																
n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0	n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0			
1	0.01	2	0.08	11	0.333333	0.026667	0.027397	0.053333	$I/\gamma^0(t)$	$m(t)$	$g_m(t)$	5.5	0.04									$I/\gamma^0(t)$	$m(t)$	$g_m(t)$	5.5	0.04
2	0.02740	0.02740	0.01723	0.00000	0.00000	0.62871	0.04000	11.18948	5.9474	0.05479	0.31436										5.9474	0.05479	0.31436			
3	0.02740	0.02740	0.01723	0.00000	2.00000	0.62871	0.04000	11.38221	5.69111	0.05479	0.31436										5.69111	0.05479	0.31436			
3	0.02740	0.02740	0.01723	0.00000	2.00000	0.62871	0.04000	11.57827	5.78914	0.05479	0.31436										5.78914	0.05479	0.31436			
<i>A parameter changes</i>																										
0. Before changing										Unbalanced growth stat																
n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0	n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0			
1	0.01	2	0.08	11	0.3	0.024	0.05	0.0488	$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	5.5	0.04								$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	5.5	0.04	
1	0.02459	0.03730	0.02702	0.01445	0.01240	2.02480	0.58746	0.03951	5.7945	0.07459	0.19367										5.7945	0.07459	0.19367			
2	0.02459	0.03684	0.02657	0.01445	0.01195	2.04900	0.58746	0.03904	5.66005	0.07459	0.19367										5.66005	0.07459	0.19367			
3	0.02459	0.03640	0.02614	0.01445	0.01153	2.07263	0.58746	0.03860	5.74181	0.07459	0.19367										5.74181	0.07459	0.19367			
1. By changing Ω_P																										
n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0	n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0			
1	0.01	3	0.08	11	0.3	0.024	0.05	0.0488	$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	3.6666667	0.0266667								$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	3.6666667	0.0266667	
1	0.02459	0.02486	0.01472	0.01445	0.00027	3.0080	0.58746	0.02666	11.16188	0.07459	0.19367										11.16188	0.07459	0.19367			
2	0.02459	0.02486	0.01471	0.01445	0.00026	3.00158	0.58746	0.02665	11.32607	0.07459	0.19367										11.32607	0.07459	0.19367			
3	0.02459	0.02485	0.01470	0.01445	0.00025	3.00234	0.58746	0.02665	11.49260	0.07459	0.19367										11.49260	0.07459	0.19367			
2. By changing Ω_P																										
n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0	n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0			
1	0.01	1.5	0.08	11	0.3	0.024	0.05	0.0488	$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	7.3333333	0.0533333								$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	7.3333333	0.0533333	
1	0.02459	0.04973	0.03933	0.01445	0.02453	1.53680	0.58746	0.05206	11.43267	0.07459	0.19367										11.43267	0.07459	0.19367			
2	0.02459	0.04854	0.03815	0.01445	0.02337	1.57272	0.58746	0.05087	11.86888	0.07459	0.19367										11.86888	0.07459	0.19367			
3	0.02459	0.04743	0.03706	0.01445	0.02229	1.60777	0.58746	0.04976	12.30870	0.07459	0.19367										12.30870	0.07459	0.19367			
3. By changing π																										
n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0	n	Ω^0_P	π^0	k^0	S_{SPR}	S_{SPY}	S_{SMDWD}	S_{SDY}	S_{SY}	variables	y^0	ρ^0			
1	0.01	2	0.05	11	0.3	0.015	0.05	0.04925	$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	5.5	0.025								$I/\gamma^{sd}(t)$	$m(t)$	$g_m(t)$	5.5	0.025	
1	0.01523	0.03261	0.02239	0.00518	0.01713	2.03425	0.33993	0.02458	11.24629	0.06523	0.07936										11.24629	0.06523	0.07936			
2	0.01523	0.03207	0.02185	0.00518	0.01658	2.06799	0.33993	0.02418	11.49199	0.06523	0.07936										11.49199	0.06523	0.07936			
3	0.01523	0.03154	0.02133	0.00518	0.01607	2.10122	0.33993	0.02380	11.73710	0.06523	0.07936										11.73710	0.06523	0.07936			

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CASE STUDY (2)												
variables												
π	Ω^0_P	π^0	k^0	s^{SPIP}	s^{SPY}	s^{SVDWD}	s^{SVDY}	s^{SY}	y^0	$m^0(t)$	$g^0_m(t)$	
4. By changing s^{SPY}												
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$\Omega^0_P(t)$	$g^0_{SP}(t)$	$x^0(t)=g^0_Y/g^0_Y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.03734	0.04367	0.03334	0.02707	0.00610	2.01220	0.72497	0.05964	11.36673	5.64891	0.08734	0.30996
2	0.03734	0.04341	0.03308	0.02707	0.00584	2.02396	0.72497	0.05929	11.74270	5.80184	0.08734	0.30996
3	0.03734	0.04316	0.03283	0.02707	0.00560	2.03530	0.72497	0.05896	12.12818	5.95892	0.08734	0.30996
5. By changing s^{SVDWD}												
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$\Omega^0_P(t)$	$g^0_{SP}(t)$	$x^0(t)=g^0_Y/g^0_Y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.05932	0.03966	0.02937	0.04883	-0.01856	1.96288	0.82320	0.04076	11.32304	5.76859	0.07932	0.61564
2	0.05932	0.04041	0.03011	0.04883	-0.01785	1.92784	0.82320	0.04150	11.66398	6.05029	0.07932	0.61564
3	0.05932	0.04115	0.03084	0.04883	-0.01716	1.89476	0.82320	0.04222	12.02366	6.34574	0.07932	0.61564
6. By changing s^{SVDY}												
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$\Omega^0_P(t)$	$g^0_{SP}(t)$	$x^0(t)=g^0_Y/g^0_Y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.01215	0.01607	0.00601	0.00212	0.00388	2.00776	0.17492	0.03985	11.06614	5.51168	0.03215	0.06609
2	0.01215	0.01601	0.00595	0.00212	0.00382	2.01543	0.17492	0.03969	11.13200	5.52339	0.03215	0.06609
3	0.01215	0.01595	0.00589	0.00212	0.00376	2.02300	0.17492	0.03955	11.19758	5.53513	0.03215	0.06609
7. By s^{SVDWD}												
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$\Omega^0_P(t)$	$g^0_{SP}(t)$	$x^0(t)=g^0_Y/g^0_Y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.02459	0.05230	0.04188	0.01445	0.02704	2.05408	0.58746	0.03895	11.46064	5.57945	0.10459	0.13812
2	0.02459	0.05092	0.04051	0.01445	0.02570	2.10686	0.58746	0.03797	11.92495	5.66005	0.10459	0.13812
3	0.02459	0.04964	0.03925	0.01445	0.02445	2.15838	0.58746	0.03706	12.39500	5.74181	0.10459	0.13812
8. By s^{SVDY}												
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$\Omega^0_P(t)$	$g^0_{SP}(t)$	$x^0(t)=g^0_Y/g^0_Y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.02459	0.02230	0.01217	0.01445	-0.00224	1.99552	0.58746	0.04009	11.13391	5.57945	0.04459	0.32397
2	0.02459	0.02235	0.01222	0.01445	-0.00219	1.99115	0.58746	0.04018	11.27000	5.66005	0.04459	0.32397
3	0.02459	0.02239	0.01227	0.01445	-0.00214	1.98688	0.58746	0.04026	11.40830	5.74181	0.04459	0.32397

Compulsive policies case study

CASE STUDY (4)														
	Ω^0_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SY}	variables	y^0	ρ^0			
6. By surplus of nation														
Assume that the above case 4. is after using the surplus of the nation, s_{NBPY} , and budget deficit, G_{DEFY}														
<i>The cases of $s_{NBPY}=0$ and $G_{DEFY}=0$ are as follows:</i>														
5. By surplus of nation														
export>import	0.01	2.5	0.06	11	0.37	0.0222	-0.019617	-0.019182	ρ^0	4.4	0.024			
$s^{SPY}-s_{NBPY}^*$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$g^0_{CP}(t)$	$\Omega^0_P(t)$	$x^0(t)=g^0_Y(t)/\rho^0(t)$	$k^0(t)$	$k^0(t)$	$\rho^0(t)$	$m^0(t)$	$g^0_m(t)$			
$s^{SNDY}-s_{NBPY}^*(1-\pi)$	0.02270	0.00123	-0.00868	0.01258	-0.02099	2.44752	0.55401	0.02451	4.45534	0.00309	4.07455			
$s_{NBPY}=0.03$	0.02270	0.00126	-0.00865	0.01258	-0.02097	2.39620	0.55401	0.02504	4.51138	0.00309	4.07455			
6. By surplus of nation														
export<import	0.01	2.5	0.06	11	0.43	0.0258	0.040383	0.039341	ρ^0	4.4	0.024			
$s_{NBPY}=-0.03$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$g^0_{CP}(t)$	$\Omega^0_P(t)$	$x^0(t)=g^0_Y(t)/\rho^0(t)$	$k^0(t)$	$k^0(t)$	$\rho^0(t)$	$m^0(t)$	$g^0_m(t)$			
1	0.02648	0.02675	0.01658	0.01632	0.00026	2.50064	0.61624	0.02399	4.47181	0.06687	0.24407			
2	0.02648	0.02674	0.01657	0.01632	0.00025	2.50127	0.61624	0.02399	4.54479	0.06687	0.24407			
3	0.02648	0.02673	0.01657	0.01632	0.00024	2.50187	0.61624	0.02398	4.61896	0.06687	0.24407			
7. By budget deficit														
Budget deficit	0.01	2.5	0.06	11	0.365	0.0219	0.012617	0.012341	ρ^0	4.4	0.024			
$s^{SPY}-G_{DEFY}^*$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$g^0_{CP}(t)$	$\Omega^0_P(t)$	$x^0(t)=g^0_Y(t)/\rho^0(t)$	$k^0(t)$	$k^0(t)$	$\rho^0(t)$	$m^0(t)$	$g^0_m(t)$			
$s^{SNDY}+G_{DEFY}^*\pi$	0.02239	0.01400	0.00396	0.01227	-0.00820	2.47949	0.54790	0.02420	4.45398	0.03501	0.35043			
$G_{DEFY}=0.035$	0.02239	0.01412	0.00408	0.01227	-0.00809	2.45943	0.54790	0.02440	4.50862	0.03501	0.35043			
8. By budget deficit														
Budget surplus	0.01	2.5	0.06	11	0.435	0.0261	0.008149	0.007936	ρ^0	4.4	0.024			
$G_{DEFY}=-0.035$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$g^0_{CP}(t)$	$\Omega^0_P(t)$	$x^0(t)=g^0_Y(t)/\rho^0(t)$	$k^0(t)$	$k^0(t)$	$\rho^0(t)$	$m^0(t)$	$g^0_m(t)$			
1	0.02680	0.01398	0.00394	0.01663	-0.01249	2.46879	0.62065	0.02430	4.47319	0.03495	0.47593			
2	0.02680	0.01416	0.00411	0.01663	-0.01231	2.43839	0.62065	0.02461	4.54759	0.03495	0.47593			
3	0.02680	0.01433	0.00429	0.01663	-0.01214	2.40878	0.62065	0.02491	4.62323	0.03495	0.47593			
9. By surplus & deficit														
$s_{NBPY}=0.03$	0.01	2.5	0.06	11	0.335	0.0201	-0.017383	-0.017034	ρ^0	4.4	0.024			
$G_{DEFY}=0.035$	$g^0_{KP}(t)$	$g^0_K(t)$	$g^0_Y(t)$	$g^0_{CP}(t)$	$\Omega^0_P(t)$	$x^0(t)=g^0_Y(t)/\rho^0(t)$	$k^0(t)$	$k^0(t)$	$\rho^0(t)$	$m^0(t)$	$g^0_m(t)$			
1	0.02051	0.00125	-0.00866	0.01041	-0.01887	2.45282	0.50741	0.02446	4.44580	0.00313	3.32606			
2	0.02051	0.00128	-0.00864	0.01041	-0.01885	2.40658	0.50741	0.02493	4.49207	0.00313	3.32606			
3	0.02051	0.00130	-0.00861	0.01041	-0.01883	2.36128	0.50741	0.02541	4.53882	0.00313	3.32606			

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Table 2-2 Changing each parameter under the balanced growth state: a case study in the long run

0. Before changing										CASE STUDY (S)				
Balanced growth state										variables				
period	$\gamma(t)$	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	y^0	ρ^0	$m^0(t)$	$\dot{g}_m(t)$
period	$\gamma(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$\dot{g}_m(t)$
1	0.02740	0.02740	0.01723	0.01723	0.00000	2.00000	2.00000	0.62871	0.04000	11.18948	5.59474	0.05479	0.31436	0.00000
2	0.02740	0.02740	0.01723	0.01723	0.00000	2.00000	2.00000	0.62871	0.04000	11.38221	5.69111	0.05479	0.31436	0.00000
3	0.02740	0.02740	0.01723	0.01723	0.00000	2.00000	2.00000	0.62871	0.04000	11.57827	5.78914	0.05479	0.31436	0.00000
1. By the increase in π														
parameters	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	$\delta=g_Y$	y^0	ρ^0	$\dot{g}_m(t)$
period	$\gamma(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$\dot{g}_m(t)$
1	0.02041	0.02041	0.01031	0.01031	0.00000	2.00000	2.00000	0.50495	0.03000	11.11336	5.55668	0.04082	0.25248	0.00000
2	0.02041	0.02041	0.01031	0.01031	0.00000	2.00000	2.00000	0.50495	0.03000	11.22788	5.61394	0.04082	0.25248	0.00000
3	0.02041	0.02041	0.01031	0.01031	0.00000	2.00000	2.00000	0.50495	0.03000	11.34359	5.67179	0.04082	0.25248	0.00000
2. By the decrease in π														
parameters	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	$\delta=g_Y$	y^0	ρ^0	$\dot{g}_m(t)$
period	$\gamma(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$\dot{g}_m(t)$
1	0.03448	0.03448	0.02424	0.02424	0.00000	2.00000	2.00000	0.70297	0.05000	11.26664	5.63332	0.06897	0.35149	0.00000
2	0.03448	0.03448	0.02424	0.02424	0.00000	2.00000	2.00000	0.70297	0.05000	11.53975	5.76988	0.06897	0.35149	0.00000
3	0.03448	0.03448	0.02424	0.02424	0.00000	2.00000	2.00000	0.70297	0.05000	11.81948	5.90974	0.06897	0.35149	0.00000
3. By the increase in Ω_P														
parameters	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	$\delta=g_Y$	y^0	ρ^0	$\dot{g}_m(t)$
period	$\gamma(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$\dot{g}_m(t)$
1	0.02339	0.02339	0.01326	0.01326	0.00000	2.50000	2.50000	0.56683	0.03200	11.14585	4.45834	0.05848	0.22673	0.00000
2	0.02339	0.02339	0.01326	0.01326	0.00000	2.50000	2.50000	0.56683	0.03200	11.29364	4.51745	0.05848	0.22673	0.00000
3	0.02339	0.02339	0.01326	0.01326	0.00000	2.50000	2.50000	0.56683	0.03200	11.44338	4.57735	0.05848	0.22673	0.00000
4. By the decrease in Ω_P														
parameters	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	$\delta=g_Y$	y^0	ρ^0	$\dot{g}_m(t)$
period	$\gamma(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$\dot{g}_m(t)$
1	0.03306	0.03306	0.02283	0.02283	0.00000	1.50000	1.50000	0.69059	0.05333	11.25113	7.50075	0.04959	0.46040	0.00000
2	0.03306	0.03306	0.02283	0.02283	0.00000	1.50000	1.50000	0.69059	0.05333	11.50798	7.67199	0.04959	0.46040	0.00000
3	0.03306	0.03306	0.02283	0.02283	0.00000	1.50000	1.50000	0.69059	0.05333	11.77071	7.84714	0.04959	0.46040	0.00000

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Table 3-1 Compulsive policies by country

Balanced Growth State

Japan 1994: $g^a_{Y^0} = g^a_{KP} = g^a_{Y^0} = g^a_{KP}$

parameter	n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SPY}	S^{SVDWD}	S^{SVDY}	S^{SY}	variables	$\delta = g_Y$	y^0	ρ^0
period	$g_Y(t)$	$g_{KP}(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$\chi(t) = g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^0_m(t)$
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.9267	0.021535	16.91609	6.202142	0.043667	0.339765	0
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
3	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.42177	6.387543	0.043667	0.339765	0

Unbalanced Growth State

Japan 1994: $g^a_{Y^0} > g^a_{KP}$

parameter	n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SPY}	S^{SVDWD}	S^{SVDY}	S^{SY}	variables	δ^0	y^0	ρ^0
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$\chi^0(t) = g^0_Y/g^0_Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.019952	-0.01839	-0.01952	0.018774	-0.03759	2.62493	0.94095	0.022376	16.34335	6.226205	-0.05016	-0.37429	1.48E-16
2	0.019952	-0.01911	-0.02024	0.018774	-0.0383	2.524405	0.94095	0.023267	16.01254	6.343094	-0.05016	-0.37429	1.48E-16
3	0.019952	-0.01987	-0.021	0.018774	-0.03904	2.425847	0.94095	0.024213	15.67625	6.462177	-0.05016	-0.37429	-1.5E-16

$g^a_{Y^0} = 0.019886$ $g^a_{KP} = -0.018030$

Surplus of the nation
0.0330 Budget deficit

COMPULSIVE POLICIES in the short run: by changing S^{SPY} or S^{SVDWD}

1. By changing S^{SPY}

Japan 1994: $g^a_{Y^0} > g^a_{KP}$

$g^a_{Y^0} = 0.019886$ $g^a_{KP} = -0.018030$

parameter	n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SPY}	S^{SVDWD}	S^{SVDY}	S^{SY}	variables	δ^0	y^0	ρ^0
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$\chi^0(t) = g^0_Y/g^0_Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.01601	-0.01984	-0.02097	0.014836	-0.03901	2.621065	0.926695	0.022409	16.31929	6.226205	-0.0541	-0.27424	0
2	0.01601	-0.02064	-0.02177	0.014836	-0.0398	2.516751	0.926695	0.023338	15.96399	6.343094	-0.0541	-0.27424	0
3	0.01601	-0.0215	-0.02263	0.014836	-0.04064	2.414478	0.926695	0.024327	15.60279	6.462177	-0.0541	-0.27424	0

2. By changing S^{SVDWD}

Japan 1994: $g^a_{Y^0} > g^a_{KP}$

$g^a_{Y^0} = 0.019886$ $g^a_{KP} = -0.018030$

parameter	n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SPY}	S^{SVDWD}	S^{SVDY}	S^{SY}	variables	δ^0	y^0	ρ^0
period	$g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$\chi^0(t) = g^0_Y/g^0_Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.019952	0.017296	0.01612	0.018774	-0.0026	2.720357	0.94095	0.021591	16.9375	6.226205	0.047173	0.397977	0
2	0.019952	0.017341	0.016166	0.018774	-0.00256	2.713392	0.94095	0.021647	17.2113	6.343094	0.047173	0.397977	0
3	0.019952	0.017385	0.01621	0.018774	-0.00252	2.706564	0.94095	0.021701	17.4903	6.462177	0.047173	0.397977	0

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3. By changing both s^{SPR} and s^{SMDWD}
Japan 1994: $g^{\lambda} > g^{KP}$

parameter	n	Ω_P	π^0	g^{λ}	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables	y^0	ρ^0
				$g^{\lambda} = -0.019886$			$g^{KP} = -0.018030$								
period	$g^{\lambda}(t)$	$g^{KP}(t)$	$g^{\lambda}(t)$	$g^{\lambda}(t)$	$g^{\lambda}(t)$	$g^{\lambda}(t)$	$\Omega_P(t)$	$s^{SPY}(t)$	$s^{SMDWD}(t)$	$s^{SMDY}(t)$	$s^{SY}(t)$	$\delta^0(t)$	$\rho^{\lambda}(t)$	$m^0(t)$	$g^m(t)$
1	0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.045593		6.11147	0.021535		
2	0.01601	0.01585	0.014677	0.014836	-0.00016	2.727031	0.926695	0.021539	16.91343	6.202142	0.043231	0.343189			
3	0.01601	0.01583	0.014679	0.014836	-0.00015	2.726609	0.926695	0.021542	17.16171	6.29416	0.043231	0.343189			
3	0.01601	0.01585	0.014682	0.014836	-0.00015	2.726194	0.926695	0.021545	17.41368	6.387542	0.043231	0.343189			

COMPULSIVE POLICIES in the short run: by changing each parameter: π , Ω_P , s^{SPR} , s^{SMDWD} , and n

4. By changing π : using tax policies
Japan 1994: $g^{\lambda} > g^{KP}$

parameter	n	Ω_P	π	k^0	s^{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables	y^0	ρ^0
				$g^{\lambda} = -0.019886$			$g^{KP} = -0.018030$						
period	$g^{\lambda}(t)$	$g^{KP}(t)$	$g^{\lambda}(t)$	$g^{\lambda}(t)$	$\Omega_P(t)$	$s^{SPY}(t)$	$s^{SMDWD}(t)$	$s^{SMDY}(t)$	$s^{SY}(t)$	$\delta^0(t)$	$\rho^{\lambda}(t)$	$m^0(t)$	$g^m(t)$
1	0.023869	-0.01695	-0.01809	0.022687	-0.03987	2.618713	0.950452	0.026731	16.36726	6.250118	-0.04624	-0.49062	
2	0.023869	-0.01766	-0.01879	0.022687	-0.04056	2.512501	0.950452	0.027861	16.05968	6.391912	-0.04624	-0.49062	
3	0.023869	-0.0184	-0.01954	0.022687	-0.04129	2.408765	0.950452	0.029061	15.74591	6.536923	-0.04624	-0.49062	

5. By changing Ω_P : using tax policies
Japan 1994: $g^{\lambda} > g^{KP}$

parameter	n	Ω_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables	y^0	ρ^0
				$g^{\lambda} = -0.019886$			$g^{KP} = -0.018030$						
period	$g^{\lambda}(t)$	$g^{KP}(t)$	$g^{\lambda}(t)$	$g^{\lambda}(t)$	$\Omega_P(t)$	$s^{SPY}(t)$	$s^{SMDWD}(t)$	$s^{SMDY}(t)$	$s^{SY}(t)$	$\delta^0(t)$	$\rho^{\lambda}(t)$	$m^0(t)$	$g^m(t)$
1	0.019952	-0.01672	-0.01786	0.018774	-0.03595	2.892139	0.94095	0.020309	16.37117	5.660575	-0.05016	-0.37429	
2	0.019952	-0.01734	-0.01848	0.018774	-0.03657	2.786387	0.94095	0.02108	16.06866	5.766845	-0.05016	-0.37429	
3	0.019952	-0.018	-0.01914	0.018774	-0.03721	2.682704	0.94095	0.021894	15.76118	5.87511	-0.05016	-0.37429	

6. By changing Ω_P and s^{SPR} : using tax policies
Japan 1994: $g^{\lambda} > g^{KP}$

parameter	n	Ω_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables	y^0	ρ^0
				$g^{\lambda} = -0.019886$			$g^{KP} = -0.018030$						
period	$g^{\lambda}(t)$	$g^{KP}(t)$	$g^{\lambda}(t)$	$g^{\lambda}(t)$	$\Omega_P(t)$	$s^{SPY}(t)$	$s^{SMDWD}(t)$	$s^{SMDY}(t)$	$s^{SY}(t)$	$\delta^0(t)$	$\rho^{\lambda}(t)$	$m^0(t)$	$g^m(t)$
1	0.014903	-0.0184	-0.01954	0.013731	-0.03282	2.901551	0.921336	0.020243	16.34314	5.632554	-0.05521	-0.24871	
2	0.014903	-0.01903	-0.02016	0.013731	-0.03343	2.804548	0.921336	0.020943	16.01367	5.709892	-0.05521	-0.24871	
3	0.014903	-0.01968	-0.02082	0.013731	-0.03408	2.70897	0.921336	0.021682	15.68031	5.788292	-0.05521	-0.24871	

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Corresponding with the golden age of Phelps [1961]

7. By changing Ω_p and $s^{swd/wd}$: using tax policies

Japan 1994: $g^a_{\gamma^0} = 0.019886$

paramete n	Ω_p	π^0	k^0	$g^a_{\gamma^0}(t)$	$g^a_{\kappa}(t)$	$g^a_{\rho}(t)$	$g^a_{\rho}(t)$	$\Omega^0_P(t)$	s^{SPY}	s^{SPY}	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	δ^0	variables	then, $g^a_{\gamma^0} = g^a_{\rho}$	
	0.001156	3	0.058736	16.66879	0.33304	0.019562	0.03990	0.039123	0.058685	0.045593	0.03990	0.039123	0.058685	0.045593	0.03990	0.039123	0.058685	0.045593
period $g^a_{\gamma^0}(t)$																		
1	0.019952	0.019952	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774
2	0.019952	0.019952	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774
3	0.019952	0.019952	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774

8. By changing Ω_p and $s^{swd/wd}$: using tax policies

Japan 1994: $g^a_{\gamma^0} = 0.019886$

paramete n	Ω_p	π^0	k^0	$g^a_{\gamma^0}(t)$	$g^a_{\kappa}(t)$	$g^a_{\rho}(t)$	$g^a_{\rho}(t)$	$\Omega^0_P(t)$	s^{SPY}	s^{SPY}	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	δ^0	variables	then, $g^a_{\gamma^0} = g^a_{\rho}$	
	0.001156	2	0.058736	16.66879	0.33304	0.019562	0.01995	0.019562	0.039123	0.045593	0.01995	0.019562	0.039123	0.045593	0.01995	0.019562	0.039123	0.045593
period $g^a_{\gamma^0}(t)$																		
1	0.019952	0.019952	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774
2	0.019952	0.019952	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774
3	0.019952	0.019952	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774	0.018774

9. By changing n , Ω_p and $s^{swd/wd}$: using tax policies

Japan 1994: $g^a_{\gamma^0} = 0.019886$

paramete n	Ω_p	π^0	k^0	$g^a_{\gamma^0}(t)$	$g^a_{\kappa}(t)$	$g^a_{\rho}(t)$	$g^a_{\rho}(t)$	$\Omega^0_P(t)$	s^{SPY}	s^{SPY}	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	δ^0	variables	then, $g^a_{\gamma^0} = g^a_{\rho}$	
	-0.01	2	0.058736	16.66879	0.33304	0.019562	0.01995	0.019562	0.039123	0.045593	0.01995	0.019562	0.039123	0.045593	0.01995	0.019562	0.039123	0.045593
period $g^a_{\gamma^0}(t)$																		
1	0.019952	0.019952	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254
2	0.019952	0.019952	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254
3	0.019952	0.019952	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254	0.030254

10. By changing n , Ω_p and $s^{swd/wd}$: using tax policies

Japan 1994: $g^a_{\gamma^0} = 0.019886$

paramete n	Ω_p	π^0	k^0	$g^a_{\gamma^0}(t)$	$g^a_{\kappa}(t)$	$g^a_{\rho}(t)$	$g^a_{\rho}(t)$	$\Omega^0_P(t)$	s^{SPY}	s^{SPY}	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	$s^{swd/wd}$	δ^0	variables	then, $g^a_{\gamma^0} = g^a_{\rho}$	
	0.01	2	0.058736	16.66879	0.33304	0.019562	0.01995	0.019562	0.039123	0.045593	0.01995	0.019562	0.039123	0.045593	0.01995	0.019562	0.039123	0.045593
period $g^a_{\gamma^0}(t)$																		
1	0.019952	0.019952	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853
2	0.019952	0.019952	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853
3	0.019952	0.019952	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853	0.009853

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JAPAN (4)													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SMDWD}	S_{SMDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
COMPULSIVE POLICIES in the long run: by changing each parameter: π, Ω_p, and n													
Balanced Growth State	0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.01601	6.11147	0.021535	
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
1. By changing π : by using tax rate and adjusting wage level and others													
parameter n	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SMDWD}	S_{SMDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.01601	6.11147	0.021535		
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
2. By changing π : by using tax rate and adjusting wage level and others													
parameter n	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SMDWD}	S_{SMDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.01601	6.11147	0.021535		
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
3. By changing Ω_p : using tax rate and depreciation ratio and others													
parameter n	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SMDWD}	S_{SMDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.01601	6.11147	0.021535		
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
4. By changing Ω_p : using tax rate and depreciation ratio and others													
parameter n	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SMDWD}	S_{SMDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.01601	6.11147	0.021535		
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
5. By changing n as the growth rate of workers													
parameter n	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SMDWD}	S_{SMDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	0.01601	6.11147	0.021535		
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	
2	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
period $g_Y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_p(t)$	$\chi(t)=g_Y/g_Y$	$p(t)$	$k(t)$	$y(t)$	$1/\gamma^0(t)$	$m(t)$	$g_m(t)$	
1	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	16.91609	6.202142	0.043667	0.339765	

Sweden 94

SWEDEN (I)

Table 3-2 Compulsive policies by country

Balanced Growth State

Sweden 1994: $g^a_{Y-g^a_{KP}} = g^a_{Y-g^a_{KP}}$

parameters n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SWDWD}	S^{SWDY}	S^{SY}	variables	$\delta = g_Y$	y^0	ρ^0	
period $g^0_Y(t)$	0.015211	1.492879	0.114159	470.8148	0.401143	0.045794	0.022571	0.021537	0.067331	0.047992	315.3738	0.076469
1	0.047992	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\chi^0(t) = g^0_Y / \rho^0(t)$	$k(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^0_m(t)$	
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687
3	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687

Unbalanced Growth State

Sweden 1994: $g^a_{Y-g^a_{KP}} > g^a_{KP}$

parameters n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SWDWD}	S^{SWDY}	S^{SY}	variables	δ^0	y^0	ρ^0	
period $g^0_Y(t)$	0.015211	1.492879	0.114159	470.8148	0.423727	0.048372	-0.04355	-0.04144	0.006933	0.073374	315.3738	0.076469
1	0.050831	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\chi^0(t) = g^0_Y / \rho^0(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$k^0(t)$	$k^0(t)$	$y^0(t)$	$I/Y^{00}(t)$	$g^0_m(t)$
2	0.050831	0.005104	-0.00996	0.035086	-0.04352	1.365476	0.690259	0.083604	461.3844	337.8928	0.007286	4.815663
3	0.050831	0.005336	-0.00973	0.035086	-0.04329	1.306358	0.690259	0.087387	456.8966	349.7482	0.007286	4.815663

Surplus of the nation

0.0145 Budget deficit

COMPULSIVE POLICIES in the short run: by changing s^{SPY} or s^{SWDWD}

1. By changing s^{SPY}

Sweden 1994: $g^a_{Y-g^a_{KP}} > g^a_{KP}$

parameters n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SWDWD}	S^{SWDY}	S^{SY}	variables	δ^0	y^0	ρ^0	
period $g^0_Y(t)$	0.015211	1.492879	0.114159	470.8148	0.401143	0.045794	-0.04355	-0.04155	0.004243	0.073374	315.3738	0.076469
1	0.047992	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\chi^0(t) = g^0_Y / \rho^0(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$k^0(t)$	$k^0(t)$	$y^0(t)$	$I/Y^{00}(t)$	$g^0_m(t)$
2	0.047992	0.003121	-0.01191	0.03229	-0.0454	1.360203	0.672821	0.083928	459.6027	337.8928	0.004447	7.261579
3	0.047992	0.003269	-0.01176	0.03229	-0.04526	1.298639	0.672821	0.087906	454.1965	349.7482	0.004447	7.261579

2. By changing s^{SWDWD}

Sweden 1994: $g^a_{Y-g^a_{KP}} > g^a_{KP}$

parameters n	Ω^0_P	π^0	k^0	S^{SPY}	S^{SWDWD}	S^{SWDY}	S^{SY}	variables	δ^0	y^0	ρ^0	
period $g^0_Y(t)$	0.015211	1.492879	0.114159	470.8148	0.423727	0.048372	0.022571	0.021479	0.069851	0.073374	315.3738	0.076469
1	0.050831	$g^0_{KP}(t)$	$g^0_Y(t)$	$g^0_{KP}(t)$	$\chi^0(t) = g^0_Y / \rho^0(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$k^0(t)$	$k^0(t)$	$y^0(t)$	$I/Y^{00}(t)$	$g^0_m(t)$
2	0.050831	0.049246	0.033525	0.035086	-0.00151	1.488268	0.690259	0.076706	502.875	337.8928	0.073402	0.478005
3	0.050831	0.04932	0.033599	0.035086	-0.00144	1.486129	0.690259	0.076816	519.7709	349.7482	0.073402	0.478005

Sweden 94

SWEDEN (2)

3. By changing both s^{SPR} and s^{SMDWD}

Sweden 1994: $g^a_{Y>g^b_{KP}}$

parameters n	Ω^0_P	π^0	k^0	$g^a_{KP}(t)$	$g^b_{Y}(t)$	g^a_{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables y^0	ρ^0
	0.015211	1.492879	0.114159	470.8148	0.401143	0.045794	0.021537	0.021537	0.067331	0.073374	0.073374	315.3738	0.076469
period $g^a_{Y}(t)$	$g^a_{KP}(t)$	$g^b_{Y}(t)$	$g^a_{SPR}(t)$	$g^b_{Y}(t)$	$g^a_{SPR}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g^a_{Y}(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$y^0(t)$	$\rho^0_{Y>g^b_{KP}}(t)$	$g^a_{m}(t)$
1	0.047992	0.047266	0.031575	0.03229	-0.00069	1.491845	0.672822	0.076522	485.6809	325.5572	0.070563	0.457606	
2	0.047992	0.047299	0.031608	0.03229	-0.00066	1.490859	0.672822	0.076573	501.0321	336.0694	0.070563	0.457606	0
3	0.047992	0.04733	0.031638	0.03229	-0.00063	1.489918	0.672822	0.076621	516.8839	346.9211	0.070563	0.457606	0

COMPULSIVE POLICIES in the short run: by changing each parameter: π , Ω_P , s^{SPR} , s^{SMDWD} , and n

4. By changing π : using tax policies

Sweden 1994: $g^a_{Y>g^b_{KP}}$

parameters n	Ω^0_P	π	k^0	$g^a_{KP}(t)$	$g^b_{Y}(t)$	g^a_{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables y^0	ρ^0
	0.015211	1.492879	0.125	470.8148	0.423727	0.052966	-0.04355	-0.04124	0.011727	0.073374	0.073374	315.3738	0.083731
period $g^a_{Y}(t)$	$g^a_{KP}(t)$	$g^b_{Y}(t)$	$g^a_{SPR}(t)$	$g^b_{Y}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g^a_{Y}(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$y^0(t)$	$y^0(t)$	$\rho^0_{Y>g^b_{KP}}(t)$	$g^a_{m}(t)$
1	0.055928	0.008295	-0.00681	0.040107	-0.04511	1.425534	0.717123	0.087686	467.6075	328.0226	0.012383	3.238859	
2	0.055928	0.008687	-0.00643	0.040107	-0.04474	1.361757	0.717123	0.091793	464.6025	341.1787	0.012383	3.238859	-1.4E-16
3	0.055928	0.009094	-0.00603	0.040107	-0.04435	1.301358	0.717123	0.096054	461.803	354.8625	0.012383	3.238859	0

5. By changing Ω_P : using tax policies

Sweden 1994: $g^a_{Y>g^b_{KP}}$

parameters n	Ω_P	π	k^0	$g^a_{KP}(t)$	$g^b_{Y}(t)$	g^a_{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables y^0	ρ^0
	0.015211	1.75	0.114159	470.8148	0.423727	0.048372	-0.04355	-0.04144	0.006933	0.073374	0.073374	269.037	0.065233
period $g^a_{Y}(t)$	$g^a_{KP}(t)$	$g^b_{Y}(t)$	$g^a_{SPR}(t)$	$g^b_{Y}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g^a_{Y}(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$y^0(t)$	$y^0(t)$	$\rho^0_{Y>g^b_{KP}}(t)$	$g^a_{m}(t)$
1	0.050831	0.004163	-0.01088	0.035086	-0.04441	1.672282	0.690259	0.068265	465.6915	278.4766	0.007286	4.815663	
2	0.050831	0.004357	-0.01069	0.035086	-0.04423	1.598324	0.690259	0.071424	460.7127	288.2474	0.007286	4.815663	0
3	0.050831	0.004558	-0.01049	0.035086	-0.04403	1.527943	0.690259	0.074714	455.8786	298.3609	0.007286	4.815663	0

6. By changing Ω_P and s^{SPR} : using tax policies

Sweden 1994: $g^a_{Y>g^b_{KP}}$

parameters n	Ω_P	π	k^0	$g^a_{KP}(t)$	$g^b_{Y}(t)$	g^a_{SPR}	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	δ^0	variables y^0	ρ^0
	0.015211	1.75	0.114159	470.8148	0.363636	0.041512	-0.04355	-0.04174	-0.00023	0.073374	0.073374	269.037	0.065233
period $g^a_{Y}(t)$	$g^a_{KP}(t)$	$g^b_{Y}(t)$	$g^a_{SPR}(t)$	$g^b_{Y}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g^a_{Y}(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$y^0(t)$	$y^0(t)$	$\rho^0_{Y>g^b_{KP}}(t)$	$g^a_{m}(t)$
1	0.04331	-0.00013	-0.01512	0.027678	-0.04164	1.677128	0.639074	0.068068	463.6984	276.4835	-0.00023	-117.844	
2	0.04331	-0.00014	-0.01512	0.027678	-0.04165	1.607282	0.639074	0.071026	456.6869	284.1362	-0.00023	-117.844	0
3	0.04331	-0.00015	-0.01513	0.027678	-0.04165	1.540335	0.639074	0.074113	449.7787	292.0006	-0.00023	-117.844	-1.2E-16

Sweden 94

Corresponding with the golden age of Phelps [1961]

7. By changing Ω_p and s_{swdwd} : using tax policies

Sweden 1994: $g^a_{\gamma} > g^a_{kp}$ $g^a_{\gamma} = 0.082029$ $g^a_{kp} = 0.0046$

parameters	n	Ω_p	π^0	k^0	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	s^0_{swdwd}	s^0_{swdwy}	s^0_{sny}	δ^0	variables	y^0	then, $g^a_{\gamma} = g^a_{kp}$	ρ^0
period		0.015211	1.75	0.114159	470.8148	470.8148	0.048372	0.048372	0.048372	0.048372	0.03812	0.036279	0.084651	0.073374					269.037	0.065233
1	0.050831	0.050831	0.050831	0.035086	0.035086	0.035086	-6.7E-18	1.75	0.690259	0.665233	487.334	278.4766	0.088954	0.394434						
2	0.050831	0.050831	0.050831	0.035086	0.035086	-6.7E-18	1.75	0.690259	0.665233	504.4329	288.2474	0.088954	0.394434							
3	0.050831	0.050831	0.050831	0.035086	0.035086	-6.7E-18	1.75	0.690259	0.665233	522.1317	298.3609	0.088954	0.394434							

8. By changing Ω_p and s_{swdwd} : using tax policies

Sweden 1994: $g^a_{\gamma} > g^a_{kp}$ $g^a_{\gamma} = 0.082029$ $g^a_{kp} = 0.0046$

parameters	n	Ω_p	π^0	k^0	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	s^0_{swdwd}	s^0_{swdwy}	s^0_{sny}	δ^0	variables	y^0	then, $g^a_{\gamma} = g^a_{kp}$	ρ^0
period		0.015211	1.25	0.114159	470.8148	470.8148	0.048372	0.048372	0.048372	0.048372	0.01271	0.012093	0.060465	0.073374					376.6518	0.091327
1	0.050831	0.050831	0.050831	0.035086	0.035086	0	1.25	0.690259	0.091327	487.334	389.8672	0.063539	0.552207							
2	0.050831	0.050831	0.050831	0.035086	0.035086	0	1.25	0.690259	0.091327	504.4329	403.5463	0.063539	0.552207							
3	0.050831	0.050831	0.050831	0.035086	0.035086	0	1.25	0.690259	0.091327	522.1317	417.7053	0.063539	0.552207							

9. By changing n , Ω_p and s_{swdwd} : using tax policies

Sweden 1994: $g^a_{\gamma} > g^a_{kp}$ $g^a_{\gamma} = 0.082029$ $g^a_{kp} = 0.0046$

parameters	n	Ω_p	π^0	k^0	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	s^0_{swdwd}	s^0_{swdwy}	s^0_{sny}	δ^0	variables	y^0	then, $g^a_{\gamma} = g^a_{kp}$	ρ^0
period		-0.01	1.25	0.114159	470.8148	470.8148	0.048372	0.048372	0.048372	0.01271	0.012093	0.060465	0.073374						376.6518	0.091327
1	0.050831	0.050831	0.061445	0.061445	0	1.25	1.208819	0.091327	499.7442	399.7954	0.063539	0.967055								
2	0.050831	0.050831	0.061445	0.061445	0	1.25	1.208819	0.091327	530.4512	424.3609	0.063539	0.967055								
3	0.050831	0.050831	0.061445	0.061445	0	1.25	1.208819	0.091327	563.0449	450.4359	0.063539	0.967055								

10. By changing n , Ω_p and s_{swdwd} : using tax policies

Sweden 1994: $g^a_{\gamma} > g^a_{kp}$ $g^a_{\gamma} = 0.082029$ $g^a_{kp} = 0.0046$

parameters	n	Ω_p	π^0	k^0	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$g^a_{\gamma}(t)$	$g^a_{kp}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	$\chi^0(t) = g^a_{\gamma} / \rho^0(t)$	s^0_{swdwd}	s^0_{swdwy}	s^0_{sny}	δ^0	variables	y^0	then, $g^a_{\gamma} = g^a_{kp}$	ρ^0
period		0.01	1.25	0.114159	470.8148	470.8148	0.048372	0.048372	0.048372	0.01271	0.012093	0.060465	0.073374						376.6518	0.091327
1	0.050831	0.050831	0.040427	0.040427	0	1.25	0.795316	0.091327	489.8483	391.8786	0.063539	0.636253								
2	0.050831	0.050831	0.040427	0.040427	0	1.25	0.795316	0.091327	509.6512	407.721	0.063539	0.636253								
3	0.050831	0.050831	0.040427	0.040427	0	1.25	0.795316	0.091327	530.2547	424.2037	0.063539	0.636253								

Sweden 94

SWEDEN (4)												
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0
Balanced Growth State	0.015211	1.492879	0.114159	470.8148	0.401143	0.045794	0.022571	0.021537	0.067331	0.047992	315.3738	0.076469
period $g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687
1. By changing π : by using tax rate and adjusting wage level and others												
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0
period $g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687
2. By changing π : by using tax rate and adjusting wage level and others												
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0
period $g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687
3. By changing Ω_P : using tax rate and depreciation ratio and others												
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0
period $g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687
4. By changing Ω_P : using tax rate and depreciation ratio and others												
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0
period $g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687
5. By changing n as the growth rate of workers												
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0
period $g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1	0.047992	0.047992	0.047992	0.047992	0	1.492879	0.67282	0.076469	493.41	330.5091	0.071646	0.669847

UK 94

UK (1)

Table 3-3 Compulsive policies by country
Balanced Growth State

UK 1994: $g^a = g^b = g^{KP} = g^Y = g^{KP}$

parameters	Ω^0_P	π^0	k^0	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	variables	$\delta = g^Y$	y^0	ρ^0
period $g^Y(t)$	0.009251	1.290521	0.118259	0.436582	0.05163	0.014999	0.014225	0.065855	0.05444	23.25464	0.091637
	$g^{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$x(t) = g^Y/g^Y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$
1	0.05444	0.05444	0.044775	0.044775	-6.6E-18	1.290521	0.82246	0.091637	24.29587	0.070257	0.637312
2	0.05444	0.05444	0.044775	0.044775	-6.6E-18	1.290521	0.822464	0.091637	25.38373	0.070257	0.637312
3	0.05444	0.05444	0.044775	0.044775	-6.6E-18	1.290521	0.822464	0.091637	26.52029	0.070257	0.637312

UK 1994: $g^a > g^b > g^{KP}$
 $g^a = 0.041644$
 $g^{KP} = 0.0137$

parameters	Ω^0_P	π^0	k^0	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	variables	δ	y^0	ρ^0
period $g^Y(t)$	0.009251	1.290521	0.118259	0.436582	0.05163	0.014999	0.014225	0.065855	0.052296	23.25464	0.091637
	$g^{KP}(t)$	$g^k(t)$	$g^Y(t)$	$g^{OP}(t)$	$x^0(t) = g^Y/g^Y$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^m(t)$
1	0.068449	0.014653	0.05353	0.058656	-0.05035	1.225544	0.856923	0.096495	30.17123	24.61865	0.018911
2	0.068449	0.01543	0.06123	0.058656	-0.04962	1.164729	0.856923	0.101533	30.35597	26.06268	0.018911
3	0.068449	0.016236	0.06921	0.058656	-0.04887	1.107811	0.856923	0.10675	30.56606	27.59141	0.018911

Surplus of the nation
-0.0232 Budget deficit
-0.0768

COMPULSIVE POLICIES in the short run: by changing s^{SPY} or s^{SMDWD}

1. By changing s^{SPY}

UK 1994: $g^a > g^b > g^{KP}$
 $g^a = 0.041644$
 $g^{KP} = 0.0137$

parameters	Ω^0_P	π^0	k^0	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	variables	δ	y^0	ρ^0
period $g^Y(t)$	0.009251	1.290521	0.118259	0.436582	0.05163	0.014999	0.014225	0.065855	0.052296	23.25464	0.091637
	$g^{KP}(t)$	$g^k(t)$	$g^Y(t)$	$g^{OP}(t)$	$x^0(t) = g^Y/g^Y$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^m(t)$
1	0.05444	0.003798	-0.0054	0.044775	-0.06051	1.212432	0.822464	0.097539	29.84845	24.61865	0.004902
2	0.05444	0.004043	-0.00516	0.044775	-0.06028	1.139346	0.822464	0.103795	29.69442	26.06268	0.004902
3	0.05444	0.004302	-0.0049	0.044775	-0.06004	1.070943	0.822464	0.110425	29.54882	27.59141	0.004902

2. By changing s^{SMDWD}

UK 1994: $g^a > g^b > g^{KP}$
 $g^a = 0.041644$
 $g^{KP} = 0.0137$

parameters	Ω^0_P	π^0	k^0	s^{SPY}	s^{SMDWD}	s^{SMDY}	s^{SY}	variables	δ	y^0	ρ^0
period $g^Y(t)$	0.009251	1.290521	0.118259	0.436582	0.05163	0.014999	0.014225	0.065855	0.078102	23.25464	0.091637
	$g^{KP}(t)$	$g^k(t)$	$g^Y(t)$	$g^{OP}(t)$	$x^0(t) = g^Y/g^Y$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^m(t)$
1	0.068449	0.064663	0.054904	0.058656	-0.00354	1.285947	0.856923	0.091963	31.65828	24.61865	0.083448
2	0.068449	0.064893	0.055132	0.058656	-0.00333	1.281666	0.856923	0.09227	33.40365	26.06268	0.083448
3	0.068449	0.065109	0.055346	0.058656	-0.00313	1.277659	0.856923	0.09259	35.25242	27.59141	0.083448

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3. By changing both s^{SPIP} and s^{SVDWD}

UK 1994: $g^a \gamma > g^{KP}$

parameters n	Ω_p^0	$g^{KP}(t)$	π^0	k^0	$g^a \gamma = 0.041644$	s^{SPIP}	s^{SPY}	s^{SVDWD}	s^{SY}	δ^e	variables y^0	ρ^0
0.009251	1.290521	0.118259	30.01058	0.436582	0.05163	0.014999	0.014225	0.065854	0.052296		23.25464	0.091637
period $g^a \gamma(t)$	$g^{KP}(t)$	$g^a k(t)$	$g^a \gamma(t)$	$g^{KP}(t)$	$\Omega_p^0(t)$	$x^0(t) = g^a \gamma^0$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^a m(t)$	
1	0.05444	0.053807	0.044148	0.044775	-0.0006	1.289746	0.822464	0.091692	31.33549	24.29587	0.069439	0.644811
2	0.05444	0.05384	0.04418	0.044775	-0.00057	1.289011	0.822464	0.091744	32.71989	25.38373	0.069439	0.644811
3	0.05444	0.05387	0.04421	0.044775	-0.00054	1.288314	0.822464	0.091794	34.16646	26.52029	0.069439	0.644811

COMPULSIVE POLICIES in the short run: by changing each parameter: π , Ω_p , s^{SPIP} , s^{SVDWD} , and n

4. By changing π : using tax policies

UK 1994: $g^a \gamma > g^{KP}$

parameters n	Ω_p^0	$g^{KP}(t)$	π^0	k^0	$g^a \gamma = 0.041644$	s^{SPIP}	s^{SPY}	s^{SVDWD}	s^{SY}	δ^e	variables y^0	ρ^0
0.009251	1.290521	0.125	30.01058	0.541728	0.067716	-0.04954	0.021532	0.052296		23.25464	0.09686	
period $g^a \gamma(t)$	$g^{KP}(t)$	$g^a k(t)$	$g^a \gamma(t)$	$g^{KP}(t)$	$\Omega_p^0(t)$	$x^0(t) = g^a \gamma^0$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^a m(t)$	
1	0.072634	0.017896	0.008566	0.062803	-0.05103	1.224663	0.864639	0.102069	30.26766	24.71509	0.023096	2.719222
2	0.072634	0.018859	0.00952	0.062803	-0.05013	1.163266	0.864639	0.107456	30.55581	26.26726	0.023096	2.719222
3	0.072634	0.019854	0.010506	0.062803	-0.04921	1.106026	0.864639	0.113017	30.87683	27.91691	0.023096	2.719222

5. By changing Ω_p : using tax policies

UK 1994: $g^a \gamma > g^{KP}$

parameters n	Ω_p	$g^{KP}(t)$	π^0	k^0	$g^a \gamma = 0.041644$	s^{SPIP}	s^{SPY}	s^{SVDWD}	s^{SY}	δ^e	variables y^0	ρ^0
0.009251	1.5	0.118259	30.01058	0.541728	0.064064	-0.04954	0.017699	0.052296		20.00706	0.078839	
period $g^a \gamma(t)$	$g^{KP}(t)$	$g^a k(t)$	$g^a \gamma(t)$	$g^{KP}(t)$	$\Omega_p^0(t)$	$x^0(t) = g^a \gamma^0$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^a m(t)$	
1	0.068449	0.012607	0.003325	0.058656	-0.05226	1.421603	0.856923	0.083187	30.11038	21.18059	0.018911	3.101739
2	0.068449	0.013302	0.004014	0.058656	-0.05161	1.348228	0.856923	0.087714	30.23125	22.42295	0.018911	3.101739
3	0.068449	0.014026	0.004732	0.058656	-0.05094	1.279554	0.856923	0.092422	30.37429	23.73818	0.018911	3.101739

6. By changing Ω_p and s^{SPIP} : using tax policies

UK 1994: $g^a \gamma > g^{KP}$

parameters n	Ω_p	$g^{KP}(t)$	π^0	k^0	$g^a \gamma = 0.041644$	s^{SPIP}	s^{SPY}	s^{SVDWD}	s^{SY}	δ^e	variables y^0	ρ^0
0.009251	1.5	0.118259	30.01058	0.4	0.047304	-0.04954	0.000108	0.052296		20.00706	0.078839	
period $g^a \gamma(t)$	$g^{KP}(t)$	$g^a k(t)$	$g^a \gamma(t)$	$g^{KP}(t)$	$\Omega_p^0(t)$	$x^0(t) = g^a \gamma^0$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^a m(t)$	
1	0.049652	7.57E-05	-0.00909	0.040031	-0.04723	1.429153	0.806228	0.082748	29.73776	20.80796	0.000114	352.3574
2	0.049652	7.95E-05	-0.00909	0.040031	-0.04723	1.361657	0.806228	0.086849	29.46752	21.64092	0.000114	352.3574
3	0.049652	8.34E-05	-0.00908	0.040031	-0.04722	1.297354	0.806228	0.091154	29.19985	22.50723	0.000114	352.3574

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Corresponding with the golden age of Phelps [1961]

7. By changing Ω_p and s^{swdwd} : using tax policies

UK 1994: $g^a_{Y>g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^a_{Y>g^o_{KP}}$	s^{spp}	s^{spp}	s^{spp}	s^{swdwd}	s^{swdwd}	s^{swdwd}	δ^o	variables	then, $g^o_{Y=g^o_{KP}}$	
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_K(t)$	$g^o_Y(t)$	$g^o_{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^o(t)=g^o_Y g^o_Y$	$\rho^o(t)$	$k^o(t)$	$y^o(t)$	$I^o_{Y^o}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.068449	0.068449	0.058656	0.058656	0	0	0	0	1.5	0.856923	0.078839	31.77088	21.18059	0.102674	0.571282
2	0.068449	0.068449	0.058656	0.058656	0	0	0	0	1.5	0.856923	0.078839	33.63442	22.42295	0.102674	0.571282
3	0.068449	0.068449	0.058656	0.058656	0	0	0	0	1.5	0.856923	0.078839	35.60728	23.73818	0.102674	0.571282

Use $s^{swdwd}=s^{spp}(\Omega_p-1)/(1-s^{spp})$, then, $g^o_{Y=g^o_{KP}}$

8. By changing Ω_p and s^{swdwd} : using tax policies

UK 1994: $g^a_{Y>g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^a_{Y>g^o_{KP}}$	s^{spp}	s^{spp}	s^{spp}	s^{swdwd}	s^{swdwd}	s^{swdwd}	δ^o	variables	then, $g^o_{Y=g^o_{KP}}$	
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_K(t)$	$g^o_Y(t)$	$g^o_{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^o(t)=g^o_Y g^o_Y$	$\rho^o(t)$	$k^o(t)$	$y^o(t)$	$I^o_{Y^o}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.068449	0.068449	0.058656	0.058656	1.31E-17	1.125	0.856923	0.105119	1.125	0.856923	0.105119	31.77088	28.24078	0.077005	0.761709
2	0.068449	0.068449	0.058656	0.058656	1.31E-17	1.125	0.856923	0.105119	1.125	0.856923	0.105119	33.63442	29.89727	0.077005	0.761709
3	0.068449	0.068449	0.058656	0.058656	1.31E-17	1.125	0.856923	0.105119	1.125	0.856923	0.105119	35.60728	31.65091	0.077005	0.761709

Use $s^{swdwd}=s^{spp}(\Omega_p-1)/(1-s^{spp})$, then, $g^o_{Y=g^o_{KP}}$

9. By changing n , Ω_p and s^{swdwd} : using tax policies

UK 1994: $g^a_{Y>g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^a_{Y>g^o_{KP}}$	s^{spp}	s^{spp}	s^{spp}	s^{swdwd}	s^{swdwd}	s^{swdwd}	δ^o	variables	then, $g^o_{Y=g^o_{KP}}$	
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_K(t)$	$g^o_Y(t)$	$g^o_{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^o(t)=g^o_Y g^o_Y$	$\rho^o(t)$	$k^o(t)$	$y^o(t)$	$I^o_{Y^o}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.068449	0.068449	0.079242	0.079242	1.29E-17	1.125	1.15767	0.105119	1.125	1.15767	0.105119	32.38867	28.78993	0.077005	1.02904
2	0.068449	0.068449	0.079242	0.079242	1.29E-17	1.125	1.15767	0.105119	1.125	1.15767	0.105119	34.95521	31.0713	0.077005	1.02904
3	0.068449	0.068449	0.079242	0.079242	1.29E-17	1.125	1.15767	0.105119	1.125	1.15767	0.105119	37.72512	33.53344	0.077005	1.02904

Use $s^{swdwd}=s^{spp}(\Omega_p-1)/(1-s^{spp})$, then, $g^o_{Y=g^o_{KP}}$

10. By changing n , Ω_p and s^{swdwd} : using tax policies

UK 1994: $g^a_{Y>g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^a_{Y>g^o_{KP}}$	s^{spp}	s^{spp}	s^{spp}	s^{swdwd}	s^{swdwd}	s^{swdwd}	δ^o	variables	then, $g^o_{Y=g^o_{KP}}$	
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_K(t)$	$g^o_Y(t)$	$g^o_{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$\chi^o(t)=g^o_Y g^o_Y$	$\rho^o(t)$	$k^o(t)$	$y^o(t)$	$I^o_{Y^o}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.068449	0.068449	0.055259	0.055259	1.32E-17	1.125	0.807292	0.105119	1.125	0.807292	0.105119	31.66893	28.15016	0.077005	0.717593
2	0.068449	0.068449	0.055259	0.055259	1.32E-17	1.125	0.807292	0.105119	1.125	0.807292	0.105119	33.41891	29.70569	0.077005	0.717593
3	0.068449	0.068449	0.055259	0.055259	1.32E-17	1.125	0.807292	0.105119	1.125	0.807292	0.105119	35.26559	31.34719	0.077005	0.717593

Use $s^{swdwd}=s^{spp}(\Omega_p-1)/(1-s^{spp})$, then, $g^o_{Y=g^o_{KP}}$

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COMPULSIVE POLICIES in the long run: by changing each parameter: π , Ω_p , and n													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	UK (4)
Balanced Growth State	0.009251	1.290521	0.118259	30.01058	0.436582	0.05163	0.014999	0.014225	0.065855	0.05444	23.25464	0.091637	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.35432	24.29587	0.070257	0.637312		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	32.75822	25.38373	0.070257	0.637312		0
1. By changing π : by using tax rate and adjusting wage level and others													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.35432	24.29587	0.070257	0.637312		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	32.75822	25.38373	0.070257	0.637312		0
2. By changing π : by using tax rate and adjusting wage level and others													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.35432	24.29587	0.070257	0.637312		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	32.75822	25.38373	0.070257	0.637312		0
3. By changing Ω_p : using tax rate and depreciation ratio and others													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.35432	24.29587	0.070257	0.637312		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	32.75822	25.38373	0.070257	0.637312		0
4. By changing Ω_p : using tax rate and depreciation ratio and others													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.35432	24.29587	0.070257	0.637312		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	32.75822	25.38373	0.070257	0.637312		0
5. By changing n as the growth rate of workers													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.35432	24.29587	0.070257	0.637312		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	32.75822	25.38373	0.070257	0.637312		0
5. By changing n as the growth rate of workers													
parameter	Ω_p	π	k^0	$SSPP$	$SSPY$	$SSWDWD$	$SSWDY$	SSY	variables	$\delta=g_y$	y^0	ρ^0	
period $g_y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$\Omega_p(t)$	$\chi(t)=g_y/g_y$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.64437	24.52063	0.070257	0.774881		
2	0.05444	0.05444	0.044775	-6.6E-18	1.290521	0.822464	0.091637	31.64437	24.52063	0.070257	0.774881		0

Germany 94

GERMANY (1)
 Table 3-4 Compulsive policies by country
Balanced Growth State

Germany 1994: $g^a \gamma = g^b \kappa^c - g^d \gamma - g^e \kappa^f$

parameters	Ω^0	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDND}	s^{SMDY}	s^{SY}	variables	$\delta = g^y$	y^0	ρ^0
period $g^y(t)$	0.006	2.195003	0.039629	196.7621	0.312989	0.012403	0.014822	0.027042	$y(t)$	0.012559	89.64089	0.018054
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.51915	0.018054	198.045	90.22536	0.027568	0.236514	
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514	0
3	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	200.6359	91.40575	0.027568	0.236514	0

Germany 1994: $g^a \gamma > g^b \kappa^c$
 $g^a \kappa^f = 0.023916$

parameters	Ω^0	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDND}	s^{SMDY}	s^{SY}	variables	δ^e	y^0	ρ^0
period $g^y(t)$	0.006	2.195003	0.039629	196.7621	0.115827	0.00459	0.066259	0.065955	0.070545	0.06423	89.64089	0.018054
1	0.004611	0.032287	0.02613	-0.00138	0.027549	2.255473	-0.29936	0.01757	201.9035	89.51714	0.07087	-0.01948
2	0.004611	0.031421	0.02527	-0.00138	0.026687	2.315665	-0.29936	0.017113	207.0055	89.39357	0.07087	-0.01948
3	0.004611	0.030605	0.024458	-0.00138	0.025874	2.37558	-0.29936	0.016682	212.0684	89.27017	0.07087	-0.01948

Surplus of the nation
 0.0235 Budget deficit

COMPULSIVE POLICIES in the short run: by changing s^{SPR} or s^{SMDND}

1. By changing s^{SPR}

Germany 1994: $g^a \gamma > g^b \kappa^c$
 $g^a \kappa^f = 0.023916$

parameters	Ω^0	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDND}	s^{SMDY}	s^{SY}	variables	δ^e	y^0	ρ^0
period $g^y(t)$	0.006	2.195003	0.039629	196.7621	0.312989	0.012403	0.066259	0.065437	0.07784	0.06423	89.64089	0.018054
1	0.012559	0.035908	0.029729	0.00652	0.031153	2.263384	0.519149	0.017509	202.6117	89.51714	0.078818	0.082724
2	0.012559	0.034823	0.028651	0.00652	0.030073	2.331451	0.519149	0.016998	208.4167	89.39357	0.078818	0.082724
3	0.012559	0.033806	0.027641	0.00652	0.029061	2.399206	0.519149	0.016518	214.1775	89.27017	0.078818	0.082724

2. By changing s^{SMDND}

Germany 1994: $g^a \gamma > g^b \kappa^c$
 $g^a \kappa^f = 0.023916$

parameters	Ω^0	π^0	k^0	s^{SPR}	s^{SPY}	s^{SMDND}	s^{SMDY}	s^{SY}	variables	δ^e	y^0	ρ^0
period $g^y(t)$	0.006	2.195003	0.039629	196.7621	0.115827	0.00459	0.014822	0.014754	0.019344	0.06423	89.64089	0.018054
1	0.004611	0.008853	0.002836	-0.00138	0.004223	2.204272	-0.29936	0.017978	197.3202	89.51714	0.019433	-0.07104
2	0.004611	0.008816	0.002799	-0.00138	0.004186	2.213498	-0.29936	0.017903	197.8725	89.39357	0.019433	-0.07104
3	0.004611	0.008779	0.002763	-0.00138	0.004149	2.222682	-0.29936	0.017829	198.4192	89.27017	0.019433	-0.07104

GERMANY (2)

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3. By changing both s^{SPR} and s^{SNDWD}

Germany 1994: $g^A \gamma^g g^{KP}$

parameters	π	Ω^P	$g^A \gamma^g$	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	δ^0	variables	y^0	ρ^0
	0.006	2.195003	0.039629	196.7621	0.312989	0.012403	0.014822	0.014638	0.027042	0.06423		89.64089	0.018054
period $g^0 \gamma(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^0(t)$	$\Omega^P(t)$	$\Omega^P(t)$	$x^{(t)=g^y \gamma^g P^0(t)}$	$P^0(t)$	$K^0(t)$	$Y^0(t)$	$I^0 \gamma^{e0}(t)$	$m^0(t)$	$g_m^0(t)$
1	0.012559	0.012474	0.006436	0.00652	-8.4E-05	2.194819	0.519149	0.018056	198.0284	90.22536	0.027381	0.238123	
2	0.012559	0.012475	0.006437	0.00652	-8.3E-05	2.194638	0.519149	0.018057	199.303	90.81364	0.027381	0.238123	-2.3E-16
3	0.012559	0.012476	0.006438	0.00652	-8.2E-05	2.194458	0.519149	0.018059	200.5861	91.40575	0.027381	0.238123	1.17E-16

COMPULSIVE POLICIES in the short run: by changing each parameter: π , Ω^P , s^{SPR} , s^{SNDWD} , and n

4. By changing π : using tax policies

Germany 1994: $g^A \gamma^g g^{KP}$

parameters	π	Ω^P	$g^A \gamma^g$	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	δ^0	variables	y^0	ρ^0
	0.006	2.195003	0.05	196.7621	0.115827	0.005791	0.066259	0.065875	0.071666	0.06423		89.64089	0.022779
period $g^0 \gamma(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^0(t)$	$\Omega^P(t)$	$\Omega^P(t)$	$x^{(t)=g^y \gamma^g P^0(t)}$	$P^0(t)$	$K^0(t)$	$Y^0(t)$	$I^0 \gamma^{e0}(t)$	$m^0(t)$	$g_m^0(t)$
1	0.005825	0.03284	0.02668	-0.00017	0.026858	2.253958	-0.02985	0.022183	202.0116	89.6253	0.072084	-0.00241	
2	0.005825	0.031981	0.025826	-0.00017	0.026004	2.312571	-0.02985	0.021621	207.2288	89.60972	0.072084	-0.00241	0
3	0.005825	0.03117	0.02502	-0.00017	0.025199	2.370844	-0.02985	0.02109	212.4137	89.59413	0.072084	-0.00241	1.8E-16

5. By changing Ω^P : using tax policies

Germany 1994: $g^A \gamma^g g^{KP}$

parameters	π	Ω^P	$g^A \gamma^g$	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	δ^0	variables	y^0	ρ^0
	0.006	2.5	0.039629	196.7621	0.115827	0.00459	0.066259	0.065955	0.070545	0.06423		78.70482	0.015852
period $g^0 \gamma(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^0(t)$	$\Omega^P(t)$	$\Omega^P(t)$	$x^{(t)=g^y \gamma^g P^0(t)}$	$P^0(t)$	$K^0(t)$	$Y^0(t)$	$I^0 \gamma^{e0}(t)$	$m^0(t)$	$g_m^0(t)$
1	0.004611	0.028348	0.022215	-0.00138	0.023628	2.559069	-0.29936	0.015486	201.1331	78.59618	0.07087	-0.01948	
2	0.004611	0.027694	0.021564	-0.00138	0.022976	2.617868	-0.29936	0.015138	205.4703	78.48768	0.07087	-0.01948	0
3	0.004611	0.027072	0.020946	-0.00138	0.022357	2.676396	-0.29936	0.014807	209.7741	78.37933	0.07087	-0.01948	0

6. By changing Ω^P and s^{SPR} : using tax policies

Germany 1994: $g^A \gamma^g g^{KP}$

parameters	π	Ω^P	$g^A \gamma^g$	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	δ^0	variables	y^0	ρ^0
	0.006	2.5	0.039629	196.7621	0.285714	0.011323	0.066259	0.065508	0.076831	0.06423		78.70482	0.015852
period $g^0 \gamma(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^0(t)$	$\Omega^P(t)$	$\Omega^P(t)$	$x^{(t)=g^y \gamma^g P^0(t)}$	$P^0(t)$	$K^0(t)$	$Y^0(t)$	$I^0 \gamma^{e0}(t)$	$m^0(t)$	$g_m^0(t)$
1	0.011452	0.031084	0.024935	0.00542	0.01941	2.548525	0.473246	0.01555	201.6683	79.13138	0.077711	0.069742	
2	0.011452	0.030493	0.024346	0.00542	0.018825	2.5965	0.473246	0.015262	206.5782	79.56025	0.077711	0.069742	0
3	0.011452	0.029929	0.023786	0.00542	0.018268	2.643932	0.473246	0.014989	211.4919	79.99145	0.077711	0.069742	0

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GERMANY (4)														
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0		
Balanced	0.006	2.195003	0.039629	196.7621	0.312989	0.012403	0.014638	0.027042		0.012559	89.64089	0.018054		
Growth														
State														
period $g_Y(t)$	$E_{KP}(t)$	$E_K(t)$	$E_Y(t)$	$E_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	198.045	90.22536	0.027568	0.236514			
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514			
1. By changing π : by using tax rate and adjusting wage level and others														
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0		
period $g_Y(t)$	$E_{KP}(t)$	$E_K(t)$	$E_Y(t)$	$E_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	198.045	90.22536	0.027568	0.236514			
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514			
2. By changing π : by using tax rate and adjusting wage level and others														
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0		
period $g_Y(t)$	$E_{KP}(t)$	$E_K(t)$	$E_Y(t)$	$E_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	198.045	90.22536	0.027568	0.236514			
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514			
3. By changing Ω_P : using tax rate and depreciation ratio and others														
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0		
period $g_Y(t)$	$E_{KP}(t)$	$E_K(t)$	$E_Y(t)$	$E_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	198.045	90.22536	0.027568	0.236514			
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514			
4. By changing Ω_P : using tax rate and depreciation ratio and others														
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0		
period $g_Y(t)$	$E_{KP}(t)$	$E_K(t)$	$E_Y(t)$	$E_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	198.045	90.22536	0.027568	0.236514			
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514			
5. By changing n as the growth rate of workers														
parameter	Ω_P^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SVDMD}	S_{SVDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0		
period $g_Y(t)$	$E_{KP}(t)$	$E_K(t)$	$E_Y(t)$	$E_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	198.045	90.22536	0.027568	0.236514			
2	0.012559	0.012559	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514			

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Table 3-5 Compulsive policies by country
Balanced Growth State

USA (1)

USA 1994: $g^a_{Y^0} = g^a_{KP} = g^a_{Y^0} = g^a_{KP}$

parameters π	Ω^0_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	variables	$\delta = g_Y$	y^0	ρ^0
period $g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{NP}(t)$	$\Omega^0_P(t)$	$x^0(t) = g_Y/g_Y(t)$	$p(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^0_m(t)$
1	0.028474	0.028474	0.013799	0.013799	0	0.21032	0.484608	0.041458	97.8742	48.68588	0.057242	0.24106
2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474	49.35769	0.057242	0.24106
3	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	100.5939	50.03876	0.057242	0.24106

USA 1994: $g^a_{Y^0} < g^a_{KP}$

parameters π	Ω^0_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	variables	δ^0	y^0	ρ^0
period $g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_k(t)$	$g^0_Y(t)$	$g^0_{NP}(t)$	$\Omega^0_P(t)$	$x^0(t) = g^0_Y/g^0_Y(t)$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.031754	0.044169	0.029269	0.017032	2.03451	0.536365	0.040965	99.36777	48.84113	0.088793	0.191811	-2.9E-16
2	0.031754	0.043644	0.028752	0.017032	2.057956	0.536365	0.040498	102.2248	49.67297	0.088793	0.191811	-2.89E-16
3	0.031754	0.043146	0.028262	0.017032	2.08068	0.536365	0.040056	105.1138	50.51898	0.088793	0.191811	-0.0367

Surplus of the nation

COMPULSIVE POLICIES in the short run: by changing s^{SPR} or s^{SNDWD}

1. By changing s^{SPR}

USA 1994: $g^a_{Y^0} < g^a_{KP}$

parameters π	Ω^0_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	variables	δ^0	y^0	ρ^0
period $g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_k(t)$	$g^0_Y(t)$	$g^0_{NP}(t)$	$\Omega^0_P(t)$	$x^0(t) = g^0_Y/g^0_Y(t)$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.028474	0.042537	0.027661	0.013799	0.010452	2.031331	0.484609	0.041029	99.21252	48.84113	0.085514	0.161364
2	0.028474	0.042097	0.027228	0.013799	0.010025	2.051696	0.484609	0.040622	101.9138	49.67297	0.085514	-1.7E-16
3	0.028474	0.04168	0.026816	0.013799	0.00962	2.071434	0.484609	0.040234	104.6467	50.51898	0.085514	1.72E-16

2. By changing s^{SNDWD}

USA 1994: $g^a_{Y^0} < g^a_{KP}$

parameters π	Ω^0_P	π^0	k^0	s^{SPR}	s^{SPY}	s^{SNDWD}	s^{SNDY}	s^{SNY}	variables	δ^0	y^0	ρ^0
period $g^0_Y(t)$	$g^0_{KP}(t)$	$g^0_k(t)$	$g^0_Y(t)$	$g^0_{NP}(t)$	$\Omega^0_P(t)$	$x^0(t) = g^0_Y/g^0_Y(t)$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^0_m(t)$
1	0.031754	0.029709	0.015016	0.017032	-0.00198	2.006336	0.536365	0.04154	97.99172	48.84113	0.059725	0.285168
2	0.031754	0.029768	0.015074	0.017032	-0.00192	2.002475	0.536365	0.04162	99.46887	49.67297	0.059725	0.285168
3	0.031754	0.029825	0.015131	0.017032	-0.00187	1.998732	0.536365	0.041698	100.9739	50.51898	0.059725	0.285168

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USA (2)

3. By changing both s^{SPP} and s^{SMDWD}

USA 1994: $g^A < g^{KP}$

parameters	Ω_p^0	π^0	k^0	g^A	g^{KP}	s^{SPP}	s^{SPRY}	s^{SMDWD}	s^{SMDY}	s^{SRY}	δ^0	variables	y^0	ρ^0
	0.014476	2.01032	0.083343	96.54203	0.332191	0.027686	0.027197	0.027197	0.054882	0.036241			48.02322	0.041458
period $g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^A(t)$	$g^{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$x^0(t) = g^A/g^y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^A(t)$	$m^0(t)$	$g^m(t)$
1	0.028474	0.028078	0.013408	0.013799	-0.00039	2.009545	0.484609	0.041474	97.83647	48.68588	0.056445	0.244464		
2	0.028474	0.028089	0.013419	0.013799	-0.00037	2.008792	0.484609	0.041489	99.14931	49.35769	0.056445	0.244464		
3	0.028474	0.028099	0.013429	0.013799	-0.00036	2.008059	0.484609	0.041504	100.4808	50.03877	0.056445	0.244464		

COMPULSIVE POLICIES in the short run: by changing each parameter: π , Ω_p , s^{SPP} , s^{SMDWD} , and η

4. By changing π : using tax policies

USA 1994: $g^A < g^{KP}$

parameters	Ω_p^0	π^0	k^0	g^A	g^{KP}	s^{SPP}	s^{SPRY}	s^{SMDWD}	s^{SMDY}	s^{SRY}	δ^0	variables	y^0	ρ^0
	0.014476	2.01032	0.1	96.54203	0.369274	0.036927	0.05704	0.054933	0.091861	0.036241			48.02322	0.049743
period $g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^A(t)$	$g^{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$x^0(t) = g^A/g^y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^A(t)$	$m^0(t)$	$g^m(t)$
1	0.038343	0.047447	0.032501	0.023527	0.008767	2.027945	0.613592	0.049311	99.67971	49.15307	0.095383	0.24666		
2	0.038343	0.047034	0.032094	0.023527	0.00837	2.044919	0.613592	0.048902	102.8788	50.3095	0.095383	0.24666		
3	0.038343	0.046644	0.031709	0.023527	0.007994	2.061266	0.613592	0.048514	106.1411	51.49314	0.095383	0.24666		

5. By changing Ω_p : using tax policies

USA 1994: $g^A < g^{KP}$

parameters	Ω_p^0	π^0	k^0	g^A	g^{KP}	s^{SPP}	s^{SPRY}	s^{SMDWD}	s^{SMDY}	s^{SRY}	δ^0	variables	y^0	ρ^0
	0.014476	2.375	0.083343	96.54203	0.369274	0.030776	0.05704	0.055284	0.086061	0.036241			40.64928	0.035092
period $g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^A(t)$	$g^{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$x^0(t) = g^A/g^y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^A(t)$	$m^0(t)$	$g^m(t)$
1	0.031754	0.037387	0.022584	0.017032	0.00546	2.387967	0.536365	0.034901	98.72235	41.3416	0.088793	0.191811		
2	0.031754	0.037184	0.022384	0.017032	0.005263	2.400534	0.536365	0.034719	100.9322	42.04571	0.088793	0.191811		
3	0.031754	0.036989	0.022192	0.017032	0.005074	2.412715	0.536365	0.034543	103.1721	42.76181	0.088793	0.191811		

6. By changing Ω_p and s^{SPP} : using tax policies

USA 1994: $g^A < g^{KP}$

parameters	Ω_p^0	π^0	k^0	g^A	g^{KP}	s^{SPP}	s^{SPRY}	s^{SMDWD}	s^{SMDY}	s^{SRY}	δ^0	variables	y^0	ρ^0
	0.014476	2.375	0.083343	96.54203	0.296296	0.024694	0.05704	0.055631	0.080325	0.036241			40.64928	0.035092
period $g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^A(t)$	$g^{KP}(t)$	$\Omega_p(t)$	$\Omega_p(t)$	$x^0(t) = g^A/g^y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^A(t)$	$m^0(t)$	$g^m(t)$
1	0.025319	0.034678	0.019914	0.010689	0.009127	2.396676	0.422172	0.034774	98.46454	41.08378	0.082359	0.129787		
2	0.025319	0.034364	0.019605	0.010689	0.008821	2.417818	0.422172	0.034447	100.3949	41.52294	0.082359	0.129787		
3	0.025319	0.034063	0.019308	0.010689	0.008528	2.438437	0.422172	0.034179	102.3333	41.96678	0.082359	0.129787		

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Corresponding with the golden age of Phelps [1961]

7. By changing Ω_p and s^{swdwd} : using tax policies

USA 1994: $g^a_{Y=g^o_{KP}} = 0.047849$ $g^a_{KP} = 0.0428$ Use $s^{swdwd} = s^{SPY}(\Omega_p - 1)/(1 - s^{SPY})$, then, $g^o_{Y=g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	s^{SPY}	s^{SPY}	s^{SWDWD}	s^{SWDWD}	δ^o	variables	y^o	ρ^o
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_k(t)$	$g^o_{\Omega P}(t)$	$\Omega^o_P(t)$	$\Omega^o_P(t)$	$x^{(t)=g^o_Y g^o_Y \rho^o(t)}$	$k^o(t)$	$y^o(t)$	$i^o_{N^e0}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.014476	2.375	0.083343	96.54203	0.369274	0.030776	0.04366	0.042318	0.073094	0.036241	40.64928	0.035092
2	0.031754	0.031754	0.017032	0.017032	0	2.375	0.536365	0.035092	98.18629	41.3416	0.075415	0.225838
3	0.031754	0.031754	0.017032	0.017032	0	2.375	0.536365	0.035092	99.85856	42.04571	0.075415	0.225838

8. By changing Ω_p and s^{swdwd} : using tax policies

USA 1994: $g^a_{Y=g^o_{KP}} = 0.047849$ $g^a_{KP} = 0.0428$ Use $s^{swdwd} = s^{SPY}(\Omega_p - 1)/(1 - s^{SPY})$, then, $g^o_{Y=g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	s^{SPY}	s^{SPY}	s^{SWDWD}	s^{SWDWD}	δ^o	variables	y^o	ρ^o
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_k(t)$	$g^o_{\Omega P}(t)$	$\Omega^o_P(t)$	$\Omega^o_P(t)$	$x^{(t)=g^o_Y g^o_Y \rho^o(t)}$	$k^o(t)$	$y^o(t)$	$i^o_{N^e0}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.014476	1.8	0.083343	96.54203	0.369274	0.030776	0.02540	0.024621	0.055398	0.036241	53.63446	0.046302
2	0.031754	0.031754	0.017032	0.017032	0	1.8	0.536365	0.046302	98.18629	54.54794	0.057157	0.29798
3	0.031754	0.031754	0.017032	0.017032	0	1.8	0.536365	0.046302	99.85856	55.47698	0.057157	0.29798

9. By changing n , Ω_p and s^{swdwd} : using tax policies

USA 1994: $g^a_{Y=g^o_{KP}} = 0.047849$ $g^a_{KP} = 0.0428$ Use $s^{swdwd} = s^{SPY}(\Omega_p - 1)/(1 - s^{SPY})$, then, $g^o_{Y=g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	s^{SPY}	s^{SPY}	s^{SWDWD}	s^{SWDWD}	δ^o	variables	y^o	ρ^o
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_k(t)$	$g^o_{\Omega P}(t)$	$\Omega^o_P(t)$	$\Omega^o_P(t)$	$x^{(t)=g^o_Y g^o_Y \rho^o(t)}$	$k^o(t)$	$y^o(t)$	$i^o_{N^e0}(t)$	$m^o(t)$	$g^o_m(t)$
1	-0.01	1.8	0.083343	96.54203	0.369274	0.030776	0.02540	0.024621	0.055398	0.036241	53.63446	0.046302
2	0.031754	0.031754	0.042175	0.042175	0	1.8	1.328206	0.046302	100.6137	55.89652	0.057157	0.737892
3	0.031754	0.031754	0.042175	0.042175	0	1.8	1.328206	0.046302	104.8572	58.25398	0.057157	0.737892

10. By changing n , Ω_p and s^{swdwd} : using tax policies

USA 1994: $g^a_{Y=g^o_{KP}} = 0.047849$ $g^a_{KP} = 0.0428$ Use $s^{swdwd} = s^{SPY}(\Omega_p - 1)/(1 - s^{SPY})$, then, $g^o_{Y=g^o_{KP}}$

parameters	n	Ω_p	π^0	k^0	s^{SPY}	s^{SPY}	s^{SWDWD}	s^{SWDWD}	δ^o	variables	y^o	ρ^o
period	$g^o_Y(t)$	$g^o_{KP}(t)$	$g^o_k(t)$	$g^o_{\Omega P}(t)$	$\Omega^o_P(t)$	$\Omega^o_P(t)$	$x^{(t)=g^o_Y g^o_Y \rho^o(t)}$	$k^o(t)$	$y^o(t)$	$i^o_{N^e0}(t)$	$m^o(t)$	$g^o_m(t)$
1	0.01	1.8	0.083343	96.54203	0.369274	0.030776	0.02540	0.024621	0.055398	0.036241	53.63446	0.046302
2	0.031754	0.031754	0.021538	0.021538	0	1.8	0.678293	0.046302	98.62138	54.78966	0.057157	0.376829
3	0.031754	0.031754	0.021538	0.021538	0	1.8	0.678293	0.046302	100.7455	55.96973	0.057157	0.376829

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USA (4)													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SWD}	S_{SWDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
Balanced Growth State	0.014476	2.01032	0.083343	96.54203	0.332191	0.027686	0.027197	0.054883		0.028474	48.02322	0.041458	
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	97.8742	48.68588	0.057242	0.24106	
2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474	49.35769	0.057242	0.24106	0
1. By changing π : by using tax rate and adjusting wage level and others													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SWD}	S_{SWDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	97.8742	48.68588	0.057242	0.24106	0
2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474	49.35769	0.057242	0.24106	0
2. By changing π : by using tax rate and adjusting wage level and others													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SWD}	S_{SWDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	97.8742	48.68588	0.057242	0.24106	0
2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474	49.35769	0.057242	0.24106	0
3. By changing Ω_P : using tax rate and depreciation ratio and others													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SWD}	S_{SWDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	97.8742	48.68588	0.057242	0.24106	0
2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474	49.35769	0.057242	0.24106	0
4. By changing Ω_P : using tax rate and depreciation ratio and others													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SWD}	S_{SWDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	97.8742	48.68588	0.057242	0.24106	0
2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474	49.35769	0.057242	0.24106	0
5. By changing n as the growth rate of workers													
parameter	Ω^0	π^0	k^0	S_{SP}	S_{SPY}	S_{SWD}	S_{SWDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.028474	0.028474	0.028474	0.028474	0	2.01032	0.484608	0.041458	99.29098	49.39064	0.057242	0.497433	

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Table 3-6 Compulsive policies by country
Balanced Growth State **AUSTRALIA (1)**

Australia 1994: $g^y = g^{kp} = g^y = g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$	
parameters	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0
period $g^y(t)$	0.04	2.222986	0.056276	108.0729	0.310271	0.017461	0.021355	0.020982	0.038443
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	103.5024
3	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	101.2902
Unbalanced Growth State		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$	
parameters	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0
period $g^y(t)$	0.04	2.222986	0.056276	108.0729	0.427437	0.024055	0.052953	0.051679	0.075734
1	0.024648	0.034908	-0.0049	-0.01476	0.010014	2.245246	-0.59892	0.025065	107.5438
2	0.024648	0.034562	-0.00523	-0.01476	0.009676	2.266971	-0.59892	0.024824	106.9814
3	0.024648	0.034231	-0.00555	-0.01476	0.009353	2.288174	-0.59892	0.024594	106.388
				Surplus of the nation				-0.0672 Budget deficit	

COMPULSIVE POLICIES in the short run: by changing $s^{SP/P}$ or s^{SWDWD}

1. By changing $s^{SP/P}$

Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$	
parameters	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0
period $g^y(t)$	0.04	2.222986	0.056276	108.0729	0.310271	0.017461	0.052953	0.052028	0.069489
1	0.017771	0.031815	-0.00787	-0.02137	0.006995	2.238535	-1.20272	0.02514	107.2223
2	0.017771	0.031594	-0.00808	-0.02137	0.006779	2.253711	-1.20272	0.024971	106.3557
3	0.017771	0.031381	-0.00829	-0.02137	0.006572	2.268521	-1.20272	0.024808	105.4743

2. By changing s^{SWDWD}

Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$		Australia 1994: $g^y < g^{kp}$	
parameters	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0	Ω^0	π^0
period $g^y(t)$	0.04	2.222986	0.056276	108.0729	0.427437	0.024055	0.021355	0.020841	0.044896
1	0.024648	0.020694	-0.01856	-0.01476	-0.00386	2.214409	-0.59892	0.025414	106.0667
2	0.024648	0.020774	-0.01849	-0.01476	-0.00378	2.206038	-0.59892	0.02551	104.1059
3	0.024648	0.020853	-0.01841	-0.01476	-0.0037	2.197868	-0.59892	0.025605	102.1893

AUSTRALIA (2)

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3. By changing both s^{SPR} and s^{SVDWD}
Australia 1994: $g^Y < g^{KP}$

parameters	π^0	k^0	$g^Y(t)$	$g^{KP}(t)$	g^{SPR}	g^{SVDWD}	s^{SPR}	s^{SVDWD}	s^{SY}	δ^0	variables	y^0	ρ^0
0.04	2.222986	0.056276	108.0729	0.310271	0.017461	0.021355	0.020982	0.038443	0.040363			48.6161	0.025316
period	$g^Y(t)$	$g^{KP}(t)$	$g^Y(t)$	$g^{KP}(t)$	$\Omega^0 P(t)$	$x^0(t) = g^Y/g^Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	δ^0	$\rho^{SPR}(t)$	$m^0(t)$	$g^m(t)$
1	0.017771	0.017601	-0.02154	-0.00017	2.222613	-1.20272	0.02532	105.7452	47.57699	0.039126		-0.54628	
2	0.017771	0.017604	-0.02153	-0.00016	2.222247	-1.20272	0.025324	103.468	46.56009	0.039126		-0.54628	0
3	0.017771	0.017607	-0.02153	-0.00016	2.221888	-1.20272	0.025328	101.2402	45.56492	0.039126		-0.54628	0

COMPULSIVE POLICIES in the short run: by changing each parameter: π , Ω_P , s^{SPR} , s^{SVDWD} , and n

4. By changing π : using tax policies
Australia 1994: $g^Y < g^{KP}$

parameters	π^0	k^0	$g^Y(t)$	$g^{KP}(t)$	g^{SPR}	g^{SVDWD}	s^{SPR}	s^{SVDWD}	s^{SY}	δ^0	variables	y^0	ρ^0
0.04	2.222986	0.065	108.0729	0.427437	0.027783	0.052953	0.051481	0.079265	0.040363			48.6161	0.02924
period	$g^Y(t)$	$g^{KP}(t)$	$g^Y(t)$	$g^{KP}(t)$	$\Omega^0 P(t)$	$x^0(t) = g^Y/g^Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	δ^0	$\rho^{SPR}(t)$	$m^0(t)$	$g^m(t)$
1	0.028577	0.036676	-0.0032	-0.01098	0.007874	2.240488	0.029012	107.7275	48.08214	0.08153		-0.13471	
2	0.028577	0.036389	-0.00347	-0.01098	0.007595	2.257505	0.028793	107.5535	47.55404	0.08153		-0.13471	-4.1E-16
3	0.028577	0.036115	-0.00374	-0.01098	0.007328	2.274049	0.028583	106.9525	47.03174	0.08153		-0.13471	0

5. By changing Ω_P : using tax policies
Australia 1994: $g^Y < g^{KP}$

parameters	π^0	k^0	$g^Y(t)$	$g^{KP}(t)$	g^{SPR}	g^{SVDWD}	s^{SPR}	s^{SVDWD}	s^{SY}	δ^0	variables	y^0	ρ^0
0.04	2.5	0.056276	108.0729	0.427437	0.024055	0.052953	0.051679	0.075734	0.040363			43.22916	0.022511
period	$g^Y(t)$	$g^{KP}(t)$	$g^Y(t)$	$g^{KP}(t)$	$\Omega^0 P(t)$	$x^0(t) = g^Y/g^Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	δ^0	$\rho^{SPR}(t)$	$m^0(t)$	$g^m(t)$
1	0.024648	0.03104	-0.00862	-0.01476	0.006239	2.515597	-0.59892	0.022371	107.1418	42.59101		0.0776	-0.19023
2	0.024648	0.030848	-0.0088	-0.01476	0.006051	2.530819	-0.59892	0.022236	106.1989	41.96228		0.0776	-0.19023
3	0.024648	0.030662	-0.00898	-0.01476	0.00587	2.545674	-0.59892	0.022107	105.2454	41.34283		0.0776	-0.19023

6. By changing Ω_P and s^{SPR} : using tax policies
Australia 1994: $g^Y < g^{KP}$

parameters	π^0	k^0	$g^Y(t)$	$g^{KP}(t)$	g^{SPR}	g^{SVDWD}	s^{SPR}	s^{SVDWD}	s^{SY}	δ^0	variables	y^0	ρ^0
0.04	2.5	0.056276	108.0729	0.285714	0.016079	0.052953	0.052101	0.06818	0.040363			43.22916	0.022511
period	$g^Y(t)$	$g^{KP}(t)$	$g^Y(t)$	$g^{KP}(t)$	$\Omega^0 P(t)$	$x^0(t) = g^Y/g^Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	δ^0	$\rho^{SPR}(t)$	$m^0(t)$	$g^m(t)$
1	0.016342	0.027718	-0.01181	-0.02275	0.011193	2.527983	-1.39204	0.022261	106.7966	42.24577		0.069294	-0.32829
2	0.016342	0.027411	-0.0121	-0.02275	0.010891	2.555516	-1.39204	0.022022	105.5038	41.28475		0.069294	-0.32829
3	0.016342	0.027116	-0.01239	-0.02275	0.010601	2.582606	-1.39204	0.021791	104.1967	40.34559		0.069294	-1.7E-16

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Corresponding with the golden age of Phelps [1961]

7. By changing Ω_p and s^{swdwd} : using tax policies

Australia 1994: $g^a_{Y < g^b_{KP}}$ $g^a_{Y < g^b_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{\Omega P(t)}$	$\Omega^0_P(t)$	Ω^0_{SPY}	s^{swdwd}	s^{swdy}	δ^0	variables	then, $g^0_{Y < g^b_{KP}}$
		0.04	2.5	0.056276	108.0729	0.427437	0.024055	0.03697	0.036082	0.060137	0.040363		y^0	43.22916
period	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{k(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$\chi^0(t)=g^0_{Y < g^b_{KP}}$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0_{\Lambda^{EO}}(t)$	$m^0(t)$	$g^0_{m(t)}$
1	0.024648	0.024648	-0.01476	-0.01476	0	2.5	-0.59892	0.022511	106.4775	42.59101	0.061619	-0.23957		
2	0.024648	0.024648	-0.01476	-0.01476	0	2.5	-0.59892	0.022511	104.9057	41.96228	0.061619	-0.23957		0
3	0.024648	0.024648	-0.01476	-0.01476	0	2.5	-0.59892	0.022511	103.3571	41.34283	0.061619	-0.23957		0

Use $s^{swdwd}=s^{SPY}(\Omega_P-1)/(1-s^{SPY})$, then, $g^0_{Y < g^b_{KP}}$

8. By changing Ω_p and s^{swdwd} : using tax policies

Australia 1994: $g^a_{Y < g^b_{KP}}$ $g^a_{Y < g^b_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{\Omega P(t)}$	$\Omega^0_P(t)$	Ω^0_{SPY}	s^{swdwd}	s^{swdy}	δ^0	variables	then, $g^0_{Y < g^b_{KP}}$
		0.04	2	0.056276	108.0729	0.427437	0.024055	0.02465	0.024055	0.048109	0.040363		y^0	54.03645
period	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{k(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$\chi^0(t)=g^0_{Y < g^b_{KP}}$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0_{\Lambda^{EO}}(t)$	$m^0(t)$	$g^0_{m(t)}$
1	0.024648	0.024648	-0.01476	-0.01476	0	2	-0.59892	0.028138	106.4775	53.23876	0.049295	-0.29946		
2	0.024648	0.024648	-0.01476	-0.01476	0	2	-0.59892	0.028138	104.9057	52.45285	0.049295	-0.29946		0
3	0.024648	0.024648	-0.01476	-0.01476	0	2	-0.59892	0.028138	103.3571	51.67854	0.049295	-0.29946		0

Use $s^{swdwd}=s^{SPY}(\Omega_P-1)/(1-s^{SPY})$, then, $g^0_{Y < g^b_{KP}}$

9. By changing n , Ω_p and s^{swdwd} : using tax policies

Australia 1994: $g^a_{Y < g^b_{KP}}$ $g^a_{Y < g^b_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{\Omega P(t)}$	$\Omega^0_P(t)$	Ω^0_{SPY}	s^{swdwd}	s^{swdy}	δ^0	variables	then, $g^0_{Y < g^b_{KP}}$
		-0.01	2	0.056276	108.0729	0.427437	0.024055	0.02465	0.024055	0.048109	0.040363		y^0	54.03645
period	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{k(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$\chi^0(t)=g^0_{Y < g^b_{KP}}$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0_{\Lambda^{EO}}(t)$	$m^0(t)$	$g^0_{m(t)}$
1	0.024648	0.024648	0.034997	0.034997	0	2	1.41992	0.028138	111.8552	55.92759	0.049295	0.70996		
2	0.024648	0.024648	0.034997	0.034997	0	2	1.41992	0.028138	115.7698	57.88491	0.049295	0.70996		0
3	0.024648	0.024648	0.034997	0.034997	0	2	1.41992	0.028138	119.8215	59.91074	0.049295	0.70996		0

Use $s^{swdwd}=s^{SPY}(\Omega_P-1)/(1-s^{SPY})$, then, $g^0_{Y < g^b_{KP}}$

10. By changing n , Ω_p and s^{swdwd} : using tax policies

Australia 1994: $g^a_{Y < g^b_{KP}}$ $g^a_{Y < g^b_{KP}}$

parameters	n	Ω_p	π^0	k^0	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{\Omega P(t)}$	$\Omega^0_P(t)$	Ω^0_{SPY}	s^{swdwd}	s^{swdy}	δ^0	variables	then, $g^0_{Y < g^b_{KP}}$
		0.02	2	0.056276	108.0729	0.427437	0.024055	0.02465	0.024055	0.048109	0.040363		y^0	54.03645
period	$g^0_{Y(t)}$	$g^0_{KP(t)}$	$g^0_{k(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$g^0_{Y(t)}$	$\chi^0(t)=g^0_{Y < g^b_{KP}}$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0_{\Lambda^{EO}}(t)$	$m^0(t)$	$g^0_{m(t)}$
1	0.024648	0.024648	0.004556	0.004556	0	2	0.184862	0.028138	108.5653	54.28266	0.049295	0.092431		
2	0.024648	0.024648	0.004556	0.004556	0	2	0.184862	0.028138	109.06	54.52999	0.049295	0.092431		0
3	0.024648	0.024648	0.004556	0.004556	0	2	0.184862	0.028138	109.5569	54.77845	0.049295	0.092431		0

Use $s^{swdwd}=s^{SPY}(\Omega_P-1)/(1-s^{SPY})$, then, $g^0_{Y < g^b_{KP}}$

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AUSTRALIA (4)													
parameter	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SVDWD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
Balanced	0.04	2.222986	0.056276	108.0729	0.310271	0.017461	0.021355	0.020982	0.038443	0.017771	48.6161	0.025316	
Growth													
State													
period $gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{CP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763	47.57699	0.039505	-0.54104	
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	103.5024	46.56009	0.039505	-0.54104	0
1. By changing π : by using tax rate and adjusting wage level and others													
parameter	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SVDWD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period $gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{CP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763	47.57699	0.039505	-0.54104	
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	103.5024	46.56009	0.039505	-0.54104	0
2. By changing π : by using tax rate and adjusting wage level and others													
parameter	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SVDWD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period $gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{CP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763	47.57699	0.039505	-0.54104	
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	103.5024	46.56009	0.039505	-0.54104	0
3. By changing Ω_P : using tax rate and depreciation ratio and others													
parameter	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SVDWD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period $gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{CP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763	47.57699	0.039505	-0.54104	
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	103.5024	46.56009	0.039505	-0.54104	0
4. By changing Ω_P : using tax rate and depreciation ratio and others													
parameter	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SVDWD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period $gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{CP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763	47.57699	0.039505	-0.54104	
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	103.5024	46.56009	0.039505	-0.54104	0
5. By changing n as the growth rate of workers													
parameter	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SVDWD}	S_{SVDY}	S_{SY}	variables	$\delta=gy$	y^0	ρ^0	
period $gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{CP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
1	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	109.9955	49.48007	0.039505	0.449845	
2	0.017771	0.017771	-0.02137	-0.02137	0	2.222986	-1.20272	0.025316	105.763	47.57699	0.039505	-0.54104	0

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Table 4-1 Balanced and unbalanced growth state by period: Japan

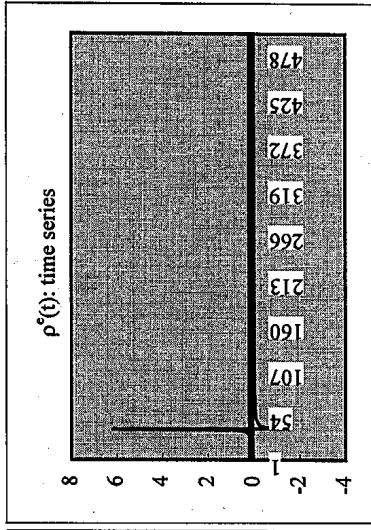
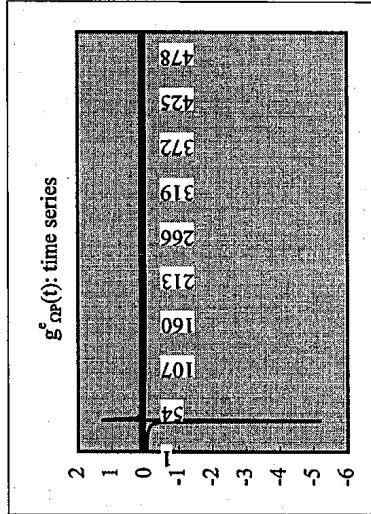
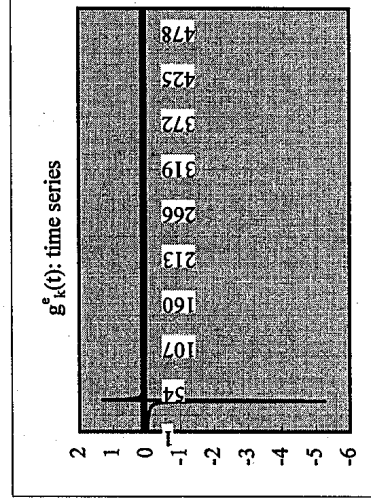
Japan 1994: $g^y = g^{kp} = g^y = g^{kp}$

JAPAN (I)

Balanced growth		n	Ω^0_P	π^0	k^0	S^{SP}	S^{SPY}	S^{SPDND}	S^{SPDY}	S^{SY}	variables	$\delta = g^y$	y^0	ρ^0
	$g^y(t)$	0.001156	2.72746	0.058736	16.66879	0.268279	0.015758	0.027221	0.026792	0.04255	$k(t)$	$Y(t)$	$m(t)$	$g^m(t)$
1	$g^{kp}(t)$	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.9267	0.021535	16.91609	6.202142	0.043667	0.339765	
2	$g^y(t)$	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.16707	6.29416	0.043667	0.339765	0
3	$g^y(t)$	0.01601	0.01601	0.014836	0.014836	0	2.72746	0.926695	0.021535	17.42177	6.387543	0.043667	0.339765	0

Japan 1994: $g^y > g^{kp}$ $g^{kp} = -0.018030$

Unbalanced growth		n	Ω^0_P	π^0	k^0	S^{SP}	S^{SPY}	S^{SPDND}	S^{SPDY}	S^{SY}	δ^e	variables	y^0	ρ^0
	$g^y(t)$	0.001156	2.72746	0.058736	16.66879	0.33304	0.019562	-0.07011	-0.06874	-0.04918	0.045593	$k(t)$	$Y^e(t)$	$g^m(t)$
1	$g^{kp}(t)$	-0.01839	-0.01952	0.018774	-0.03759	2.62493	0.94095	0.022376	16.34335	6.226205	6.226205	$m^e(t)$	$m^e(t)$	$g^m(t)$
2	$g^{kp}(t)$	-0.01911	-0.02024	0.018774	-0.0383	2.524405	0.94095	0.023267	16.01254	6.343094	6.343094	$m^e(t)$	$m^e(t)$	$g^m(t)$
3	$g^{kp}(t)$	-0.01987	-0.021	0.018774	-0.03904	2.425847	0.94095	0.024213	15.67625	6.462177	6.462177	$m^e(t)$	$m^e(t)$	$g^m(t)$
498	$g^{kp}(t)$	0.019952	0.019954	0.018776	0.018774	2.22E-06	-2.51367	0.94095	-0.02337	-161869	64395.48	-0.05016	-0.37429	-1.5E-16
499	$g^{kp}(t)$	0.019952	0.019954	0.018776	0.018774	2.18E-06	-2.51367	0.94095	-0.02337	-164908	65604.42	-0.05016	-0.37429	2.97E-16
500	$g^{kp}(t)$	0.019952	0.019954	0.018776	0.018774	2.13E-06	-2.51368	0.94095	-0.02337	-168004	66836.06	-0.05016	-0.37429	0



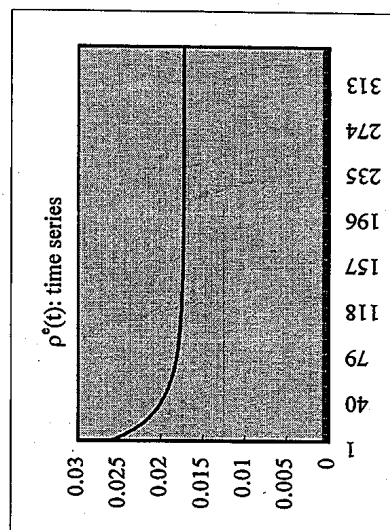
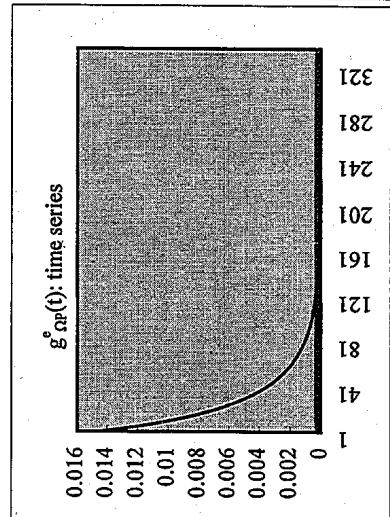
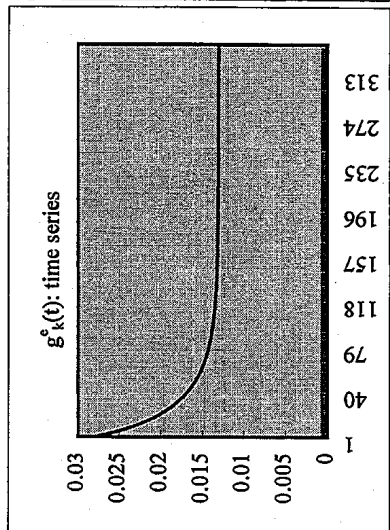
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Japan 1982: $g^e_{Y-g_{KP}} = g^e_{Y-g_{KP}}$

JAPAN (3)												
Balanced growth	n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SY}	variables	$\delta = g^e_Y$	y^0	ρ^0
	0.015137	2.129554	0.056292	8.374771	0.319534	0.017987	0.020317	0.019952	0.037939	0.018317	3.932641	0.026434
period	$g^e_Y(t)$	$g^e_{KP}(t)$	$g^e_k(t)$	$g^e_{\Omega P}(t)$	$\Omega^0_P(t)$	$x(t) = g^e_Y(t) \rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m^0(t)$	$g^e_m(t)$	
1	0.018317	0.018317	0.003133	0.003133	0	2.129554	0.17103	0.026434	8.401007	3.944961	0.039006	0.080313
2	0.018317	0.018317	0.003133	0.003133	0	2.129554	0.17103	0.026434	8.427325	3.957319	0.039006	0.080313
3	0.018317	0.018317	0.003133	0.003133	0	2.129554	0.17103	0.026434	8.453726	3.969716	0.039006	0.080313

Japan 1982: $g^e_{Y-g_{KP}} < g^e_{KP}$

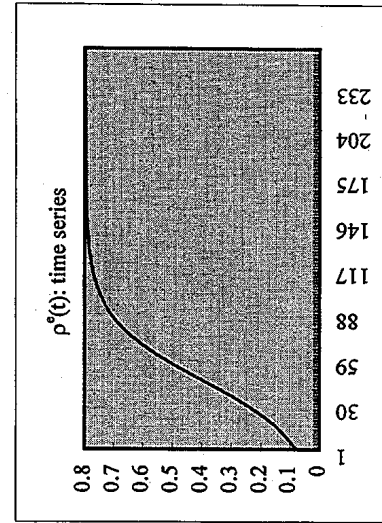
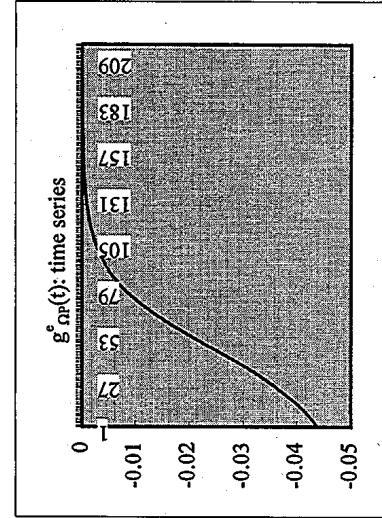
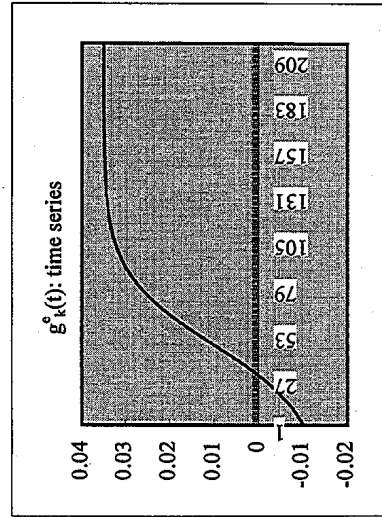
Unbalanced growth												
n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SY}	variables	$\delta = g^e_Y$	y^0	ρ^0	
	0.015137	2.129554	0.056292	8.374771	0.490828	0.02763	0.064022	0.062253	0.089883	0.044644	3.932641	0.026434
period	$g^e_Y(t)$	$g^e_{KP}(t)$	$g^e_k(t)$	$g^e_{\Omega P}(t)$	$\Omega^0_P(t)$	$x^0(t) = g^e_Y(t) \rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^e_m(t)$	
1	0.028415	0.043407	0.027849	0.01308	0.014578	2.160598	0.460332	0.026054	8.607997	3.984081	0.092437	0.141504
2	0.028415	0.042783	0.027234	0.01308	0.013971	2.190784	0.460332	0.025695	8.842428	4.036193	0.092437	0.141504
3	0.028415	0.042193	0.026653	0.01308	0.013398	2.220136	0.460332	0.025355	9.07811	4.088987	0.092437	0.141504
336	0.028415	0.028416	0.013081	0.01308	8E-07	3.253038	0.460332	0.017304	1007.626	309.7491	0.092437	0.141504
337	0.028415	0.028416	0.013081	0.01308	7.78E-07	3.25304	0.460332	0.017304	1020.806	313.8007	0.092437	0.141504
338	0.028415	0.028415	0.013081	0.01308	7.57E-07	3.253043	0.460332	0.017304	1034.159	317.9053	0.092437	0.141504



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Table 4-2 Balanced and unbalanced growth state by period: Sweden

SWEDEN (1)														
Sweden 1994: $g^a = g^{kp} = g^y = g^{kp}$														
Balanced growth		n	Ω^0_p	π^0	k^0	s^{spp}	s^{sry}	s^{smdnd}	s^{smdy}	s^{sry}	variables	$\delta = g^y$	y^0	ρ^0
period	$g^y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_\pi(t)$	$g_y(t)$	$g_{sp}(t)$	$\Omega_p(t)$	$x(t) = g^y(t) \rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
	0.015211	1.492879	0.114159	470.8148	0.401143	0.045794	0.022571	0.021537	0.067331	0.047992	315.3738	0.076469		
1	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	486.0173	325.5571	0.071646	0.450687		
2	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	501.7107	336.0693	0.071646	0.450687	0	
3	0.047992	0.047992	0.03229	0.03229	0	1.492879	0.67282	0.076469	517.9108	346.9209	0.071646	0.450687	0	
Sweden 1994: $g^a = g^{kp} = g^y = g^{kp}$														
Unbalanced growth		n	Ω^0_p	π^0	k^0	s^{spp}	s^{sry}	s^{smdnd}	s^{smdy}	s^{sry}	δ^0	variables	y^0	ρ^0
period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^y(t)$	$g^{sp}(t)$	$\Omega^0_p(t)$	$x(t) = g^y(t) \rho(t)$	$k^0(t)$	$y^0(t)$	$I/Y^0(t)$	$m^0(t)$	$g^m(t)$	
	0.015211	1.492879	0.114159	470.8148	0.423727	0.048372	-0.04355	-0.04144	0.006933	0.073374	315.3738	0.076469		
1	0.050831	0.00488	-0.01018	0.035086	-0.04373	1.427598	0.690259	0.079966	466.024	326.4392	0.007286	4.815663		
2	0.050831	0.005104	-0.00996	0.035086	-0.04352	1.365476	0.690259	0.083604	461.3844	337.8928	0.007286	4.815663	0	
3	0.050831	0.005336	-0.00973	0.035086	-0.04329	1.306358	0.690259	0.087387	456.8966	349.7482	0.007286	4.815663	0	
256	0.050831	0.050829	0.035085	0.035086	-1.5E-06	0.14334	0.690259	0.796417	308470.3	2152013	0.007286	4.815663	1.84E-16	
257	0.050831	0.050829	0.035085	0.035086	-1.4E-06	0.14334	0.690259	0.796418	319293	2227519	0.007286	4.815663	0	
258	0.050831	0.05083	0.035085	0.035086	-1.3E-06	0.14334	0.690259	0.796419	330495.4	2305675	0.007286	4.815663	0	



SW 94 89 82

Sweden 1989: $g^y = g^{kp} = g^y = g^{kp}$ **SWEDEN (2)**

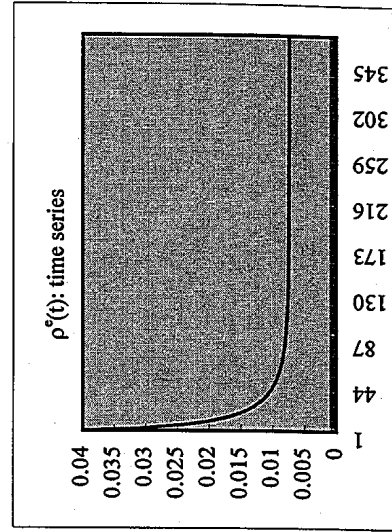
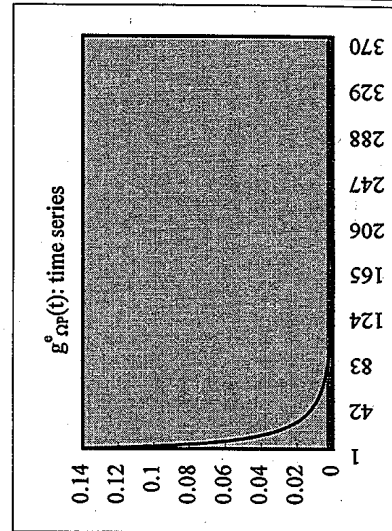
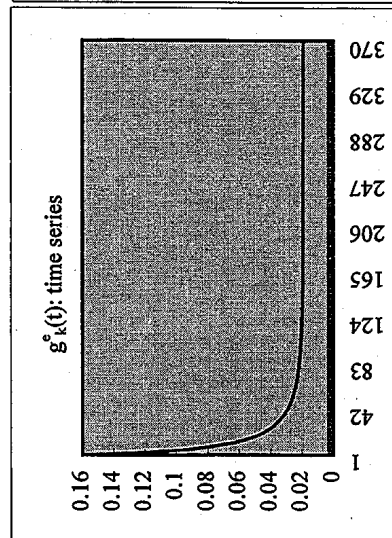
Balanced growth

period	n	Ω^0	π^0	k^0	S_{SPY}	S_{SPY}	S_{SMDWD}	S_{SMDWD}	S_{SY}	variables	$\delta = g^y$	y^0	ρ^0
		0.009228	1.41286	0.062352	327.0626	0.414446	0.025841	0.010393	0.036235		0.026527	231.4898	0.044132
		$g^y(t)$	$g^{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{SPY}(t)$	$\Omega_P(t)$	$\pi(t) = g^y / g^y(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1		0.026527	0.026527	0.017141	0.017141	0	1.41286	0.64617	0.044132	332.6688	235.4577	0.037479	0.457349
2		0.026527	0.026527	0.017141	0.017141	0	1.41286	0.64617	0.044132	338.371	239.4937	0.037479	0.457349
3		0.026527	0.026527	0.017141	0.017141	0	1.41286	0.64617	0.044132	344.171	243.5988	0.037479	0.457349

Sweden 1989: $g^y < g^{kp}$ $g^{kp} = 0.1646$

Unbalanced growth

period	n	Ω^0	π^0	k^0	S_{SPY}	S_{SPY}	S_{SMDWD}	S_{SMDWD}	S_{SY}	δ^0	variables	y^0	ρ^0
		0.009228	1.41286	0.062352	327.0626	0.4449	0.02774	0.210638	0.204795	0.232535	0.069738	231.4898	0.044132
		$g^y(t)$	$g^{kp}(t)$	$g_k(t)$	$g^y(t)$	$\Omega^0_P(t)$	$\pi^0(t) = g^y / g^y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0 / Y^{e0}(t)$	$m^0(t)$	$g^0_m(t)$
1		0.028532	0.169281	0.158589	0.019127	0.136844	1.606202	0.670391	0.038819	378.9313	235.9176	0.23917	0.079974
2		0.028532	0.148904	0.138399	0.019127	0.117033	1.794181	0.670391	0.034752	431.375	240.4301	0.23917	0.079974
3		0.028532	0.133303	0.122941	0.019127	0.101865	1.976945	0.670391	0.031539	484.4085	245.0289	0.23917	0.079974
369		0.028532	0.028533	0.019128	0.019127	7.36E-07	8.382358	0.670391	0.007438	2109664	251679.1	0.23917	0.079974
370		0.028532	0.028533	0.019128	0.019127	7.16E-07	8.382364	0.670391	0.007438	2150018	256493.1	0.23917	0.079974
371		0.028532	0.028532	0.019128	0.019127	6.96E-07	8.382369	0.670391	0.007438	2191144	261399.2	0.23917	0.079974



UK 94 89 82

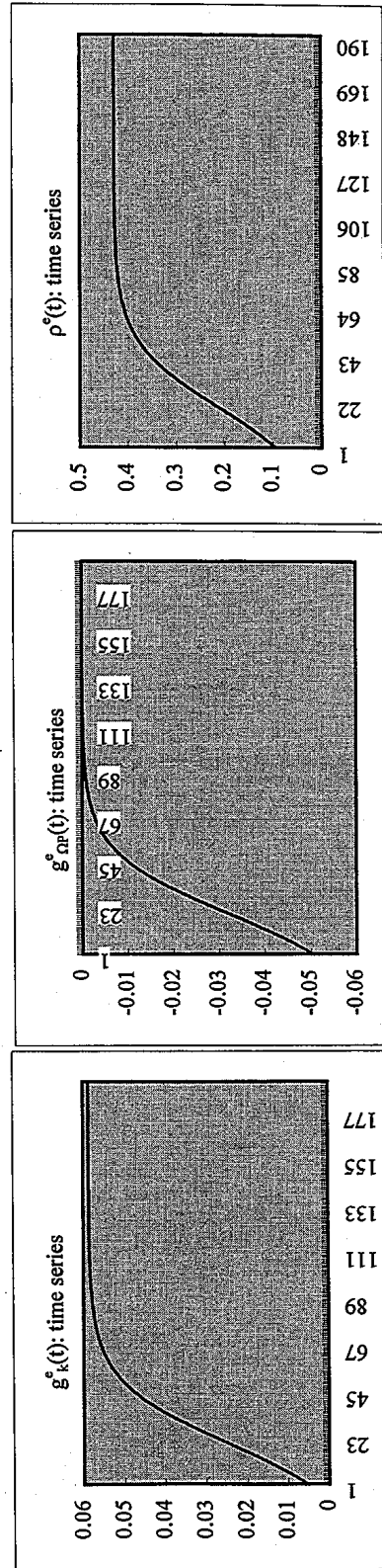
Table 4-3 Balanced and unbalanced growth state by period: UK

UK 1994: $g^y = g^k = g^{kp} = g^m = g^p$

Balanced growth		Ω^0		π^0		k^0		S^{SPY}		S^{SMDWD}		S^{SMDY}		S^{SY}		variables		$\delta = g^y$		y^0		ρ^0	
period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^k(t)$	$g^y(t)$	$g^k(t)$	$\Omega^p(t)$	$\Omega^p(t)$	$\rho(t)$	$\rho(t)$	$\rho(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$
1	0.009251	1.290521	0.118259	30.01058	0.436582	0.05163	0.014999	0.014225	0.065855	0.05444	23.25464	0.091637	0.05444	23.25464	0.091637	0.05444	23.25464	0.091637	0.05444	23.25464	0.091637	0.05444	23.25464
2	0.05444	0.05444	0.044775	0.044775	-6.6E-18	1.290521	0.82246	0.091637	31.35432	24.29587	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257
3	0.05444	0.05444	0.044775	0.044775	-6.6E-18	1.290521	0.822464	0.091637	34.22498	26.52029	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257	0.637312	0.070257

UK 1994: $g^y < g^{kp}$

Unbalanced growth		Ω^0		π^0		k^0		S^{SPY}		S^{SMDWD}		S^{SMDY}		S^{SY}		variables		δ^0		y^0		ρ^0	
period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^{kp}(t)$	$\Omega^p(t)$	$\Omega^p(t)$	$\rho(t)$	$\rho(t)$	$\rho(t)$	$k^0(t)$	$y^0(t)$	$I/Y^0(t)$	$m^0(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$	$g^m(t)$
1	0.068449	0.014653	0.005353	0.058656	-0.05035	1.225544	0.856923	0.096495	30.17123	24.61865	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911
2	0.068449	0.01543	0.006123	0.058656	-0.04962	1.164729	0.856923	0.101533	30.35597	26.06268	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911
3	0.068449	0.016236	0.006921	0.058656	-0.04887	1.107811	0.856923	0.10675	30.56606	27.59141	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911
190	0.068449	0.068448	0.058655	0.058656	-8.6E-07	0.276275	0.856923	0.428048	324532.5	1174671	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911
191	0.068449	0.068448	0.058655	0.058656	-8.1E-07	0.276275	0.856923	0.428048	343568	1243572	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911
192	0.068449	0.068449	0.058655	0.058656	-7.6E-07	0.276275	0.856923	0.428048	363719.9	1316515	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911	3.101739	0.018911



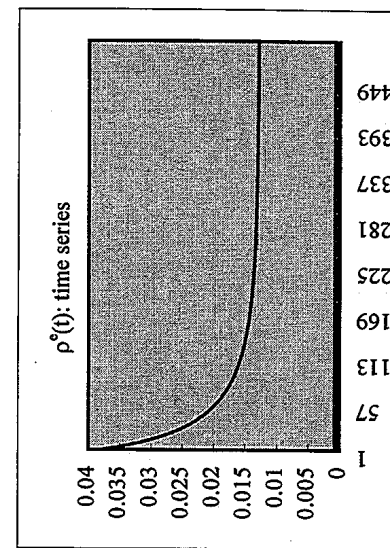
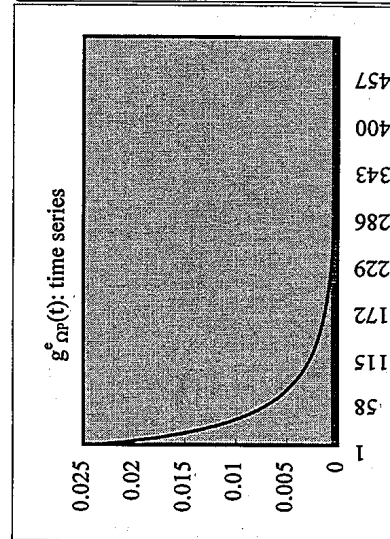
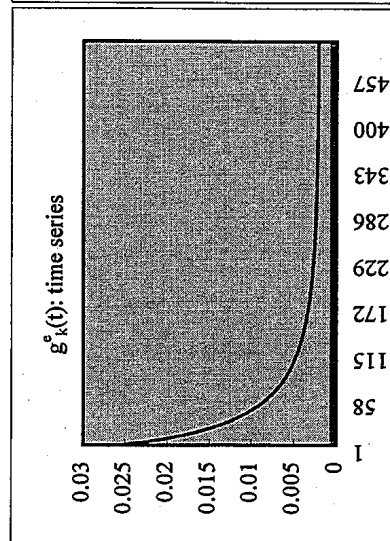
UK 94 89 82

UK 1989: $g^a = g^b_{KP} = g^c_{Y} = g^d_{KP}$

Balanced growth										UK (2)		
period	n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	variables	$\delta = g_Y$	y^0	ρ^0
	0.009767	1.523692	0.059158	25.7093	0.396245	0.023441	0.012276	0.011988	0.035429	0.024004	16.87303	0.038826
	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{NP}(t)$	$\Omega_P(t)$	$x(t) = g_Y/g_Y(t)$	$p(t)$	$k(t)$	$y(t)$	$m(t)$	$g^m(t)$
1	0.024004	0.024004	0.014099	0.014099	0	1.523692	0.58738	0.038826	26.07178	17.11093	0.036574	0.385497
2	0.024004	0.024004	0.014099	0.014099	0	1.523692	0.58738	0.038826	26.43938	17.35218	0.036574	0.385497
3	0.024004	0.024004	0.014099	0.014099	0	1.523692	0.58738	0.038826	26.81216	17.59684	0.036574	0.385497

UK 1989: $g^a_{Y} < g^b_{KP}$ $g^a_{Y} = 0.058315$ $g^b_{KP} = 0.0352$

Unbalanced growth										variables		variables		
period	n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	δ^0	y^0	ρ^0	y^0	ρ^0	
	0.009767	1.523692	0.059158	25.7093	0.1985	0.011743	0.042459	0.04196	0.053703	0.051296	16.87303	0.038826	16.87303	0.038826
	$g^a_Y(t)$	$g^b_{KP}(t)$	$g^c_K(t)$	$g^d_Y(t)$	$g^e_{NP}(t)$	$\Omega^0_P(t)$	$x^0(t) = g^a_Y/g^b_{KP}$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^m(t)$	$g^a_{Y^0}(t)$	$g^m(t)$
1	0.011882	0.035664	0.025647	0.002095	0.023503	1.559502	0.176328	0.037934	26.36867	16.90838	0.054341	0.038556	16.90838	0.054341
2	0.011882	0.034845	0.024836	0.002095	0.022693	1.594893	0.176328	0.037092	27.02356	16.94381	0.054341	0.038556	16.94381	0.054341
3	0.011882	0.034072	0.02407	0.002095	0.021929	1.629867	0.176328	0.036296	27.67403	16.97931	0.054341	0.038556	16.97931	0.054341
498	0.011882	0.011905	0.002117	0.002095	2.21E-05	4.564748	0.176328	0.01296	218.4167	47.84858	0.054341	0.038556	47.84858	0.054341
499	0.011882	0.011905	0.002117	0.002095	2.19E-05	4.564848	0.176328	0.01296	218.8792	47.94884	0.054341	0.038556	47.94884	0.054341
500	0.011882	0.011904	0.002117	0.002095	2.16E-05	4.564947	0.176328	0.012959	219.3425	48.0493	0.054341	0.038556	48.0493	0.054341



UK 94 89 82

UK 1982: $g^y = g^{kp} = g^y = g^{kp}$

Balanced growth

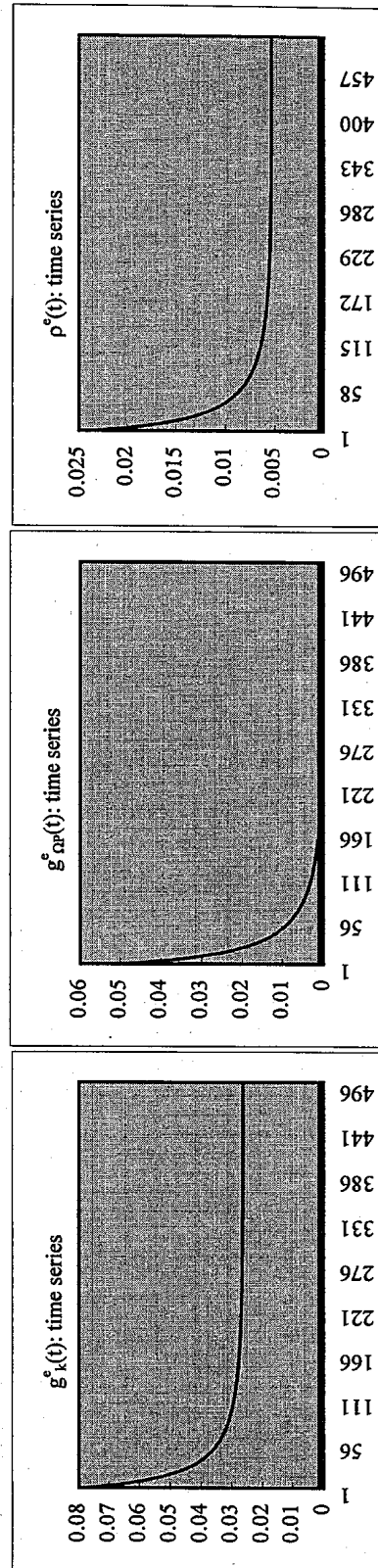
period	$g^y(t)$	$g^{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{kp}(t)$	Ω_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SNDWD}	S_{SNDWD}	S_{SNY}	variables	$\delta = g^y$	y^0	ρ^0
	-0.01181	1.032773	0.025426	10.53266	0.491939	0.012508	0.00041	0.000405	0.012913						0.012666	10.19843	0.024619
1	0.012666	0.012666	0.024768	0.024768	0	1.032773	$x(t) = g^y/g^y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m^*(t)$				
2	0.012666	0.012666	0.024768	0.024768	0	1.032773	1.95542	0.024619	11.06087	10.70988	0.013082	1.893367					
3	0.012666	0.012666	0.024768	0.024768	0	1.032773	1.95542	0.024619	11.33483	10.97514	0.013082	1.893367					

UK 1982: $g^y < g^{kp}$

Unbalanced growth

$g^y = 0.096546$

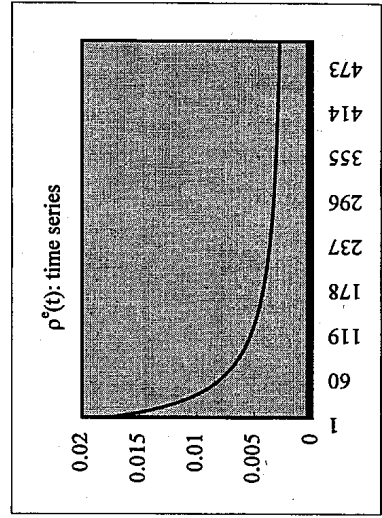
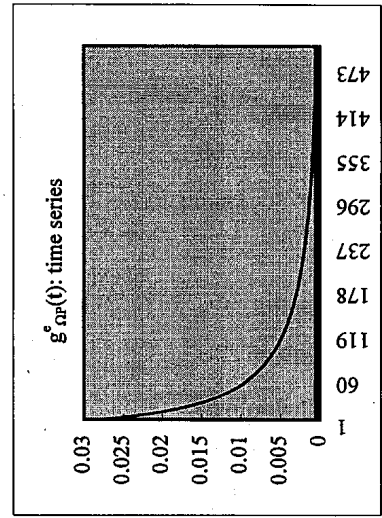
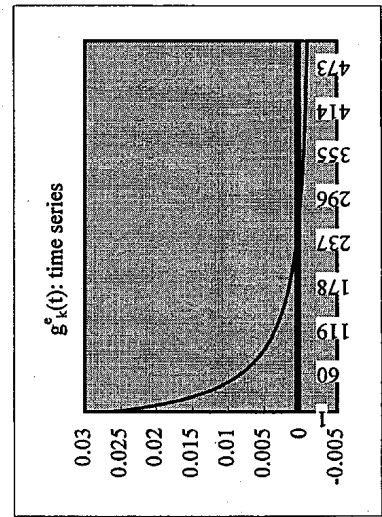
period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^{kp}(t)$	Ω_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SNDWD}	S_{SNDWD}	S_{SNY}	variables	δ^0	y^0	ρ^0
	-0.01181	1.032773	0.025426	10.53266	0.551	0.01401	0.053609	0.052858	0.066868	0.044644					10.19843	0.024619	
1	0.014209	0.065666	0.078401	0.026329	0.050736	1.085172	1.853008	0.02343	11.35843	10.46694	0.067818	0.38823					
2	0.014209	0.062495	0.075192	0.026329	0.04761	1.136837	1.853008	0.022365	12.21249	10.74252	0.067818	0.38823					
3	0.014209	0.059655	0.072318	0.026329	0.044809	1.187778	1.853008	0.021406	13.09568	11.02536	0.067818	0.38823					
498	0.014209	0.014219	0.026339	0.026329	9.9E-06	4.769644	1.853008	0.005331	20310323	4258247	0.067818	0.38823					
499	0.014209	0.014219	0.026339	0.026329	9.76E-06	4.76969	1.853008	0.005331	20845274	4370362	0.067818	0.38823					
500	0.014209	0.014218	0.026339	0.026329	9.62E-06	4.769736	1.853008	0.005331	21394312	4485429	0.067818	0.38823					



Ge 94 89 83

Table 4-4 Balanced and unbalanced growth state by period: Germany

Germany (1)														
Germany 1994: $g^y = g^{kp} = g^y = g^{kp}$														
Balanced growth														
period	$g^y(t)$	Ω^p	π^0	k^0	S^{SPY}	S^{SMD}	S^{SMDY}	S^{SY}	variables	$\delta = g^y$	y^0	ρ^0	$g^m(t)$	$g^m(t)$
	$g_k(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$\Omega_p(t)$	$x(t) = g_y/g(t)$	$p(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$			
	0.006	2.195003	0.039629	196.7621	0.312989	0.012403	0.014822	0.014638	0.027042	0.012559	89.64089	0.018054		
1	0.012559	0.012559	0.00652	0.00652	-1.7E-18	2.195003	0.51915	0.018054	198.045	90.22536	0.027568	0.236514		
2	0.012559	0.012559	0.00652	0.00652	-1.7E-18	2.195003	0.519149	0.018054	199.3362	90.81363	0.027568	0.236514	0	0
3	0.012559	0.012559	0.00652	0.00652	-1.7E-18	2.195003	0.519149	0.018054	200.6359	91.40575	0.027568	0.236514	0	0
Germany 1994: $g^y < g^{kp}$ $g^{kp} = 0.0323$														
Unbalanced growth														
period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	S^{SPY}	S^{SMD}	S^{SMDY}	S^{SY}	variables	δ^0	variables	y^0	ρ^0	$g^m(t)$
	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$\Omega^p(t)$	$x(t) = g^y/g^y(t)$	$p^0(t)$	$k^0(t)$	$y^0(t)$	$1/Y^0(t)$	$m^0(t)$			
	0.006	2.195003	0.039629	196.7621	0.115827	0.00459	0.066259	0.065955	0.070849	0.06423	89.64089	0.018054		
1	0.004611	0.032426	0.026269	-0.00138	0.027687	2.255777	-0.29936	0.017568	201.9307	89.51714	0.071175	-0.0194		
2	0.004611	0.031553	0.0254	-0.00138	0.026818	2.316271	-0.29936	0.017109	207.0598	89.39357	0.071175	-0.0194	0	0
3	0.004611	0.030728	0.024581	-0.00138	0.025997	2.376488	-0.29936	0.016675	212.1495	89.27017	0.071175	-0.0194	1.79E-16	
498	0.004611	0.00505	-0.00094	-0.00138	0.000437	14.10662	-0.29936	0.00281	602.1093	42.7009	0.071175	-0.0194	0	
499	0.004611	0.005048	-0.00095	-0.00138	0.000434	14.10675	-0.29936	0.002809	601.5393	42.64196	0.071175	-0.0194	0	
500	0.004611	0.005045	-0.00095	-0.00138	0.000432	14.11285	-0.29936	0.002808	600.9686	42.58309	0.071175	-0.0194	-1.8E-16	



Ge 94 89 83

Germany 1989: $g^e_{Y=g^e_{KP}=g^e_{Y^0}}=g_{KP}$

Balanced growth

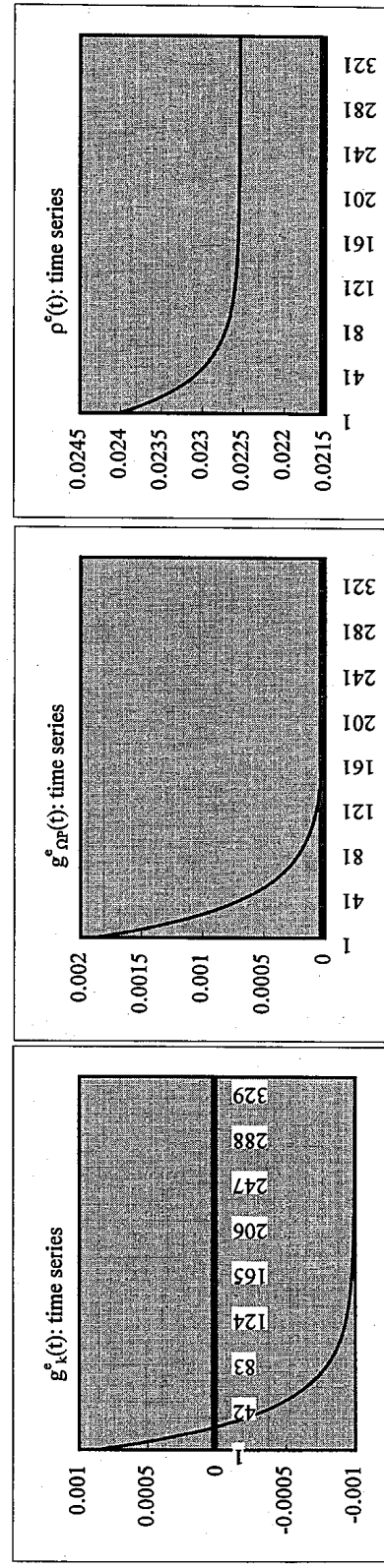
period	n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SPY}	S_{SNDWD}	S_{SNDWD}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0
		0.029684	2.458848	0.059153	175.1056	0.289114	0.017102	0.024949	0.024522	0.041624	0.017399	71.21448	0.024057
		$g_Y(t)$	$g_{KP}(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$
1		0.017399	0.017399	-0.01193	0	2.458848	-0.68568	0.024057	173.0165	70.36486	0.042782	-0.27886	
2		0.017399	0.017399	-0.01193	0	2.458848	-0.68568	0.024057	170.9523	69.52537	0.042782	-0.27886	
3		0.017399	0.017399	-0.01193	0	2.458848	-0.68568	0.024057	168.9128	68.6959	0.042782	-0.27886	

Germany 1989: $g^a_{Y^0} < g^e_{KP}$ $g^a_{KP} = 0.0297$

Unbalanced growth

period	n	Ω^0_P	π^0	k^0	S^0_{SPY}	S^0_{SPY}	S^0_{SNDWD}	S^0_{SNDWD}	S^0_{SY}	δ^0	variables	y^0	ρ^0
		0.029684	2.458848	0.059153	175.1056	0.471	0.027861	0.046543	0.045247	0.073108	0.053664	71.21448	0.024057
		$g^0_{Y(t)}$	$g^0_{KP}(t)$	$g^0_{Y(t)}$	$g^0_{KP}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g^0_{Y(t)}/g^0_{Y(t)}$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^0_m(t)$
1		0.028659	0.030585	0.000875	-0.001	0.001872	2.46345	-0.03472	0.024012	175.2587	71.14361	0.075203	-0.01323
2		0.028659	0.030527	0.000819	-0.001	0.001816	2.467924	-0.03472	0.023969	175.4023	71.07282	0.075203	-0.01323
3		0.028659	0.030472	0.000765	-0.001	0.001762	2.472273	-0.03472	0.023926	175.5365	71.00209	0.075203	-0.01323
337		0.028659	0.02866	-0.00099	-0.001	1.32E-07	2.624008	-0.03472	0.022543	133.6049	50.91635	0.075203	-0.01323
338		0.028659	0.02866	-0.00099	-0.001	1.28E-07	2.624009	-0.03472	0.022543	133.472	50.86568	0.075203	-0.01323
339		0.028659	0.028659	-0.00099	-0.001	1.25E-07	2.624009	-0.03472	0.022543	133.3392	50.81506	0.075203	-0.01323

NONO



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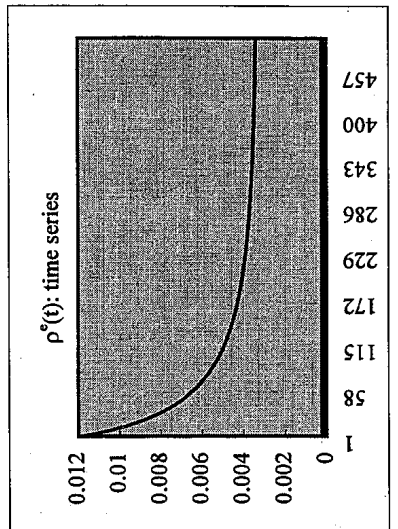
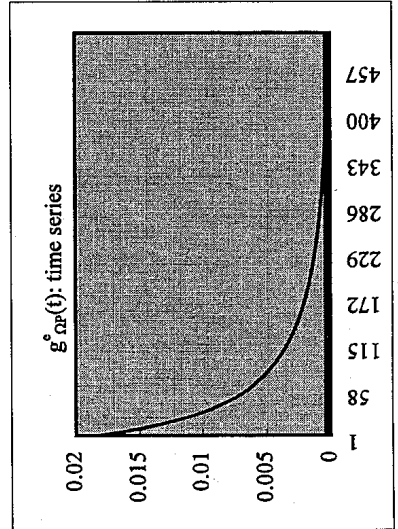
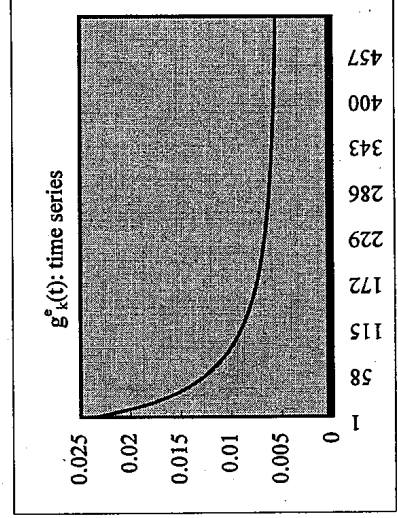
Germany (3)

Germany 1983: $g^y = g^{kp} = g^y = g^{kp}$

period	$g^y(t)$	$g^{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{np}(t)$	$g_{np}(t)$	Ω_P	π^0	k^0	S_{SP}	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SY}	variables	$\delta = g^y$	y^0	ρ^0
	0.0016	2.857472	0.034345	159.0077	0.259237	0.008903	0.016538	0.016391	0.025294						0.008983	55.64626	0.012019	
1	0.008983	0.008983	0.007372	0.007372	0	2.857472	0.82059	0.012019	160.1798	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$				
2	0.008983	0.008983	0.007372	0.007372	0	2.857472	0.82059	0.012019	161.3606									
3	0.008983	0.008983	0.007372	0.007372	0	2.857472	0.82059	0.012019	162.5501									

Germany 1983: $g^y < g^{kp}$ $g^y = 0.052137$ $g^{kp} = 0.0252$

period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g_{np}(t)$	Ω_P	π^0	k^0	S_{SP}	S_{SPY}	S_{SNDWD}	S_{SNDY}	S_{SY}	δ^0	variables	y^0	ρ^0
	0.0016	2.857472	0.034345	159.0077	0.2029	0.006969	0.065622	0.065164	0.072133					0.047831		55.64626	0.012019
1	0.007017	0.025421	0.023783	0.005409	0.018275	2.909693	0.770773	0.011804	162.7893	$k^0(t)$	$y^0(t)$	$I/Y^{e0}(t)$	$m^0(t)$	$g^m(t)$			
2	0.007017	0.024965	0.023327	0.005409	0.017822	2.961549	0.770773	0.011597	166.5867								
3	0.007017	0.024527	0.022891	0.005409	0.017388	3.013044	0.770773	0.011399	170.4								
498	0.007017	0.007178	0.005569	0.005409	0.00016	10.12088	0.770773	0.003393	8266.639								
499	0.007017	0.007177	0.005568	0.005409	0.000159	10.12248	0.770773	0.003393	8312.67								
500	0.007017	0.007176	0.005567	0.005409	0.000157	10.12407	0.770773	0.003392	8358.948								



USA 94 89 82

Table 4-5 Balanced and unbalanced growth state by period: USA

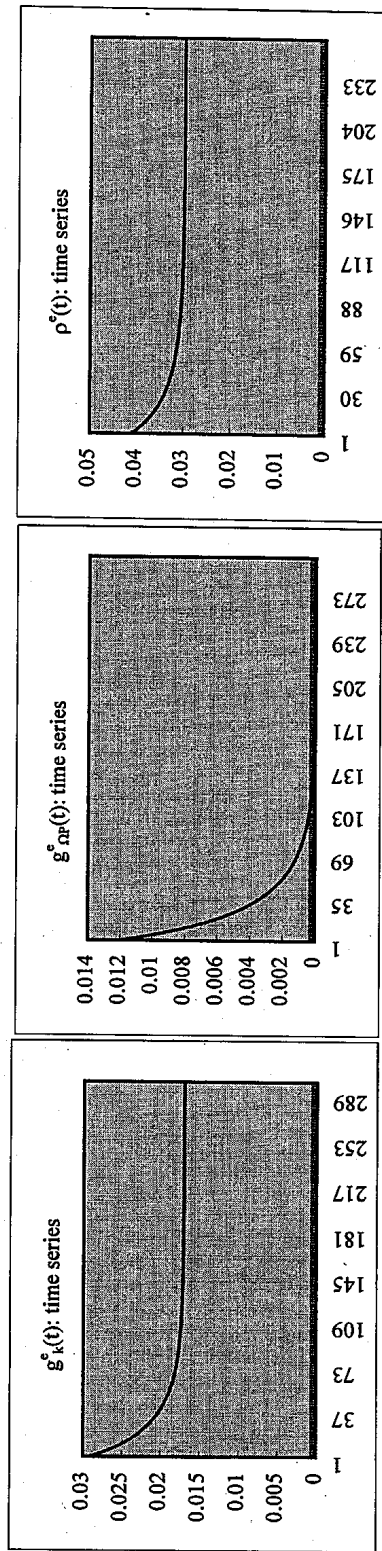
USA 1994: $g^y = g^k = g^p = g^{kp}$

USA (1)

Balanced growth										
period	n	Ω_P^0	Ω_K^0	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}
		0.014476	2.01032	0.083343	96.54203	0.332191	0.027686	0.027971	0.027197	0.054883
		$g^y(t)$	$g^k(t)$	$g^p(t)$	$g^k(t)$	$\Omega_P(t)$	$\chi^0 = g^y/g^k(t)$	$\rho(t)$	$k(t)$	$y(t)$
1	1	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.48461	0.041458	97.8742
2	2	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	99.22474
3	3	0.028474	0.028474	0.013799	0.013799	0	2.01032	0.484608	0.041458	100.5939
										variables
										$\delta = g^y$
										$I/Y^0(t)$
										$m(t)$
										y^0
										ρ^0
										48.028474
										48.02322
										0.041458

USA 1994: $g^y < g^k = g^p$

Unbalanced growth										
period	n	Ω_P^0	Ω_K^0	π^0	k^0	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}	S_{SPY}
		0.014476	2.01032	0.083343	96.54203	0.369274	0.030776	0.05704	0.055284	0.086061
		$g^y(t)$	$g^k(t)$	$g^p(t)$	$g^k(t)$	$\Omega_P(t)$	$\chi^0 = g^y/g^k$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$
1	1	0.031754	0.04169	0.029269	0.017032	0.012033	2.03451	0.536365	0.040965	99.36777
2	2	0.031754	0.043644	0.028752	0.017032	0.011524	2.057956	0.536365	0.040498	102.2248
3	3	0.031754	0.043146	0.028262	0.017032	0.011042	2.08068	0.536365	0.040056	105.1138
										variables
										δ^0
										$I/Y^{e0}(t)$
										$m^0(t)$
										y^0
										ρ^0
										48.02322
										0.041458
										48.84113
										0.088793
										0.191811
										49.67297
										0.088793
										0.191811
										-2.9E-16
										50.51898
										0.088793
										0.191811
										2.89E-16
297	0.031754	0.031755	0.017032	0.017032	8.29E-07	2.796242	0.536365	0.029805	20246.55	7240.629
298	0.031754	0.031755	0.017032	0.017032	8.03E-07	2.796244	0.536365	0.029805	20591.4	7363.948
299	0.031754	0.031754	0.017032	0.017032	7.79E-07	2.796246	0.536365	0.029805	20942.12	7489.367
										0.088793
										0.191811
										0.191811
										0.088793
										0.191811



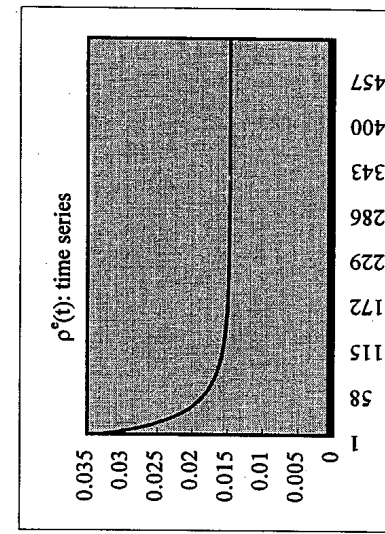
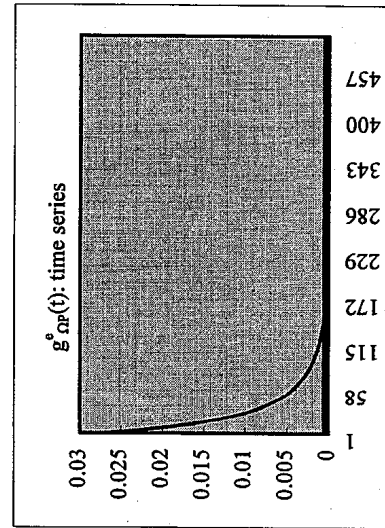
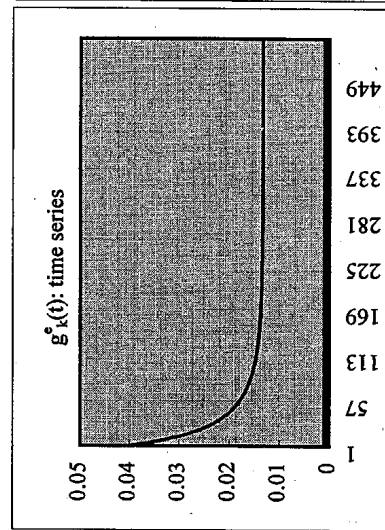
USA 94 89 82

USA 1989: $g^e_Y = g^e_{KP} = g^e_Y = g^e_{KP}$

Balanced growth		n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SNDY}	S_{SY}	variables	$\delta = g_Y$	y^0	ρ^0
	$g_Y(t)$	0.007864	2.113744	0.072172	84.51534	0.321157	0.023178	0.025217	0.048395	0.023728	39.98371	0.034144
	$g_{KP}(t)$	0.023728	0.023728	0.01574	0.01574	3.42E-18	2.113744	0.66335	0.034144	85.84563	40.61306	0.050156
1	$g_Y(t)$	0.023728	0.023728	0.01574	0.01574	3.42E-18	2.113744	0.66335	0.034144	87.19685	41.25231	0.050156
2	$g_Y(t)$	0.023728	0.023728	0.01574	0.01574	3.42E-18	2.113744	0.66335	0.034144	88.56934	41.90163	0.050156
3	$g_Y(t)$	0.023728	0.023728	0.01574	0.01574	3.42E-18	2.113744	0.66335	0.034144	88.56934	41.90163	0.050156

USA 1989: $g^a_Y < g^e_{KP}$ $g^a_{KP} = 0.0428$

Unbalanced growth		n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SNDY}	S_{SY}	δ^e	variables	y^0	ρ^0
	$g^e_Y(t)$	0.007864	2.113744	0.072172	84.51534	0.2883	0.020807	0.083033	0.102112	0.03861	39.98371	0.034144
	$g^e_{KP}(t)$	0.021249	0.049335	0.041147	0.01328	0.027502	2.171876	0.03323	87.99291	40.51471	0.104282	0.12735
1	$g^e_Y(t)$	0.021249	0.048015	0.039837	0.01328	0.026209	2.228798	0.032381	91.49829	41.05275	0.104282	0.12735
2	$g^e_Y(t)$	0.021249	0.046789	0.03862	0.01328	0.025008	2.284535	0.031591	95.03198	41.59795	0.104282	0.12735
3	$g^e_Y(t)$	0.021249	0.046789	0.03862	0.01328	0.025008	2.284535	0.031591	95.03198	41.59795	0.104282	0.12735
498	$g^e_Y(t)$	0.021249	0.02125	0.013281	0.01328	3.43E-07	4.907495	0.624978	0.014706	139985.7	28524.87	0.104282
499	$g^e_Y(t)$	0.021249	0.02125	0.013281	0.01328	3.36E-07	4.907497	0.624978	0.014706	141844.8	28903.69	0.104282
500	$g^e_Y(t)$	0.021249	0.02125	0.013281	0.01328	3.29E-07	4.907499	0.624978	0.014706	143728.5	29287.54	0.104282



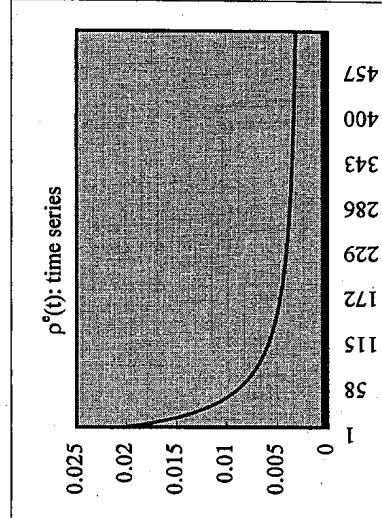
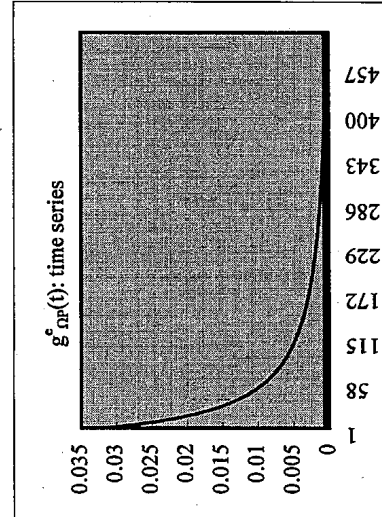
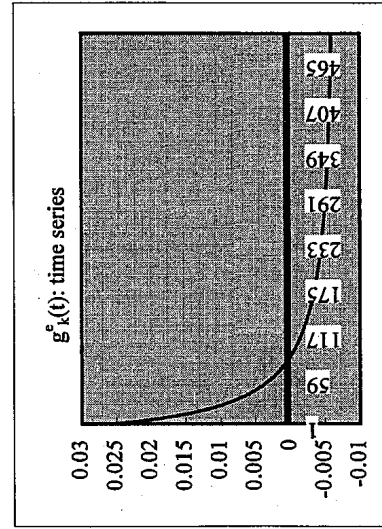
USA 94 89 82

USA 1982: $g^a_{Y=g^b_{KP}} = g^c_{Y=g^d_{KP}}$

Balanced growth										USA (3)		
period	n	Ω^0_P	π^0	k^0	S_{SPY}	S_{SNDY}	S_{SY}	variables	$\delta=g_Y$	y^0	ρ^0	
	0.011602	2.469925	0.052005	70.61271	0.288191	0.014987	0.022203	0.0217	0.036688	0.015215	28.58901	0.021055
	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$Y(t)$	$m(t)$	$g^a_m(t)$
1	0.015215	0.015215	0.003572	0.003572	0	2.469925	0.23474	0.021055	70.86492	28.69112	0.037581	0.095039
2	0.015215	0.015215	0.003572	0.003572	0	2.469925	0.23474	0.021055	71.11802	28.7936	0.037581	0.095039
3	0.015215	0.015215	0.003572	0.003572	0	2.469925	0.23474	0.021055	71.37203	28.89644	0.037581	0.095039

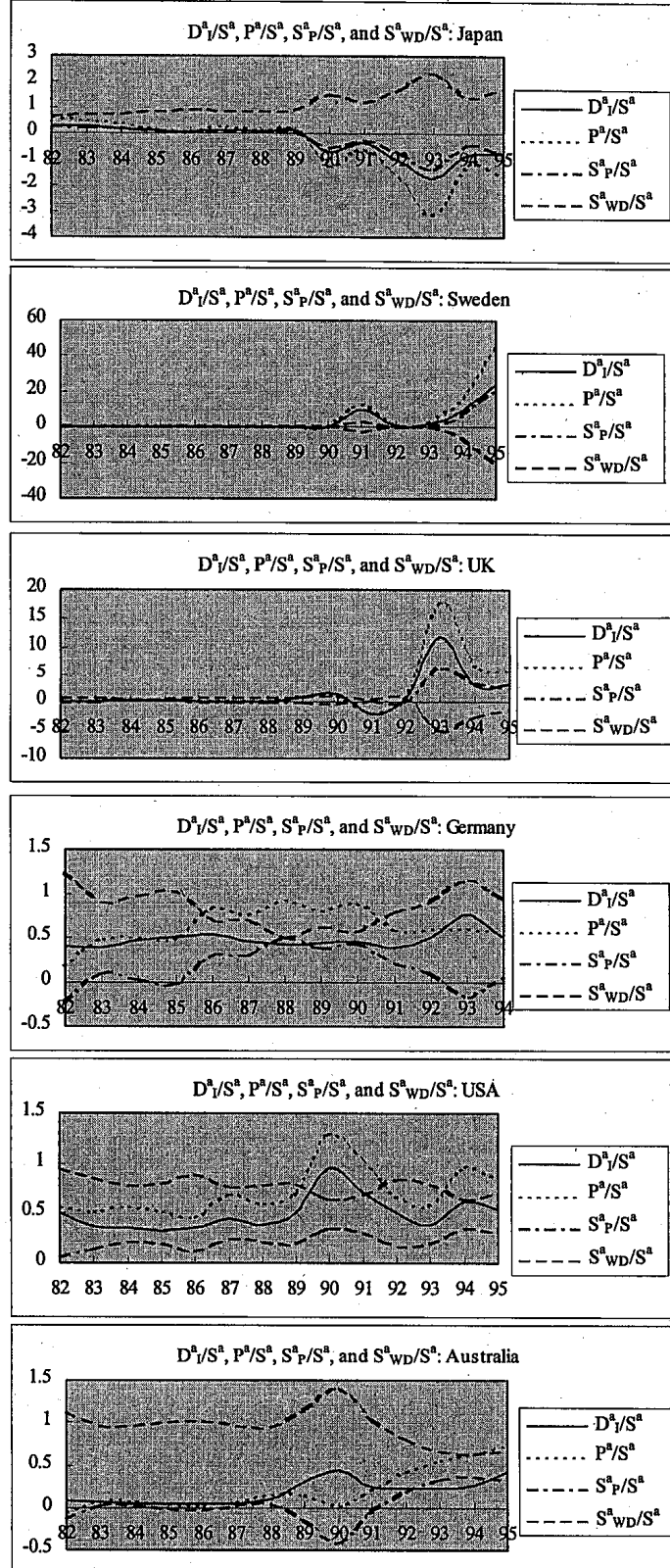
USA 1982: $g^a_{Y=g^b_{KP}} = g^c_{KP} = 0.0371$

Unbalanced growth										variables			y^0			ρ^0		
period	n	Ω^0_P	π^0	k^0	S_{SPP}	S_{SPY}	S_{SNDY}	S_{SY}	δ^0	$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th></th></th></th></th></th></th>	$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th></th></th></th></th></th>	$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th></th></th></th></th>	$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th></th></th></th>	$m^0(t)$ <th>$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th></th></th>	$g^a_m(t)$ <th>$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th></th>	$Y^0(t)$ <th>$m^0(t)$ <th>$g^a_m(t)$ </th></th>	$m^0(t)$ <th>$g^a_m(t)$ </th>	$g^a_m(t)$
	0.011602	2.469925	0.052005	70.61271	0.1004	0.005221	0.086774	0.091542	0.044644	28.58901	0.021055							
1	0.005249	0.037257	0.025361	-0.00628	0.031841	2.54857	-1.19662	0.020406	72.40349	28.40945	0.092022	-0.06825						
2	0.005249	0.036107	0.024224	-0.00628	0.030698	2.626805	-1.19662	0.019798	74.1574	28.23102	0.092022	-0.06825						
3	0.005249	0.035032	0.023161	-0.00628	0.029628	2.704632	-1.19662	0.019228	75.87496	28.05371	0.092022	-0.06825						
498	0.005249	0.005606	-0.00593	-0.00628	0.000355	16.42147	-1.19662	0.003167	20.36757	1.240302	0.092022	-0.06825						
499	0.005249	0.005604	-0.00593	-0.00628	0.000353	16.42727	-1.19662	0.003166	20.2468	1.232512	0.092022	-0.06825						
500	0.005249	0.005602	-0.00593	-0.00628	0.000351	16.43304	-1.19662	0.003165	20.1267	1.224771	0.092022	-0.06825						



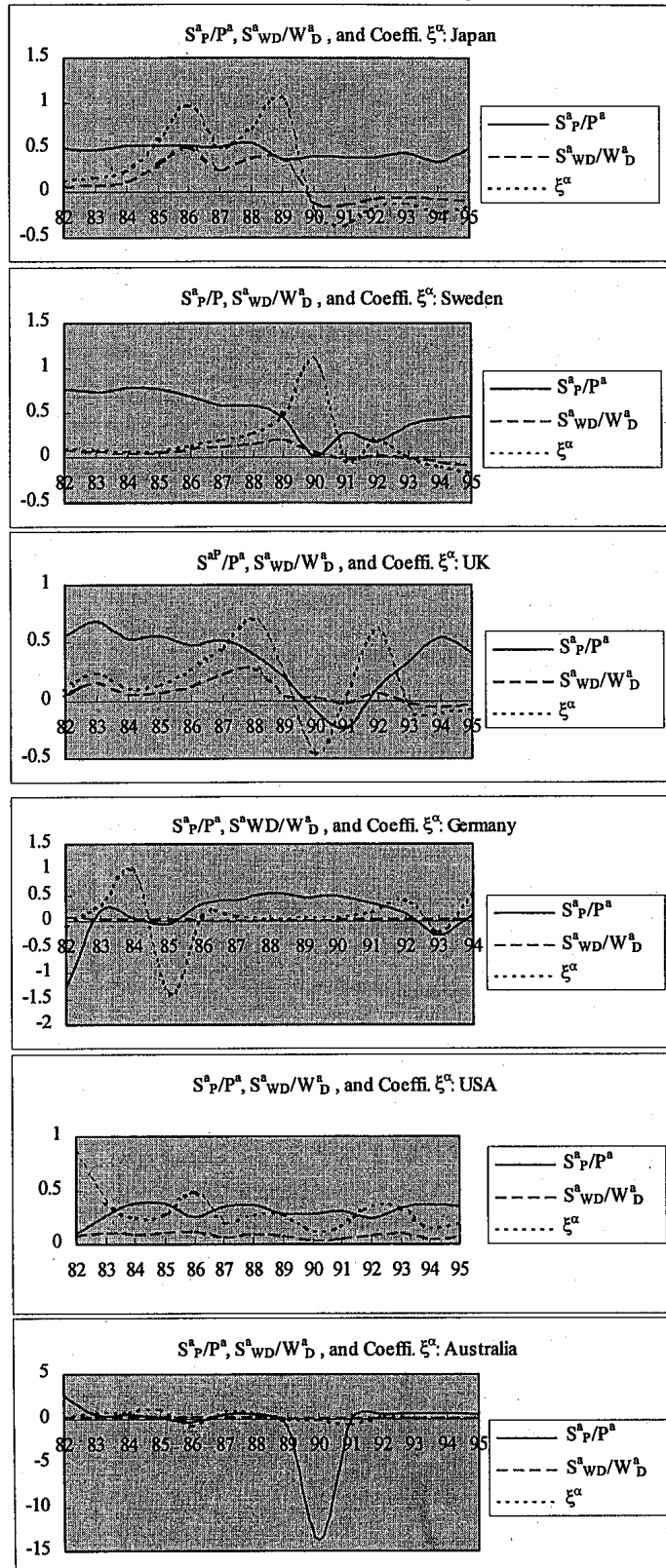
Time series 82-95

Figure 1-1 Relationships between actual profit, dividends paid, undistributed profit, saving, and saved wages and dividends



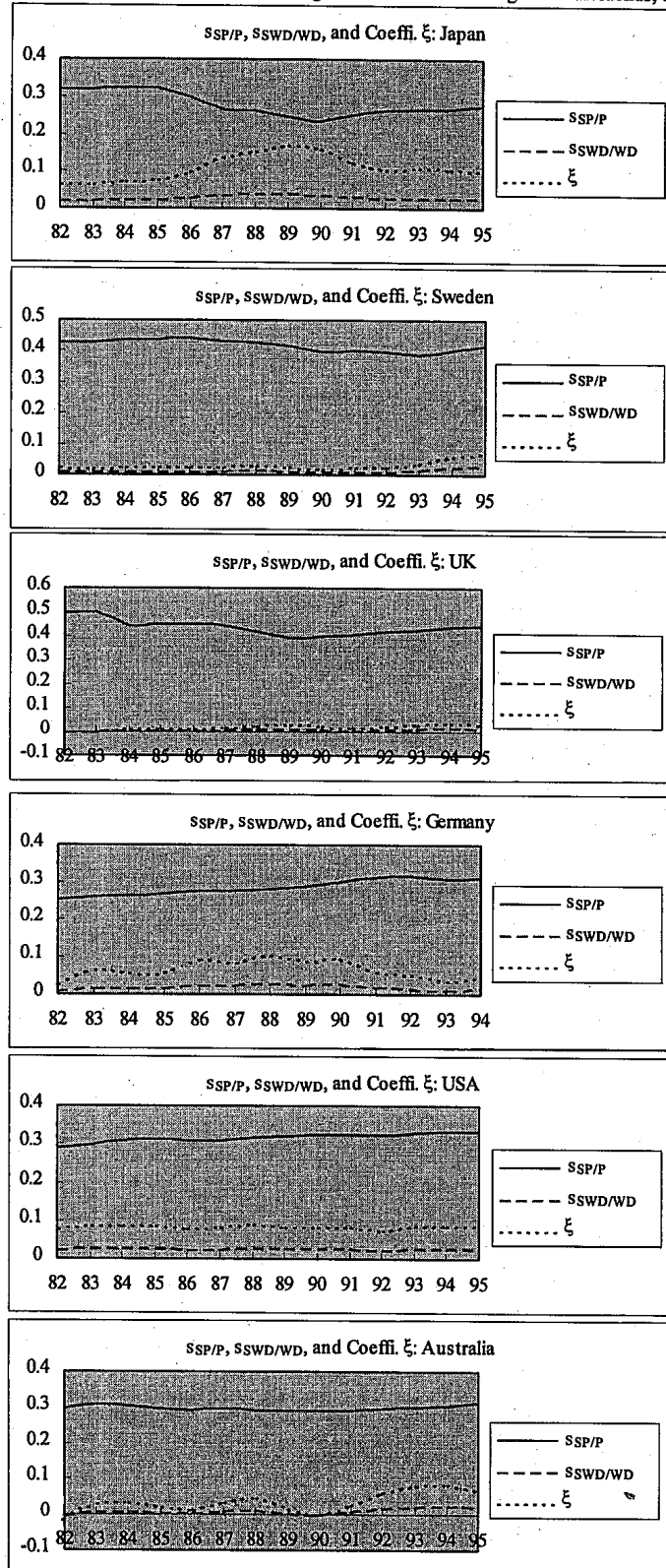
Time series 82-95

Figure 1-2 Actual retention ratio, the ratio of saved wages and dividends to wages and dividends, and the leverage



Time series 82-95

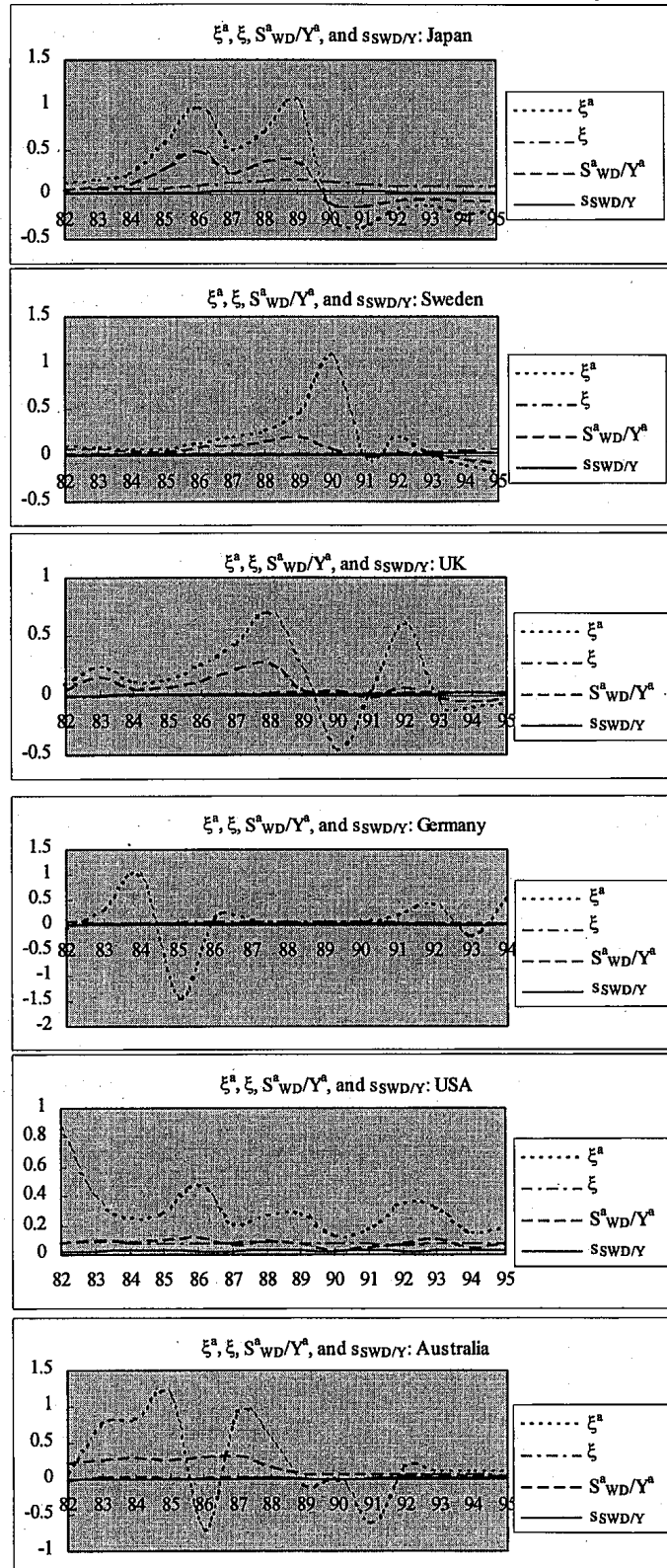
Figure 1-3 Theoretical retention ratio, the ratio of saved wages and dividends to wages and dividends, and the leverage



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As a Supplement

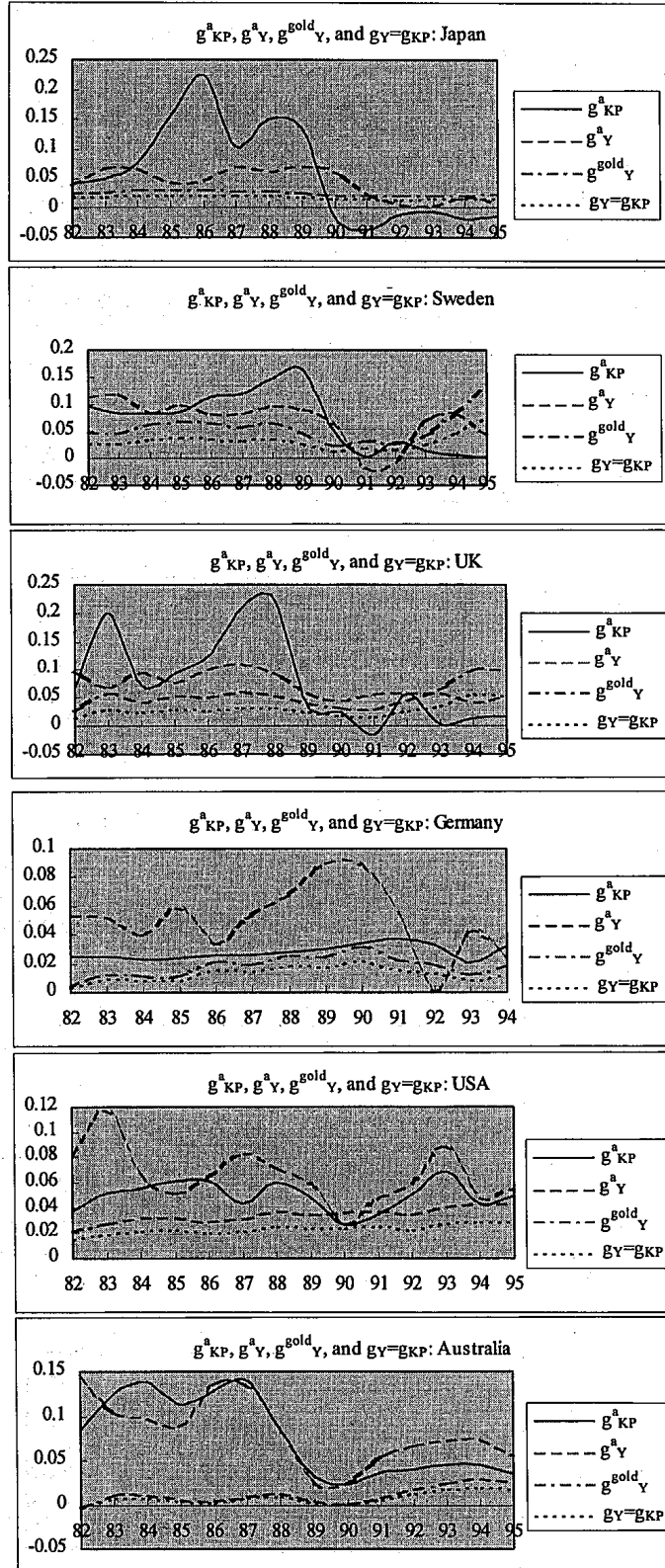
Time series 82-95

Figure 1-4 Actual and theoretical leverage, and each ratio of saved wages and dividends to wages and dividends



Time series 82-95

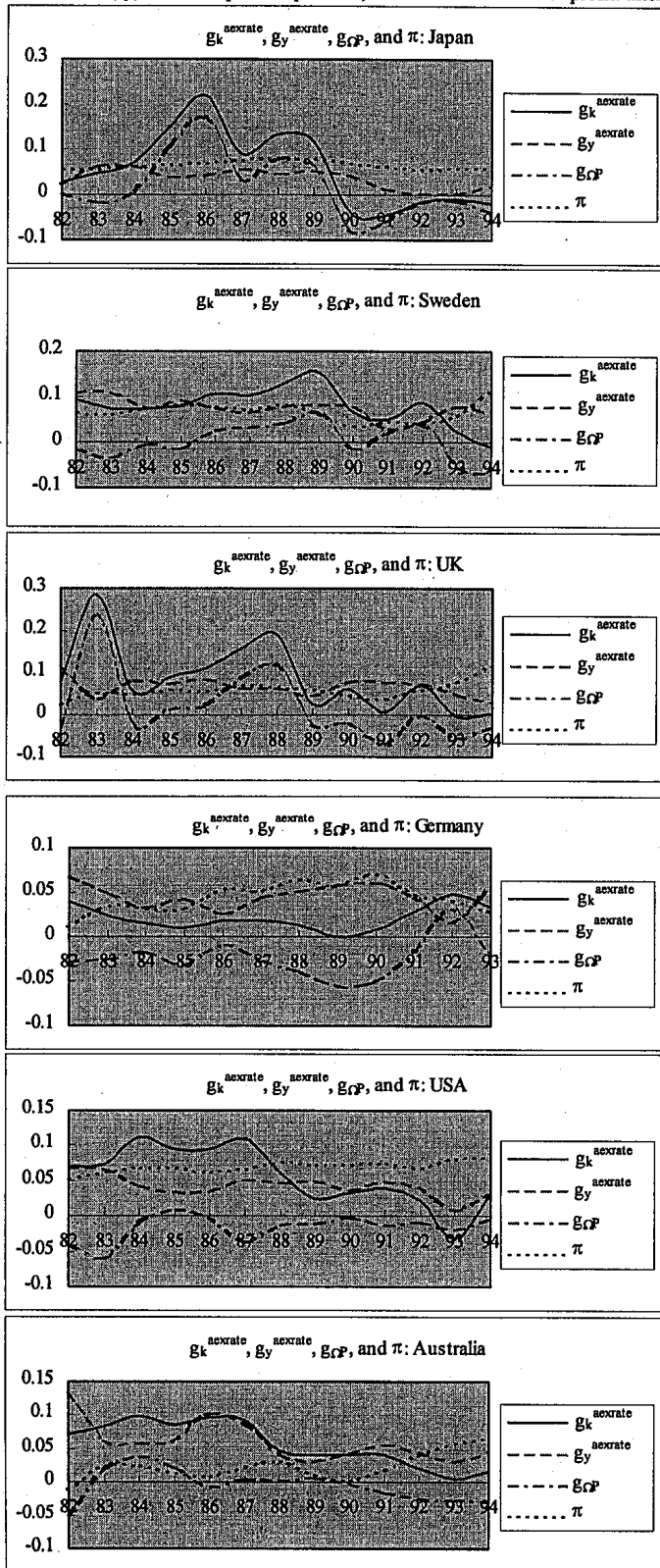
Figure 1-5 Actual and theoretical growth rates of output and capital: golden is Phelps'



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As a Supplement

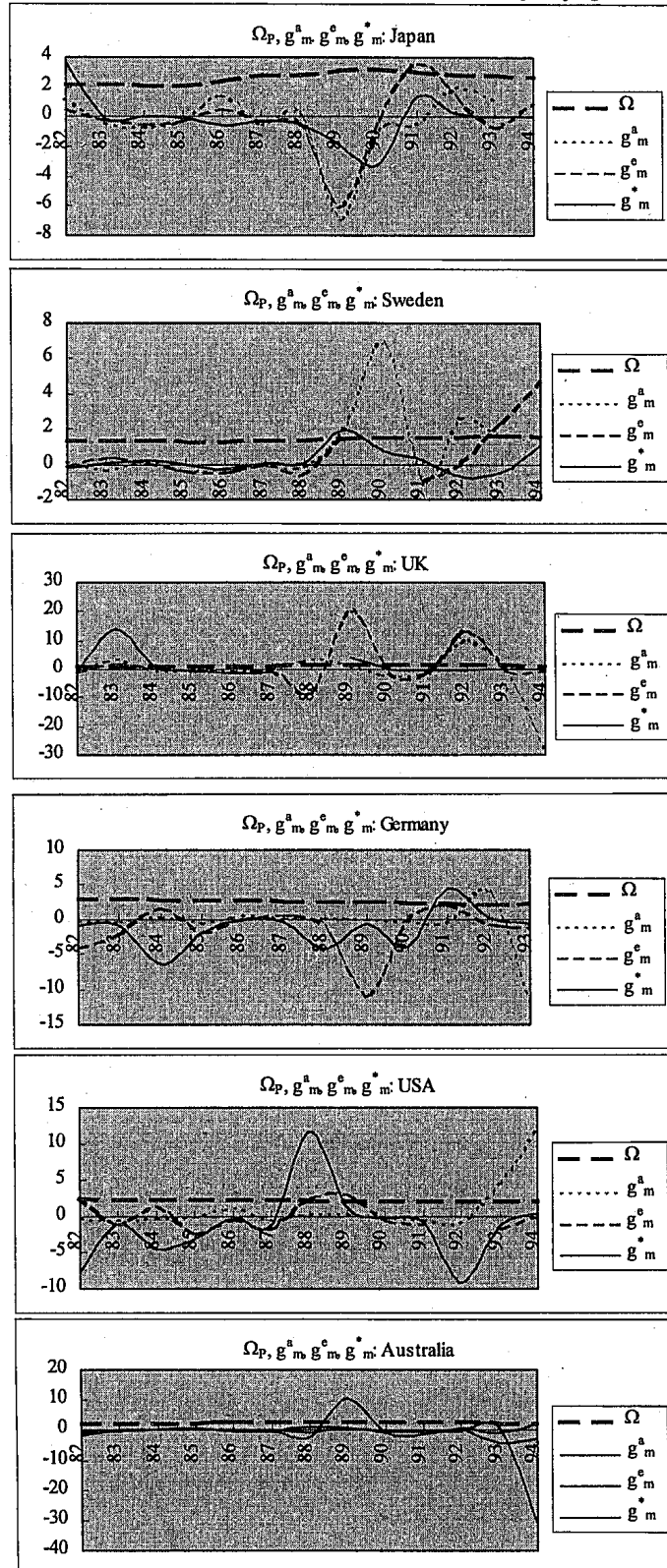
Time series 82-95

Figure 1-6 Actual growth rates of k , y , and the capital-output ratio, and the relative share of profit: after exchange rate adjusted



Time series 82-95

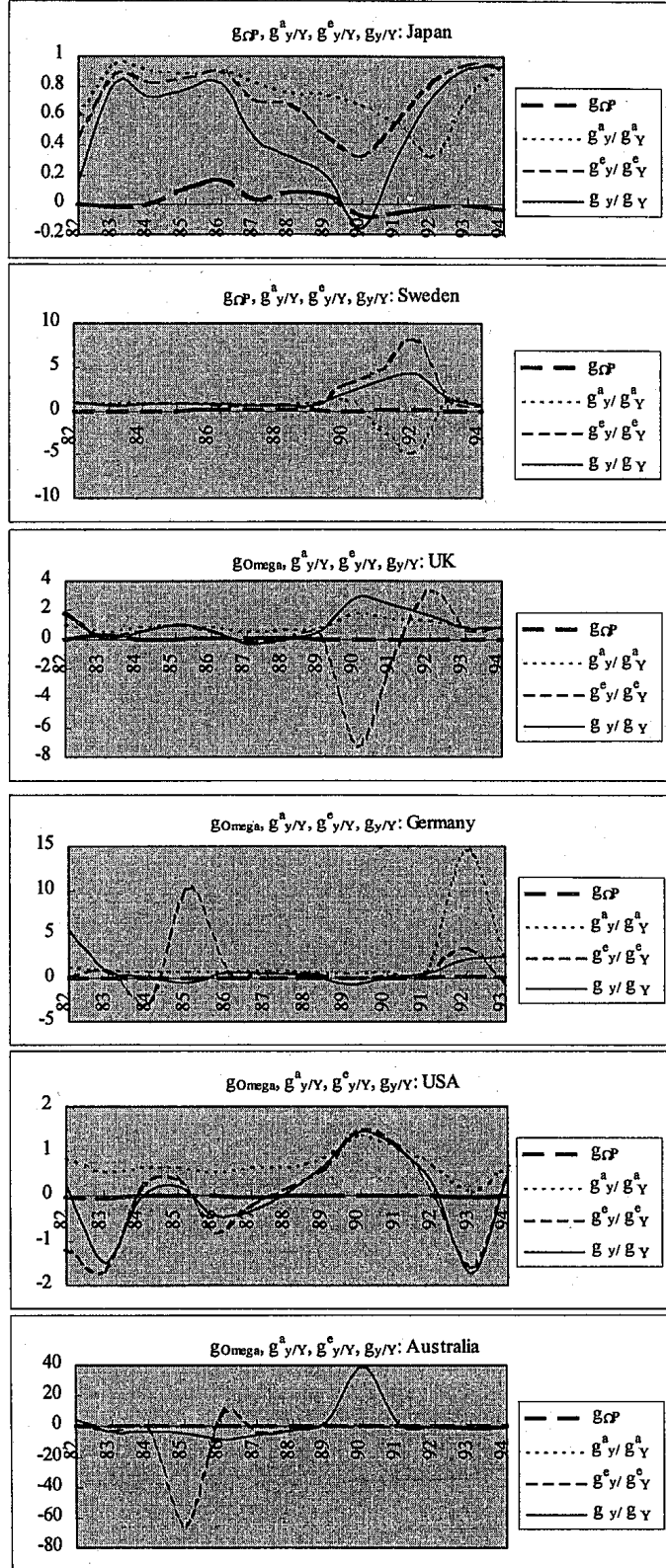
Figure 1-7 Capital-output ratio and actual, expected, and theoretical rates of technological progress



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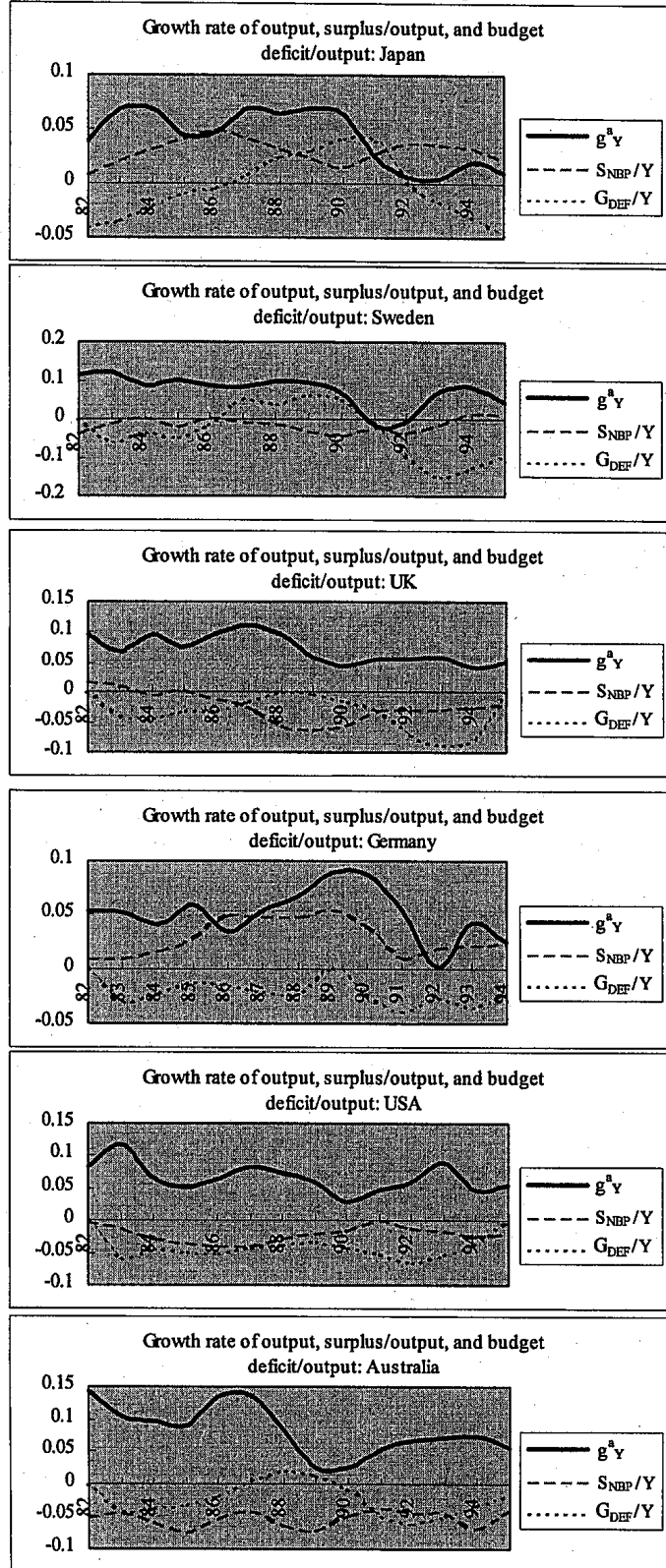
Time series 82-95

Figure 1-8 Actual, expected, and theoretical growth rates of y/Y (the ratio of output per worker to output): compared with $g\Omega_p$



Time series 82-95

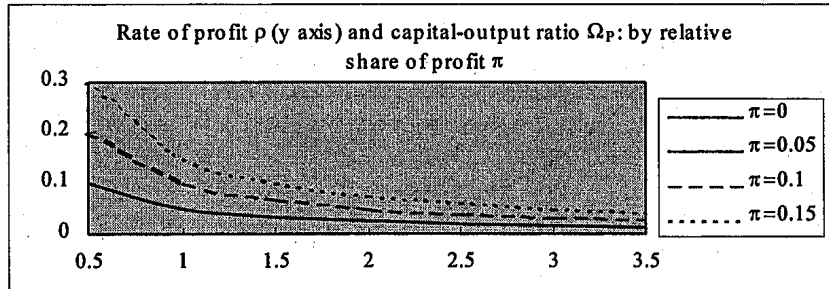
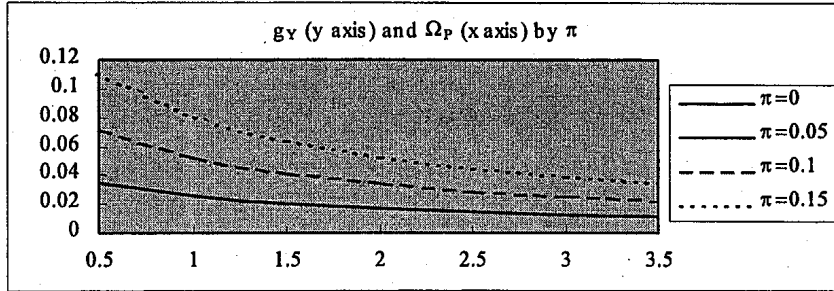
Figure 1-9 Actual growth rate of output, surplus/output, and budget deficit/output



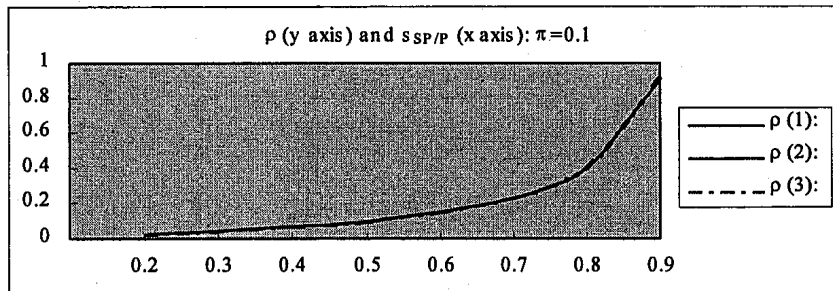
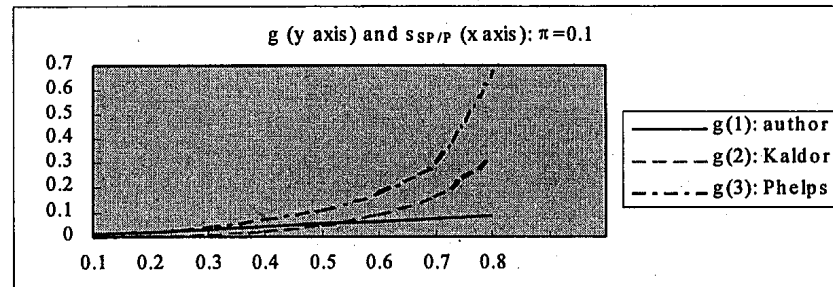
Figures of discrete functions

Figure 2-1 Fundamental relationships in terms of the growth rate of output/capital by the relative share of profit

Fundamental relationships

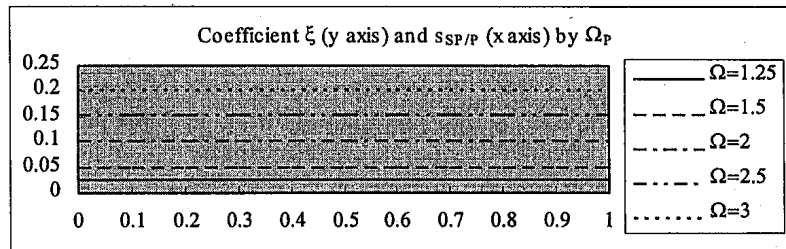
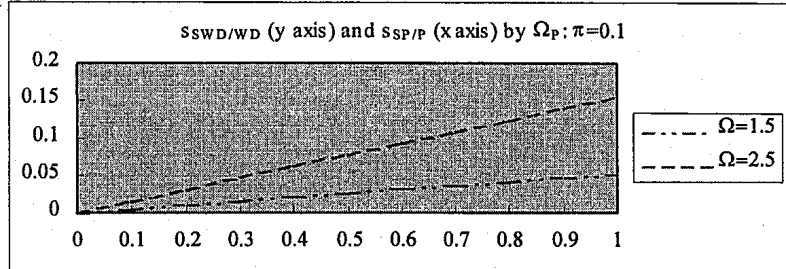


Comparison of models: the author, Kaldor, and Phelps

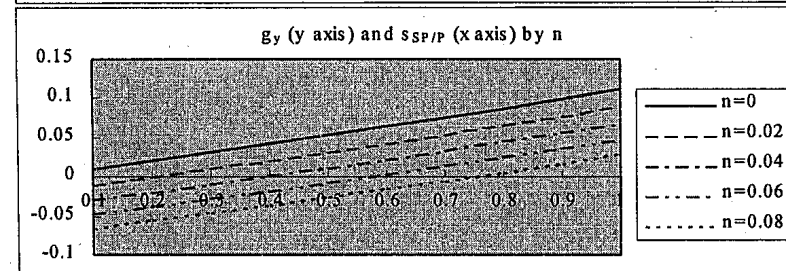
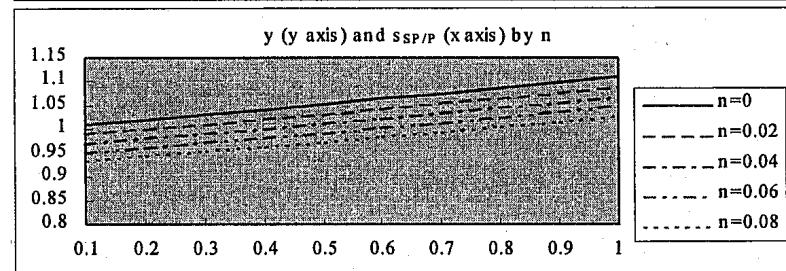
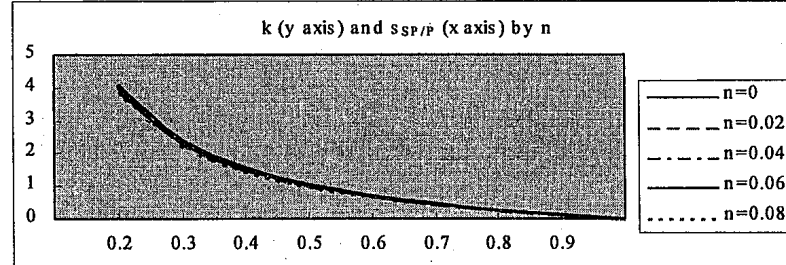
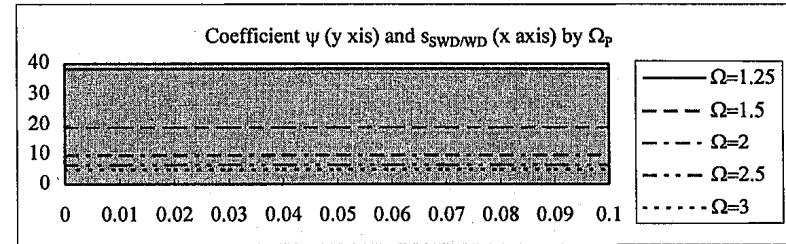


Figures of discrete functions

Figure 2-2 Relationship between the retention ratio $s_{SP/P}$ and related variables by Ω_p and n

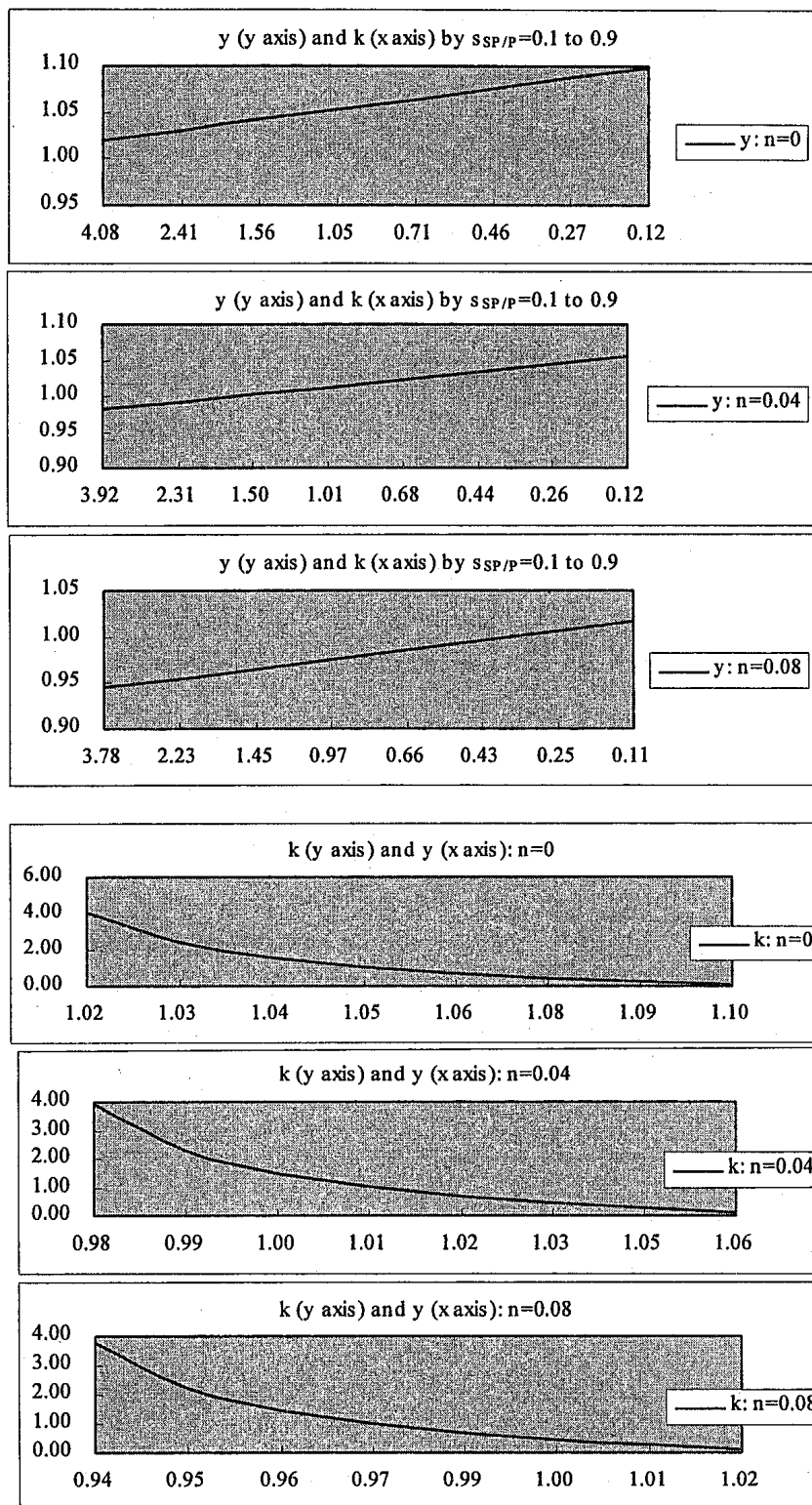


$\xi = s_{SW/D/W/D} / s_{SP/P}$
 $\psi = s_{SP/P} / s_{SW/D/W/D}$



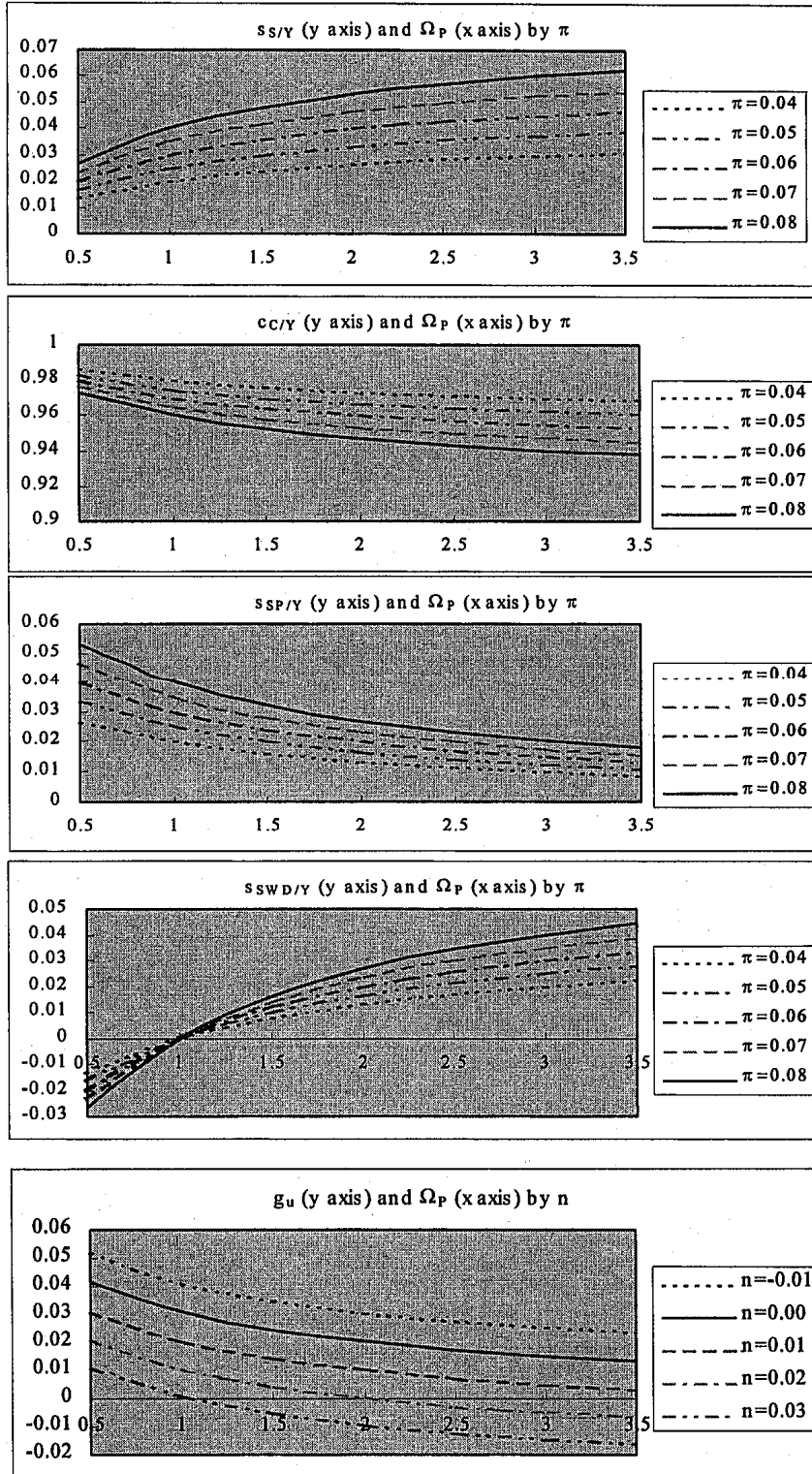
Figures of discrete functions

Figure 2-3 Relationship between capital per worker, y , and output per worker, k , by the retention ratio



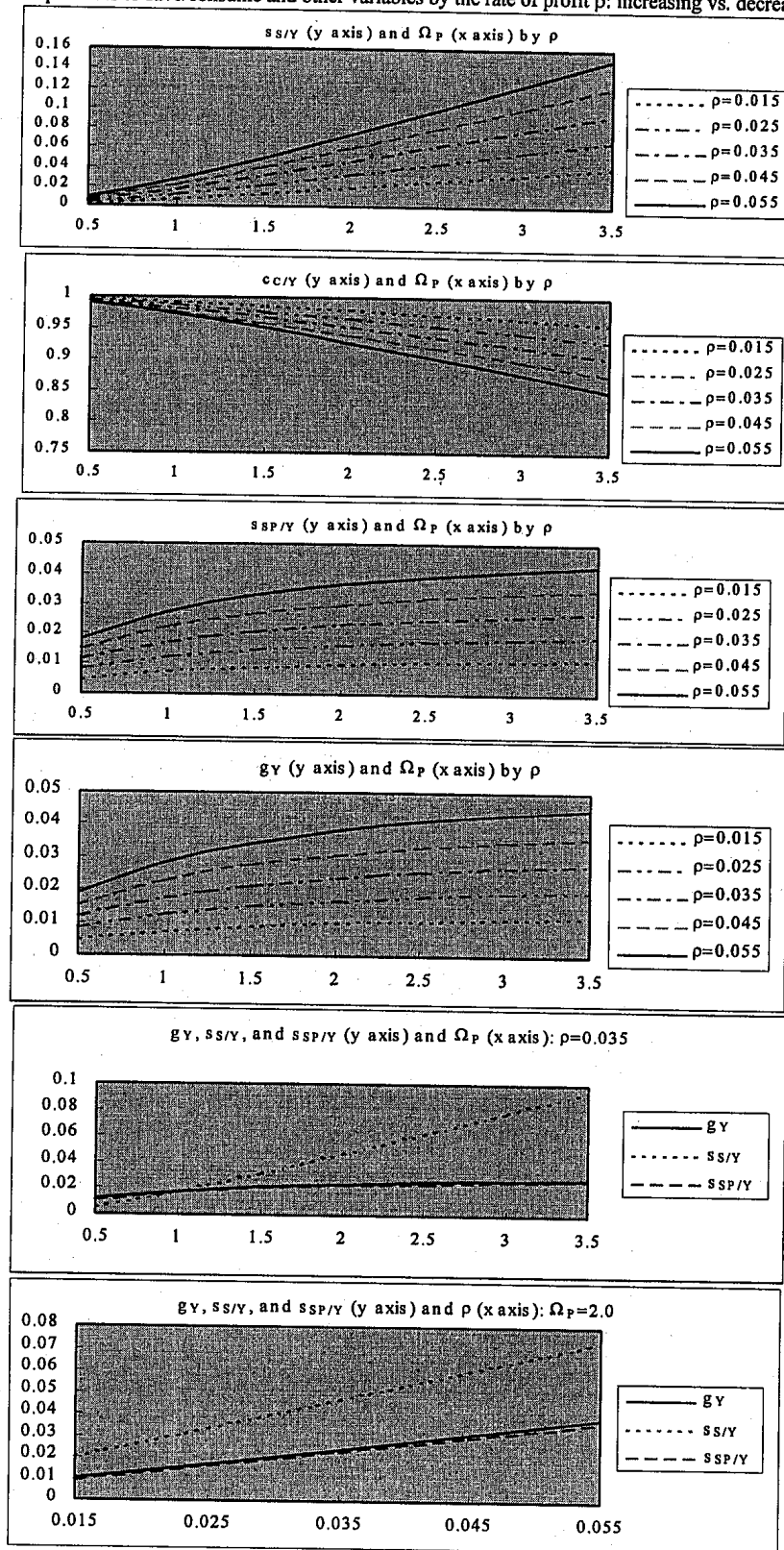
Figures of discrete functions

Figure 2-4 s_s/γ , s_{sp}/γ , s_{swd}/γ , c_c/γ , and the growth rate of utility as consumption per worker by π



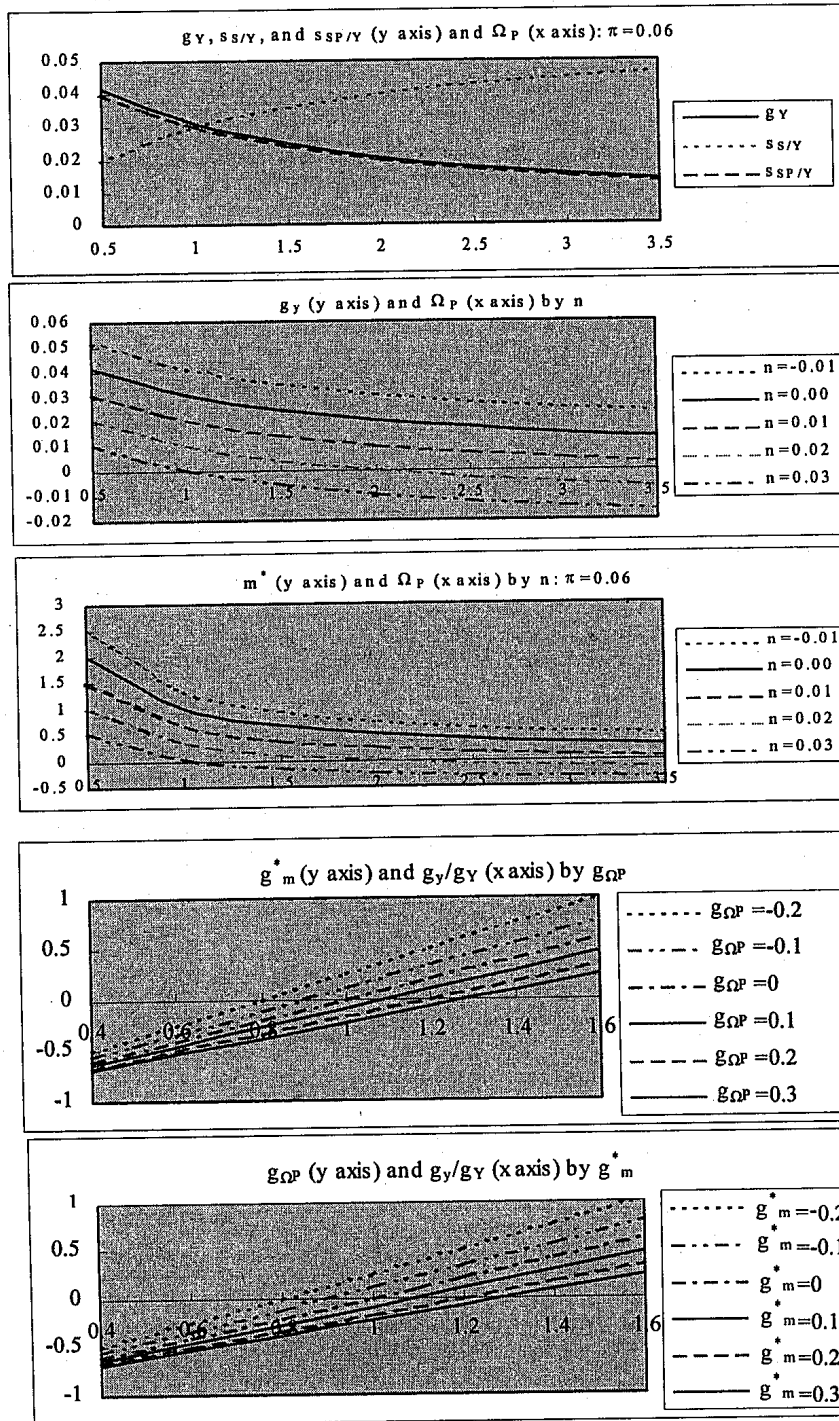
Figures of discrete functions

Figure 2-5 Propensities to save/consume and other variables by the rate of profit ρ : increasing vs. decreasing



Figures of discrete functions

Figure 2-6 Growth rate of output per worker and other variables in terms of technological progress, m^* and g_m^*



$\chi = g_Y/g_Y$
If $n=0$, $\chi=1$