

«Material»

Data and Analysis in Terms of Sustainable Growth  
in Corporate Accounts: As a Supplement to  
IAAER/CIERA, 1998

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(Received on April 21, 1999)

The data and analyses are those used in the author's following presentation. "Accountants be Confident in/Responsible for the Initial Data: a True Base to Macro and Micro Sustainable Growth in the Endogenous Golden Age" at the Second Biennial International Accounting Research Conference, Du Paul University, Chicago, on the 2<sup>nd</sup> of October 1998. The methodology is explained in "Economic Accounting: A Macro and Micro Common Approach Using National and Corporate Accounts" [1998/May].

For the results of the analyses that use national accounts by country, see Material in the last "Papers of the Research Society of Commerce and Economics" 39(2). These two Materials by country and company develop compulsive financial policies based on "Economic Accounting."

(For notations, see 39(1))

Toyota versus GM:

Table 1 Coefficient of technological progress,  $m^*$ , as a function of relative share of profit and the capital-output ratio

Figure 1 Fundamental functions using parameters,  $\pi$ ,  $\Omega_p$ ,  $n$ , and  $k$

Figure 2 Actual, expected, and theoretical time series: Toyota and GM

Figure 3 Patterns of expected simulation compared with theoretical model:  
Toyota

Figure 4 Patterns of expected simulation compared with theoretical model: GM

Table 2 Alternative policies in a short run and a long run: Toyota

Table 3 Alternative policies in a short run and a long run: GM

A typical case of a Japanese company that has accumulated undistributed profit:

Figure 1 Isowa: changes in 1982, 1984, 1989, 1992, 1996

Table 2 Isowa 1996 March:  $g_y^e = g_{kp}^e = g_y = g_{kp}$  with no technological progress

Table 3 Alternative policies for Isowa 1996-97

Table 4 Isowa 1996 March:  $g_y^e = g_{kp}^e = g_y = g_{kp}$  with a given technological progress

Figure 2 Isowa: changes in 1984 and 1996

Basic functions and graphs

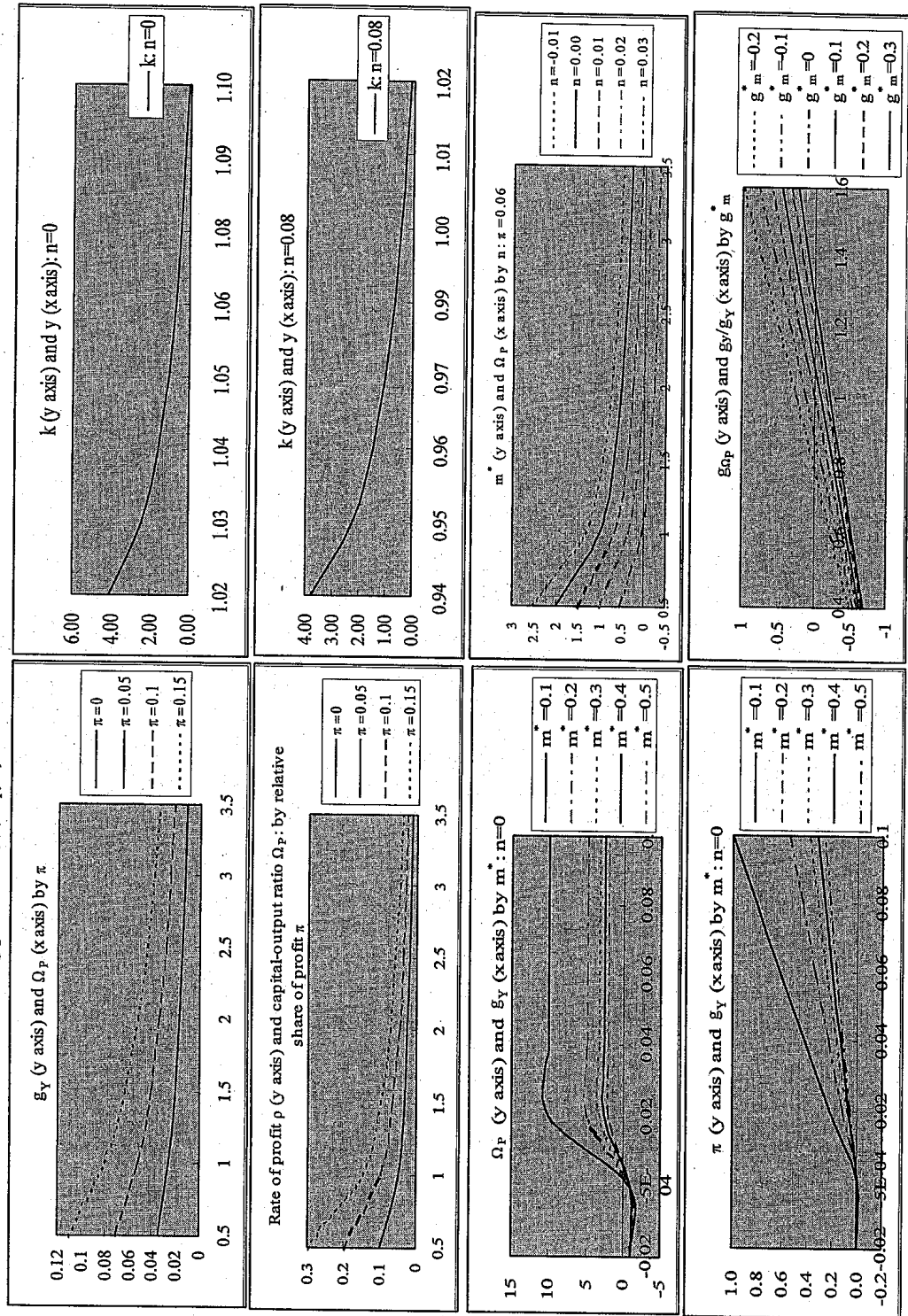
Table 1 Coefficient of technological progress,  $m^*$ , as a function of relative share of profit and the capital-output ratio

Case 1 By the increase in $\pi$												
parameters	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SP}$	$S_{SPY}$	$S_{SWDMD}$	$S_{SWDY}$	variables	$\delta=gy$	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$g_m(t)$
	0.0274	0.136364	1.5	0.3	59.0241	0.4	0.12	0.06	0.0528	0.1728	0.136364	39.3494
1	0.136364	0.136364	0.106058	0.106058	0	0	1.5	0.777756	0.2	65.28406	43.52271	0.204545
2	0.136364	0.136364	0.106058	0.106058	0	0	1.5	0.777756	0.2	72.20793	48.13862	0.204545
3	0.136364	0.136364	0.106058	0.106058	0	0	1.5	0.777756	0.2	79.86614	53.24409	0.204545
Case 2 By the decrease in $\pi$												
parameters	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SP}$	$S_{SPY}$	$S_{SWDMD}$	$S_{SWDY}$	variables	$\delta=gy$	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$g_m(t)$
	0.0274	0.136364	1.5	0.15	59.0241	0.4	0.06	0.03	0.0282	0.0882	0.06383	39.3494
1	0.06383	0.06383	0.035458	0.035458	0	0	1.5	0.555512	0.1	61.11699	40.74466	0.095745
2	0.06383	0.06383	0.035458	0.035458	0	0	1.5	0.555512	0.1	63.28409	42.18939	0.095745
3	0.06383	0.06383	0.035458	0.035458	0	0	1.5	0.555512	0.1	65.52803	43.68536	0.095745
Case 3 By the increase in $\Omega_P$												
parameters	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SP}$	$S_{SPY}$	$S_{SWDMD}$	$S_{SWDY}$	variables	$\delta=gy$	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$g_m(t)$
	0.0274	0.052632	3	0.2	59.0241	0.25	0.05	0.1	0.095	0.145	0.052632	19.6747
1	0.052632	0.052632	0.024559	0.024559	0	0	3	0.466615	0.066667	60.47365	20.15788	0.157895
2	0.052632	0.052632	0.024559	0.024559	0	0	3	0.466615	0.066667	61.95881	20.65294	0.157895
3	0.052632	0.052632	0.024559	0.024559	0	0	3	0.466615	0.066667	63.48043	21.16014	0.157895
Case 4 By the decrease in $\Omega_P$												
parameters	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SP}$	$S_{SPY}$	$S_{SWDMD}$	$S_{SWDY}$	variables	$\delta=gy$	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$g_m(t)$
	0.0274	0.086957	1.5	0.2	59.0241	0.4	0.08	0.04	0.0368	0.1168	0.086957	39.3494
1	0.086957	0.086957	0.057968	0.057968	-1.31E-17	1.5	0.666634	0.133333	62.44562	41.63041	0.130435	0.444423
2	0.086957	0.086957	0.057968	0.057968	-1.31E-17	1.5	0.666634	0.133333	66.06548	44.04365	0.130435	0.444423
3	0.086957	0.086957	0.057968	0.057968	-1.31E-17	1.5	0.666634	0.133333	69.89518	46.59678	0.130435	0.444423

Note:  $m^*=f(\pi, \Omega_P, n)$ , but the above cases only use  $\pi$  and  $\Omega_P$ .

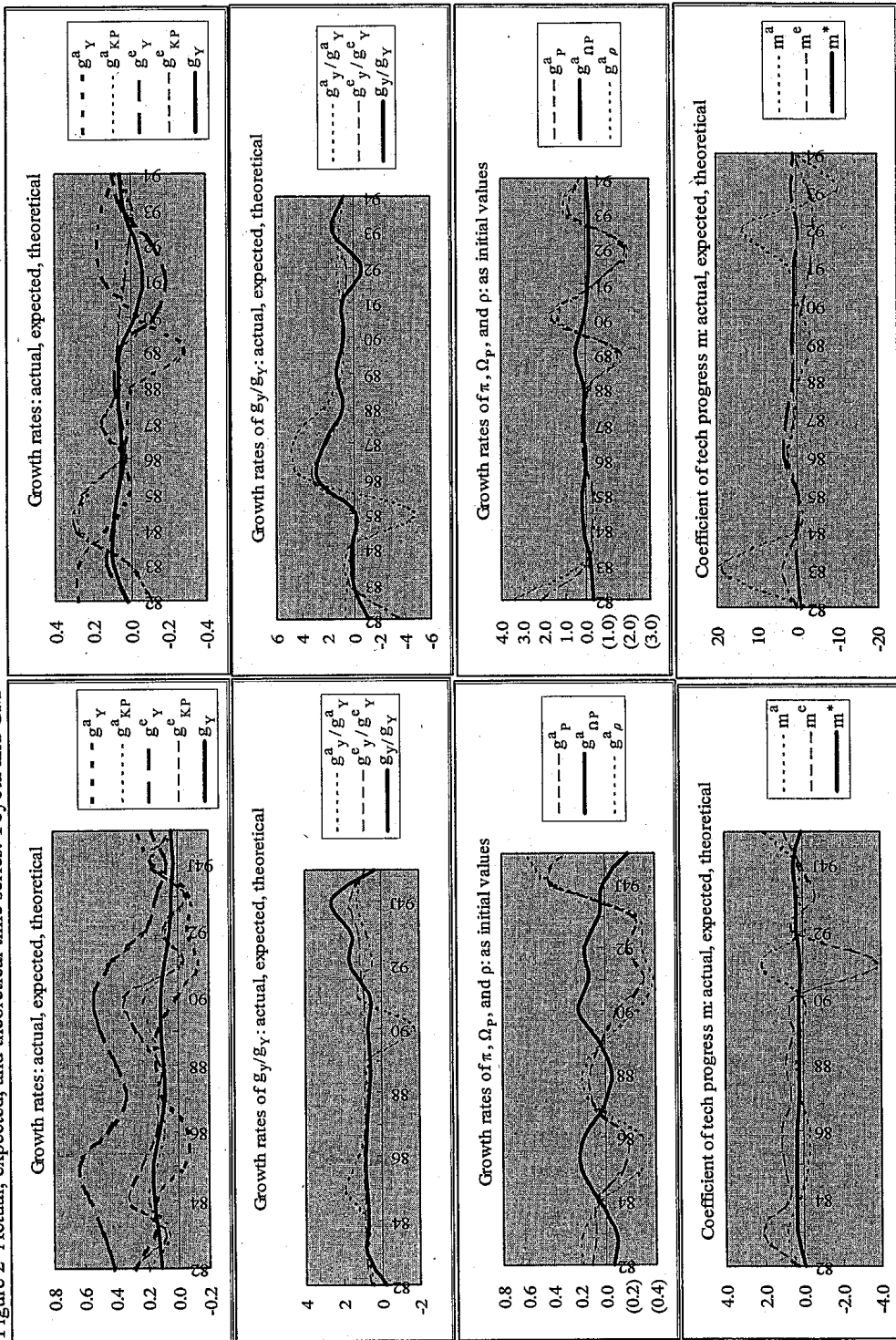
Basic functions and graphs

Figure 1 Fundamental functions using parameters,  $\pi$ ,  $\Omega_p$ ,  $n$ , and  $k$



T GM graphs for time series

Figure 2 Actual, expected, and theoretical time series: Toyota and GM



T GM graphs simulation

Figure 3 Patterns of expected simulation compared with theoretical model: Toyota

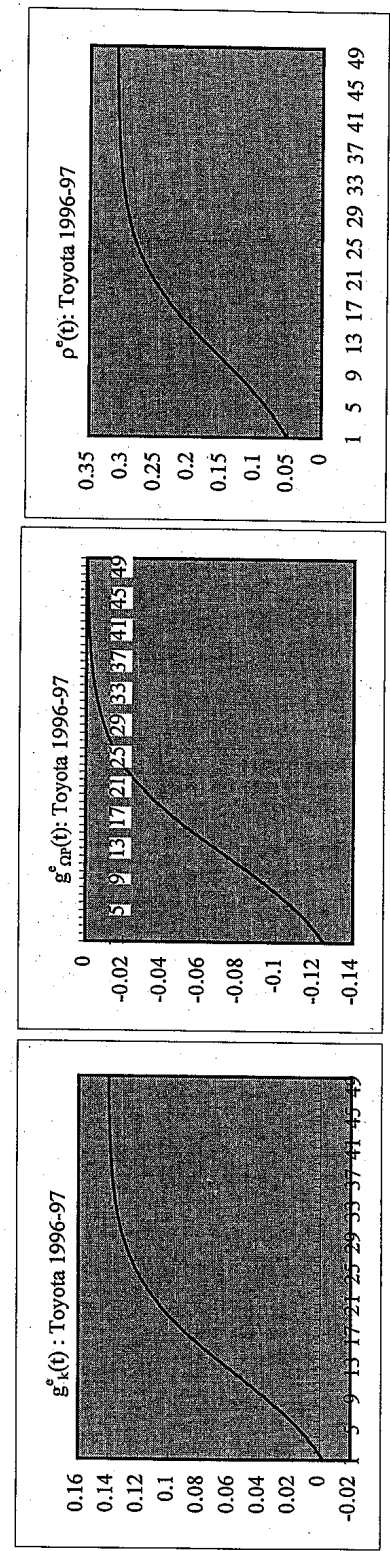
Toyota 1996-97:  $g^y = g^{kp} = g^y = g^{kp}$

Balanced growth		Toyota 1996-97		Theoretical model		Toyota (1)		
period	$g^y(t)$	$g^{kp}(t)$	$g^y(t)$	$g^{kp}(t)$	variables	$\delta = g^y$	$y^0$	$\rho^0$
	0.0274	5.3486	0.241	59.0241	0.157515	0.037961	0.165078	0.158811
1	0.039459	0.039459	0.011737	-6.86E-18	5.3486	0.297459	0.045059	59.71689
2	0.039459	0.039459	0.011737	-6.86E-18	5.3486	0.297459	0.045059	60.41781
3	0.039459	0.039459	0.011737	-6.86E-18	5.3486	0.297459	0.045059	61.12696

Toyota 1996-97:  $g^y > g^{kp}$   $g^y = 0.26478$   $g^{kp} = 0.021335$

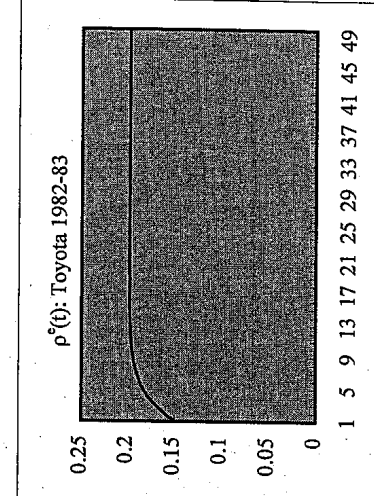
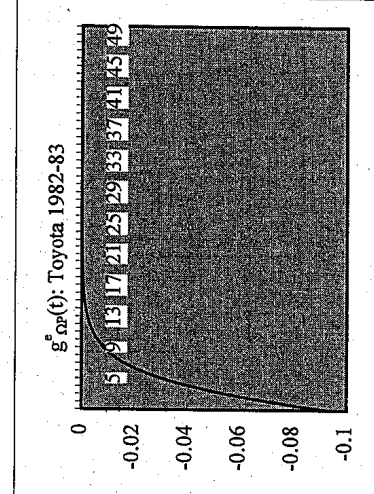
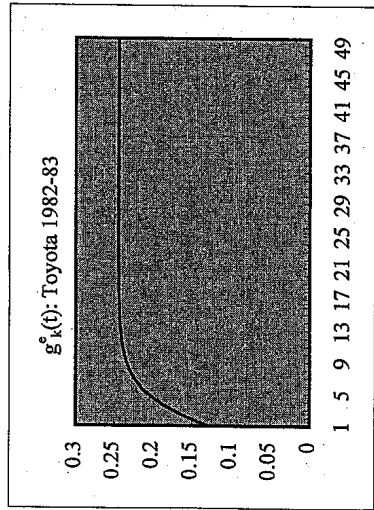
Unbalanced growth		Toyota 1996-97		Theoretical model		Toyota (1)		
period	$g^y(t)$	$g^{kp}(t)$	$g^y(t)$	$g^{kp}(t)$	variables	$\delta^a$	$y^0$	$\rho^0$
	0.0274	5.3486	0.241	59.0241	0.6079	0.146504	-0.03790	-0.032348
1	0.171652	0.025007	-0.002329	0.140404	4.679166	0.817962	0.051505	58.88661
2	0.171652	0.028584	0.001153	0.140404	4.107806	0.817962	0.058669	58.9545
3	0.171652	0.03256	0.005023	0.140404	3.620153	0.817962	0.066572	59.25061
48	0.171652	0.171066	0.139834	0.140404	-0.0005	0.781482	0.817962	0.308389
49	0.171652	0.171151	0.139917	0.140404	-0.000427	0.781148	0.817962	0.30852
50	0.171652	0.171224	0.139989	0.140404	-0.000365	0.780863	0.817962	0.308633





TGM graphs simulation

Toyota 1982-83: $g^e = g^{KP} = g^Y = g^{KP}$															
Toyota (3)															
Balanced growth															
period	$n$	$\Omega^0$	$\pi^0$	$k^0$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	variables	$\delta = g^Y$	$y^0$	$\rho^0$			
		0.1335	2.6579	0.3595	20.4634	0.273381	0.09828	0.162939	0.146925	0.245206	0.108992	7.699086	0.135257		
		$g^Y(t)$	$g^{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{SP}(t)$	$\Omega_P(t)$	$\chi(t) = g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$m(t)$	$g_m(t)$		
1	0.108992	0.108992	-0.021621	-0.021621	0	2.6579	-0.198375	0.135257	20.02095	7.532621	0.28969	-0.074636			
2	0.108992	0.108992	-0.021621	-0.021621	0	2.6579	-0.198375	0.135257	19.58807	7.369756	0.28969	-0.074636	0		
3	0.108992	0.108992	-0.021621	-0.021621	0	2.6579	-0.198375	0.135257	19.16456	7.210412	0.28969	-0.074636	0		
Toyota 1982-83: $g^a = g^Y > g^{KP}$															
Unbalanced growth															
period	$n$	$\Omega^0$	$\pi^0$	$k^0$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$			
		0.1335	2.6579	0.3595	20.4634	0.8096	0.291051	0.3338	0.236647	0.527698	0.1502	7.699086	0.135257		
		$g^Y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^Y(t)$	$g^{SP}(t)$	$\Omega_P(t)$	$\chi^0(t) = g^Y(t)$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$m^0(t)$	$g^m(t)$		
1	0.410539	0.280048	0.129288	0.24441	-0.092512	2.412013	0.59534	0.149046	23.10907	9.580822	0.744339	0.328359			
2	0.410539	0.308597	0.154474	0.24441	-0.072272	2.237692	0.59534	0.160657	26.67883	11.92247	0.744339	0.328359	1.69E-16		
3	0.410539	0.332637	0.175683	0.24441	-0.055229	2.114108	0.59534	0.170048	31.36585	14.83645	0.744339	0.328359	-1.69E-16		
48	0.410539	0.410539	0.24441	0.24441	-1.29E-08	1.813077	0.59534	0.198282	504787.3	278414.7	0.744339	0.328359	0		
49	0.410539	0.410539	0.24441	0.24441	-9.16E-09	1.813077	0.59534	0.198282	628162.6	346462.1	0.744339	0.328359	0		
50	0.410539	0.410539	0.24441	0.24441	-6.49E-09	1.813077	0.59534	0.198282	781692	431141	0.744339	0.328359	0		





T GM graphs simulation

Figure 4 Patterns of expected simulation compared with theoretical model: GM

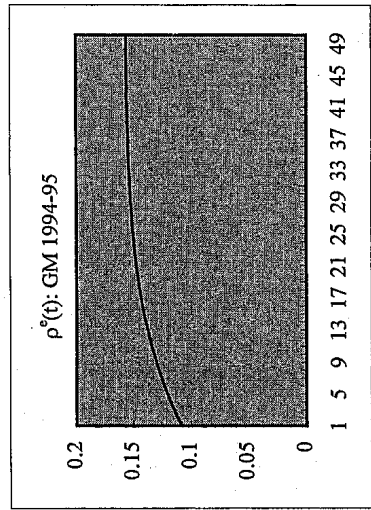
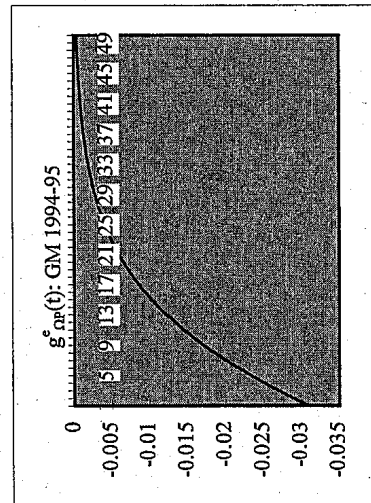
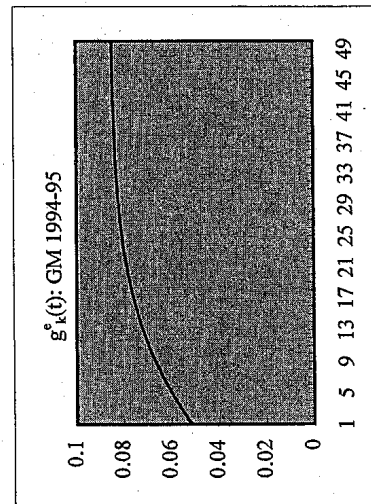
GM 1994-95:  $g^e = g^{KP} = g^y = g^{KP}$

period	$g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	variables	$\delta = g^y$	$y^0$	$\rho^0$
	0.0172	1.1582	0.1216	66.9934	0.463349	0.056343	0.008914	0.008411	0.064755					$Y^0(t)$	0.059707	57.84269	0.104991
1	0.059707	0.059707	0.041789	-6.66E-18	1.1582	0.69989	0.104991	69.79296	60.25985	0.069153	0.604291			$m(t)$	0.059707	57.84269	0.104991
2	0.059707	0.059707	0.041789	-6.66E-18	1.1582	0.69989	0.104991	72.70951	62.77803	0.069153	0.604291			$g^m(t)$	0.059707	57.84269	0.104991
3	0.059707	0.059707	0.041789	-6.66E-18	1.1582	0.69989	0.104991	75.74794	65.40143	0.069153	0.604291				0.059707	57.84269	0.104991

GM 1994-95:  $g^a = y^e > g^e$

period	$g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$g^y(t)$	$g^{KP}(t)$	$g^k(t)$	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	variables	$\delta^a$	$y^0$	$\rho^0$
	0.0172	1.1582	0.1216	66.9934	0.7731	0.094009	-0.02310	-0.020928	0.073081	0.2147				$Y^0(t)$	57.84269	0.104991	
1	0.103764	0.069646	0.051559	0.0851	-0.030911	1.122399	0.820132	0.108339	70.44751	62.7651	0.080664	1.054997		$m^0(t)$	57.84269	0.104991	
2	0.103764	0.071867	0.053743	0.0851	-0.028898	1.089964	0.820132	0.111563	74.23355	68.1064	0.080664	1.054997		$g^m(t)$	57.84269	0.104991	
3	0.103764	0.074006	0.055845	0.0851	-0.02696	1.060579	0.820132	0.114654	78.37914	73.90226	0.080664	1.054997			57.84269	0.104991	
48	0.103764	0.103275	0.08462	0.0851	-0.000443	0.78071	0.820132	0.155756	2276.598	2916.059	0.080664	1.054997			57.84269	0.104991	
49	0.103764	0.103321	0.084665	0.0851	-0.000401	0.780397	0.820132	0.155818	2469.345	3164.215	0.080664	1.054997			57.84269	0.104991	
50	0.103764	0.103362	0.084705	0.0851	-0.000364	0.780113	0.820132	0.155875	2678.512	3433.49	0.080664	1.054997			57.84269	0.104991	



T GM graphs simulation

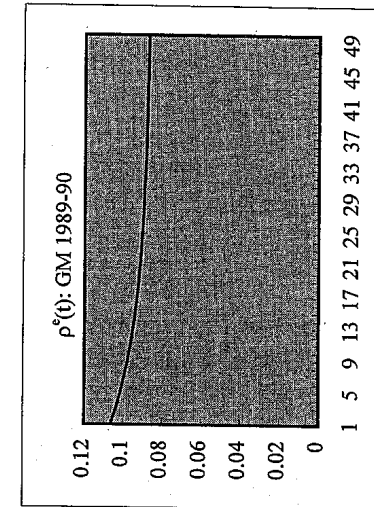
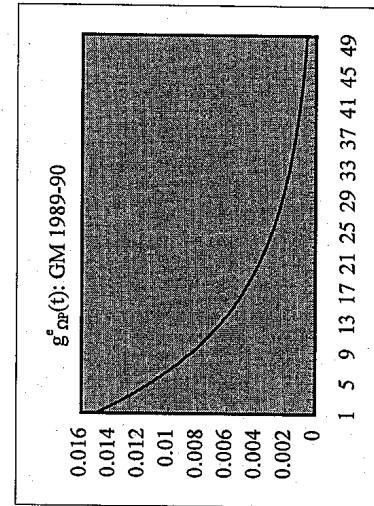
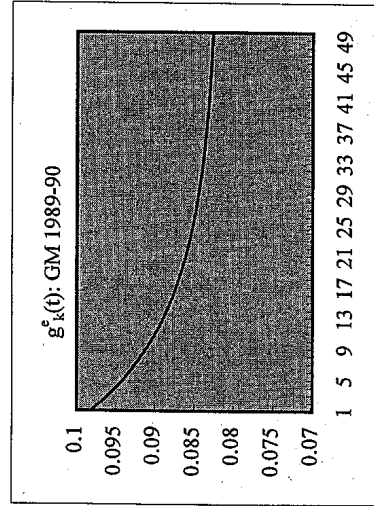
GM (2)

GM 1989-90:  $g^a Y = g^b K^c P = g^d Y = g^e K^f P$

period	$\pi$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SMDY}$	$S_{SPY}$	$S_{SMDY}$	$S_{SPY}$	$S_{SMDY}$	variables	$\delta = g^y$	$y^0$	$\rho^0$
	-0.0177	1.0238	0.1105	50.4786	0.49412	0.0546	0.001229	0.001229	0.055829		$y(t)$	$1/Y^0(t)$	$m(t)$	$g^m(t)$
1	0.057754	0.057754	0.076813	0.076813	0	1.0238	1.330016	0.107931	54.35602	53.09242	0.059128	1.299097		
2	0.057754	0.057754	0.076813	0.076813	0	1.0238	1.330016	0.107931	58.53128	57.17062	0.059128	1.299097		
3	0.057754	0.057754	0.076813	0.076813	0	1.0238	1.330016	0.107931	63.02726	61.56208	0.059128	1.299097		

GM 1989-90:  $g^a Y < g^b K^c P$   $g^a K^b = 0.074145$

period	$\pi$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SMDY}$	$S_{SPY}$	$S_{SMDY}$	$S_{SPY}$	$S_{SMDY}$	variables	$\delta^a$	$y^0$	$\rho^0$
	-0.0177	1.0238	0.1105	50.4786	0.535	0.059118	0.0178	0.016748	0.075865	0.1832	$y^0(t)$	$1^0 Y^{e0}(t)$	$m^0(t)$	$g^m(t)$
1	0.062832	0.078758	0.098196	0.081983	0.014984	1.039141	1.304799	0.106338	55.43538	53.34732	0.080632	1.016756		
2	0.062832	0.077595	0.097012	0.081983	0.01389	1.053575	1.304799	0.104881	60.81327	57.7209	0.080632	1.016756		
3	0.062832	0.076532	0.09593	0.081983	0.01289	1.067155	1.304799	0.103546	66.64707	62.45304	0.080632	1.016756	-2.18E-16	
48	0.062832	0.063565	0.082729	0.081983	0.00069	1.269369	1.304799	0.087051	2748.289	2165.083	0.080632	1.016756		
49	0.062832	0.063521	0.082685	0.081983	0.000649	1.270192	1.304799	0.086995	2975.531	2342.583	0.080632	1.016756		
50	0.062832	0.06348	0.082643	0.081983	0.00061	1.270967	1.304799	0.086942	3221.438	2534.635	0.080632	1.016756	2.18E-16	



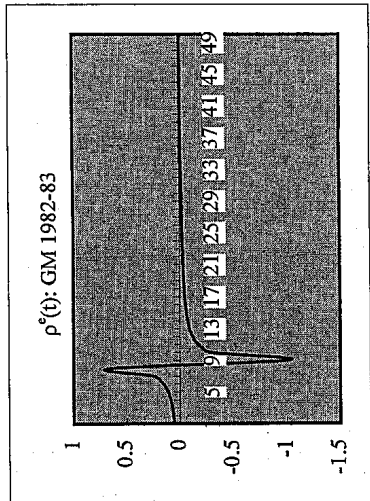
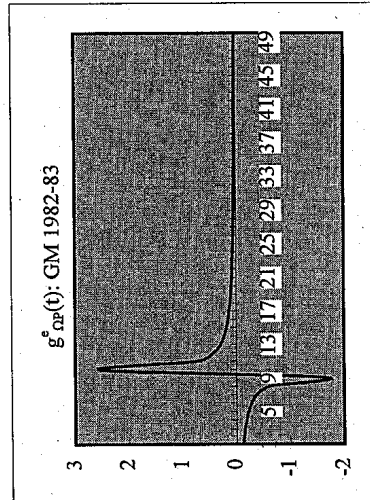
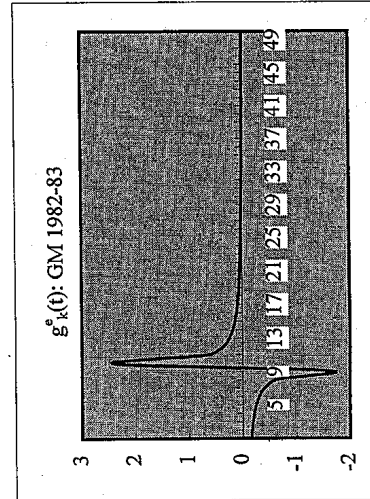
T GM graphs simulation

GM 1982-83:  $g^a_Y = g^a_{KP} = g^a_Y - g^a_{KP}$

Balanced growth		$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPF}$	$S^{SPY}$	$S^{SMDM}$	$S^{SMDY}$	$S^{SSY}$	variables	$\delta = g_Y$	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$S^{SPF}$	$\chi(t) = g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^a_m(t)$
1	0.023985	0.023985	0.023985	0.023985	-0.026445	-3.56E-18	1.1005	-1.102588	0.044707	31.91536	29.00078	0.026395	-1.001897	0
2	0.023985	0.023985	0.023985	0.023985	-0.026445	-3.56E-18	1.1005	-1.102588	0.044707	31.07135	28.23385	0.026395	-1.001897	0
3	0.023985	0.023985	0.023985	0.023985	-0.026445	-3.56E-18	1.1005	-1.102588	0.044707	30.24966	27.48719	0.026395	-1.001897	0

GM 1982-83:  $g^a_Y > g^a_{KP}$   $g^a_Y = 0.039317$   $g^a_{KP} = 0.042207$

Unbalanced growth		$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPF}$	$S^{SPY}$	$S^{SMDM}$	$S^{SMDY}$	$S^{SSY}$	$\delta^a$	variables	$y^0$	$\rho^0$
period	$g^a_Y(t)$	$g^a_{KP}(t)$	$g^a_k(t)$	$g^a_Y(t)$	$g^a_{KP}(t)$	$\Omega^0_P(t)$	$S^{SPF}$	$\chi^0(t) = g^a_Y/g^a_Y$	$\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^0(t)$	$m^0(t)$	$g^a_m(t)$
1	0.010978	-0.111424	-0.155186	-0.038812	-0.121073	0.967259	-3.535542	0.050865	27.69496	28.6324	-0.122622	0.316516	0	0
2	0.010978	-0.126773	-0.169778	-0.038812	-0.136255	0.835466	-3.535542	0.058889	22.99295	27.52112	-0.122622	0.316516	0	0
3	0.010978	-0.146771	-0.188792	-0.038812	-0.156036	0.705103	-3.535542	0.069777	18.65207	26.45298	-0.122622	0.316516	0	0
48	0.010978	0.03206	-0.018768	-0.038812	0.020853	-3.90454	-3.535542	-0.012601	-17.39489	4.455042	-0.122622	0.316516	1.75E-16	0
49	0.010978	0.031405	-0.01939	-0.038812	0.020206	-3.983433	-3.535542	-0.012351	-17.05759	4.282133	-0.122622	0.316516	0	0
50	0.010978	0.030783	-0.019982	-0.038812	0.01939	-4.06147	-3.535542	-0.012114	-16.71675	4.115936	-0.122622	0.316516	0	0



Toyota alternative policies

Toyota (1)																
parameters	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	variables	$\delta=g_Y$	$y^0$	$\rho^0$					
period $g_Y(t)$	0.0274	5.3486	0.241	59.0241	0.157515	0.037961	0.158811	0.196772		0.039459	11.03543	0.045059				
	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{\Omega P}(t)$	$\chi(t)=g_Y/\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$						
1	0.039459	0.039459	0.011737	-6.86E-18	5.3486	0.297459	0.045059	59.71689	11.16496	0.211051	0.055614					
2	0.039459	0.039459	0.011737	-6.86E-18	5.3486	0.297459	0.045059	60.41781	11.29601	0.211051	0.055614	0				
3	0.039459	0.039459	0.011737	-6.86E-18	5.3486	0.297459	0.045059	61.12696	11.42859	0.211051	0.055614	0				
<b>Unbalanced Growth State</b>																
	Toyota 1996-97: $g_Y = g_{KP}$ $g^a_{KP} = 0.021335$															
parameters	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPP}$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$				
period $g_Y(t)$	0.0274	5.3486	0.241	59.0241	0.6079	0.146504	-0.03790	-0.032348	0.114156	0.0623	11.03543	0.045059				
	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{\Omega P}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g_Y/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^0_m(t)$					
1	0.171652	0.025007	-0.002329	0.140404	-0.125161	4.679166	0.817962	0.051505	58.88661	12.58485	0.133752	1.049741				
2	0.171652	0.028584	0.001153	0.140404	-0.122107	4.107806	0.817962	0.058669	58.9545	14.35182	0.133752	1.049741	2.12E-16			
3	0.171652	0.03256	0.005023	0.140404	-0.118714	3.620153	0.817962	0.066572	59.25061	16.36688	0.133752	1.049741	-2.12E-16			
<b>ALTERNATIVE POLICIES in the short run: by changing <math>S^{SPP}</math> or <math>S^{SMDWD}</math></b>																
1-1. By changing $S^{SPP}$																
	Toyota 1996-97: $g_Y = g_{KP}$ $g^a_{KP} = 0.021335$															
parameters	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPP}$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$				
period $g_Y(t)$	0.0274	5.3486	0.241	59.0241	0.4	0.0964	-0.03790	-0.034246	0.062154	0.0623	11.03543	0.045059				
	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{\Omega P}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g_Y/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^0_m(t)$					
1	0.106684	0.01286	-0.014152	0.07717	-0.084779	4.895149	0.723348	0.049232	58.18879	11.88703	0.068784	1.121911				
2	0.106684	0.014052	-0.012992	0.07717	-0.083703	4.48541	0.723348	0.05373	57.43278	12.80435	0.068784	1.121911	1.98E-16			
3	0.106684	0.015335	-0.011743	0.07717	-0.082543	4.11517	0.723348	0.058564	56.75834	13.79247	0.068784	1.121911	-1.98E-16			
2-1. By changing $S^{SMDWD}$																
	Toyota 1996-97: $g_Y = g_{KP}$ $g^a_{KP} = 0.021335$															
parameters	$\Omega^0_P$	$\pi^0$	$k^0$	$S^{SPP}$	$S^{SPY}$	$S^{SMDWD}$	$S^{SMDY}$	$S^{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$				
period $g_Y(t)$	0.0274	5.3486	0.241	59.0241	0.6079	0.146504	0.02000	0.163574	0.0623	11.03543	0.045059					
	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{\Omega P}(t)$	$\Omega^0_P(t)$	$\chi^0(t)=g_Y/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$I^0/Y^{00}(t)$	$m^0(t)$	$g^0_m(t)$					
1	0.171652	0.035832	0.008207	0.140404	-0.115921	4.728583	0.817962	0.050967	59.50852	12.58485	0.191652	0.732603				
2	0.171652	0.04053	0.01278	0.140404	-0.111911	4.199401	0.817962	0.057389	60.26906	14.35182	0.191652	0.732603	0			
3	0.171652	0.045638	0.017751	0.140404	-0.107552	3.747746	0.817962	0.064305	61.33892	16.36688	0.191652	0.732603	0			

Toyota alternative policies

Toyota (2)																			
parameters	$n$	$\Omega^0_P$	$\pi^0$	$g^a_{\gamma} = 0.26478$	$k^0$	$g^0_{\gamma}(t)$	$g^0_{\kappa}(t)$	$g^0_{\rho}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$S^0_{SPY}$	$S^0_{SMDWD}$	$S^0_{SMDY}$	$S^0_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$	
3-1. By changing both $s^0_{SPY}$ and $s^0_{SMDWD}$																			
Toyota 1996-97: $g^a_{\gamma} > g^0_{\kappa P}$																			
$g^a_{\kappa P} = 0.021335$																			
period	$g^0_{\gamma}(t)$	$g^0_{\kappa P}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\rho}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$S^0_{SPY}$	$S^0_{SMDWD}$	$S^0_{SMDY}$	$S^0_{SY}$	$\delta^a$	$i^0_{\gamma^{EO}}(t)$	$m^0(t)$	$g^0_m(t)$	
1	0.106684	0.023686	-0.003615	0.07717	-0.074998	4.947467	0.723348	0.48712	58.8107	11.88703	0.126684	0.609151			0.0623	11.03543	0.045059		
2	0.106684	0.025606	-0.001746	0.07717	-0.073263	4.585003	0.723348	0.052563	58.70801	12.80435	0.126684	0.609151			0.0623	11.03543	0.045059		
3	0.106684	0.02763	0.000224	0.07717	-0.071433	4.257481	0.723348	0.056606	58.72116	13.79247	0.126684	0.609151			0.0623	11.03543	0.045059		
1-2. By changing $s^0_{SPY}$																			
Toyota 1996-97: $g^a_{\gamma} > g^0_{\kappa P}$																			
$g^a_{\kappa P} = 0.021335$																			
period	$g^0_{\gamma}(t)$	$g^0_{\kappa P}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\rho}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$S^0_{SPY}$	$S^0_{SMDWD}$	$S^0_{SMDY}$	$S^0_{SY}$	$\delta^a$	$i^0_{\gamma^{EO}}(t)$	$m^0(t)$	$g^0_m(t)$	
1	0.23885	0.037571	0.009899	0.205811	-0.162473	4.479597	0.861674	0.053799	59.6084	13.30664	0.20095	1.024189			0.0623	11.03543	0.045059		
2	0.23885	0.044859	0.016993	0.205811	-0.15659	3.778138	0.861674	0.063788	60.62135	16.0453	0.20095	1.024189			0.0623	11.03543	0.045059		
3	0.23885	0.053188	0.0251	0.205811	-0.149867	3.211192	0.861674	0.075033	62.14294	19.3476	0.20095	1.024189			0.0623	11.03543	0.045059		
2-2. By changing $s^0_{SMDWD}$																			
Toyota 1996-97: $g^a_{\gamma} > g^0_{\kappa P}$																			
$g^a_{\kappa P} = 0.021335$																			
period	$g^0_{\gamma}(t)$	$g^0_{\kappa P}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\rho}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$S^0_{SPY}$	$S^0_{SMDWD}$	$S^0_{SMDY}$	$S^0_{SY}$	$\delta^a$	$i^0_{\gamma^{EO}}(t)$	$m^0(t)$	$g^0_m(t)$	
1	0.171652	0.050789	0.022766	0.140404	-0.103155	4.796863	0.817962	0.050241	60.36781	12.58485	0.271652	0.516855			0.0623	11.03543	0.045059		
2	0.171652	0.056631	0.028452	0.140404	-0.098169	4.325957	0.817962	0.05571	62.08537	14.35182	0.271652	0.516855			0.0623	11.03543	0.045059		
3	0.171652	0.062796	0.034452	0.140404	-0.092908	3.924041	0.817962	0.061416	64.22432	16.36688	0.271652	0.516855			0.0623	11.03543	0.045059		
3-2. By changing both $s^0_{SPY}$ and $s^0_{SMDWD}$																			
Toyota 1996-97: $g^a_{\gamma} > g^0_{\kappa P}$																			
$g^a_{\kappa P} = 0.021335$																			
period	$g^0_{\gamma}(t)$	$g^0_{\kappa P}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\gamma}(t)$	$g^0_{\rho}(t)$	$g^0_{\rho}(t)$	$\Omega^0_P(t)$	$\Omega^0_P(t)$	$S^0_{SPY}$	$S^0_{SMDWD}$	$S^0_{SMDY}$	$S^0_{SY}$	$\delta^a$	$i^0_{\gamma^{EO}}(t)$	$m^0(t)$	$g^0_m(t)$	
1	0.23885	0.063353	0.034994	0.205811	-0.141661	4.59091	0.861674	0.052495	61.0896	13.30664	0.33885	0.607381			0.0623	11.03543	0.045059		
2	0.23885	0.073809	0.045171	0.205811	-0.133221	3.979302	0.861674	0.060563	63.8491	16.0453	0.33885	0.607381			0.0623	11.03543	0.045059		
3	0.23885	0.085153	0.056213	0.205811	-0.124064	3.485613	0.861674	0.069141	67.43825	19.3476	0.33885	0.607381			0.0623	11.03543	0.045059		

Toyota alternative policies

Toyota (3)

ALTERNATIVE POLICIES in the long run: by changing each parameter:  $\pi$ ,  $\Omega_P$ , and  $n$

Balanced Growth State

Toyota 1996-97:  $g^a = g^k = g^m = g^y = g^p = g^g$

parameters	$n$	$\Omega_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta = g^y$	$y^0$	$p^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$\chi(t) = g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$
1	0.039459	0.039459	0.011737	0.011737	-6.86E-18	5.3486	0.297459	0.045059	59.71689	11.16496	0.211051	0.055614	0
2	0.039459	0.039459	0.011737	0.011737	-6.86E-18	5.3486	0.297459	0.045059	60.41781	11.29601	0.211051	0.055614	0
3	0.039459	0.039459	0.011737	0.011737	-6.86E-18	5.3486	0.297459	0.045059	61.12696	11.42859	0.211051	0.055614	0

4-1. By changing  $\pi$ : by using tax rate and adjusting wage level and others

parameters	$n$	$\Omega_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta = g^y$	$y^0$	$p^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$\chi(t) = g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$
1	0.049598	0.049598	0.021606	0.021606	0	5.3486	0.435625	0.056089	60.29939	11.27386	0.265281	0.081447	0
2	0.049598	0.049598	0.021606	0.021606	0	5.3486	0.435625	0.056089	61.60223	11.51745	0.265281	0.081447	0
3	0.049598	0.049598	0.021606	0.021606	0	5.3486	0.435625	0.056089	62.93323	11.7663	0.265281	0.081447	0

4-2. By changing  $\pi$ : by using tax rate and adjusting wage level and others

parameters	$n$	$\Omega_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta = g^y$	$y^0$	$p^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$\chi(t) = g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$
1	0.032528	0.032528	0.004991	0.004991	-6.04E-18	5.3486	0.153438	0.037393	59.31869	11.09051	0.173978	0.028687	0
2	0.032528	0.032528	0.004991	0.004991	-6.04E-18	5.3486	0.153438	0.037393	59.61475	11.14586	0.173978	0.028687	0
3	0.032528	0.032528	0.004991	0.004991	-6.04E-18	5.3486	0.153438	0.037393	59.91228	11.20149	0.173978	0.028687	0

5-1. By changing  $\Omega_P$ : using tax rate and depreciation ratio and others

parameters	$n$	$\Omega_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta = g^y$	$y^0$	$p^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$\chi(t) = g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g^m(t)$
1	0.050641	0.050641	0.022621	0.022621	-6.79E-18	4	0.446696	0.06025	60.35929	15.08982	0.202564	0.111674	0
2	0.050641	0.050641	0.022621	0.022621	-6.79E-18	4	0.446696	0.06025	61.72468	15.43117	0.202564	0.111674	0
3	0.050641	0.050641	0.022621	0.022621	-6.79E-18	4	0.446696	0.06025	63.12096	15.78024	0.202564	0.111674	0

Toyota alternative policies

															Toyota (4)		
															$\delta=g_y$	$y^0$	$\rho^0$
5-2. By changing $\Omega_P$ : using tax rate and depreciation ratio and others																	
parameters n	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta=g_y$	$y^0$	$\rho^0$					
	0.0274	6	0.241	59.0241	0.142857	0.034429	0.172143	0.166216	0.200645	0.035656	9.83735	0.040167					
period $g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$					
1	0.035656	0.035656	0.008036	0.008036	-6.88E-18	6	0.225374	0.040167	59.49842	9.916403	0.213937	0.037562					
2	0.035656	0.035656	0.008036	0.008036	-6.88E-18	6	0.225374	0.040167	59.97654	9.996091	0.213937	0.037562	0				
3	0.035656	0.035656	0.008036	0.008036	-6.88E-18	6	0.225374	0.040167	60.45851	10.07642	0.213937	0.037562	0				
6-1. By changing n as the growth rate of workers																	
parameters n	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta=g_y$	$y^0$	$\rho^0$					
	0.05	5.3486	0.241	59.0241	0.157515	0.037961	0.165078	0.158811	0.196772	0.039459	11.03543	0.045059					
period $g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$					
1	0.039459	0.039459	-0.010039	-0.010039	-7.01E-18	5.3486	-0.254416	0.045059	58.43156	10.92464	0.211051	-0.047567					
2	0.039459	0.039459	-0.010039	-0.010039	-7.01E-18	5.3486	-0.254416	0.045059	57.84496	10.81497	0.211051	-0.047567	0				
3	0.039459	0.039459	-0.010039	-0.010039	-7.01E-18	5.3486	-0.254416	0.045059	57.26425	10.7064	0.211051	-0.047567	0				
6-2. By changing n as the growth rate of workers																	
parameters n	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta=g_y$	$y^0$	$\rho^0$					
	-0.01	5.3486	0.241	59.0241	0.157515	0.037961	0.165078	0.158811	0.196772	0.039459	11.03543	0.045059					
period $g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$					
1	0.039459	0.039459	0.049959	0.049959	-6.61E-18	5.3486	1.266088	0.045059	61.97286	11.58674	0.211051	0.236714					
2	0.039459	0.039459	0.049959	0.049959	-6.61E-18	5.3486	1.266088	0.045059	65.06894	12.1656	0.211051	0.236714	0				
3	0.039459	0.039459	0.049959	0.049959	-6.61E-18	5.3486	1.266088	0.045059	68.3197	12.77338	0.211051	0.236714	0				
6-3. By changing n and $\Omega_P$																	
parameters n	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SVDWD}$	$S_{SVDY}$	$S_{SY}$	variables	$\delta=g_y$	$y^0$	$\rho^0$					
	0	4	0.241	59.0241	0.2	0.0482	0.1446	0.13763	0.18583	0.050641	14.75603	0.06025					
period $g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$					
1	0.050641	0.050641	0.050641	0.050641	-6.6E-18	4	1	0.06025	62.01313	15.50328	0.202564	0.25					
2	0.050641	0.050641	0.050641	0.050641	-6.6E-18	4	1	0.06025	65.15353	16.28838	0.202564	0.25	0				
3	0.050641	0.050641	0.050641	0.050641	-6.6E-18	4	1	0.06025	68.45297	17.11324	0.202564	0.25	0				

GM alternative policies

Table 3 Alternative policies in a short run and a long run: GM														
Balanced Growth State														
GM 1994-95: $g^y = g^{kp} = g^y = g^{kp}$														
parameters	$\Omega^p$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	variables	$\delta = g^y$	$y^0$	$\rho^0$	GM (1)	
period $g^y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{\Omega P}(t)$	$\Omega_P(t)$	$\chi(t) = g^y / \rho(t)$	$\rho(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.059707	0.059707	0.041789	-6.66E-18	1.1582	0.69989	0.104991	69.79296	60.25985	0.069153	0.604291	0		
2	0.059707	0.059707	0.041789	-6.66E-18	1.1582	0.69989	0.104991	72.70951	62.77803	0.069153	0.604291	0		
3	0.059707	0.059707	0.041789	-6.66E-18	1.1582	0.69989	0.104991	75.74794	65.40143	0.069153	0.604291	0		
Unbalanced Growth State														
GM 1994-95: $g^y > g^{kp}$														
parameters	$\Omega^p$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$		
period $g^y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{\Omega P}(t)$	$\Omega_P(t)$	$\chi(t) = g^y / \rho(t)$	$\rho(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.103764	0.069646	0.051559	0.0851	-0.030911	1.123399	0.820132	0.108339	70.44751	62.7651	0.080664	1.054997		
2	0.103764	0.071867	0.053743	0.0851	-0.028898	1.089964	0.820132	0.111563	74.23355	68.1064	0.080664	1.054997		
3	0.103764	0.074006	0.055845	0.0851	-0.02696	1.060579	0.820132	0.114654	78.37914	73.90226	0.080664	1.054997		
ALTERNATIVE POLICIES in the short-run : by changing $S_{SPY}$ or $S_{SMDWD}$														
1-1. By changing $S_{SPY}$														
GM 1994-95: $g^y > g^{kp}$														
parameters	$\Omega^p$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$		
period $g^y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{\Omega P}(t)$	$\Omega_P(t)$	$\chi(t) = g^y / \rho(t)$	$\rho(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.051127	0.024199	0.00688	0.033353	-0.025618	1.128529	0.523261	0.107751	67.45433	59.77192	0.028027	1.190044		
2	0.051127	0.024835	0.007506	0.033353	-0.025013	1.100301	0.652361	0.110515	67.96062	61.7655	0.028027	1.190044		
3	0.051127	0.025472	0.008132	0.033353	-0.024407	1.073446	0.652361	0.11328	68.51329	63.82558	0.028027	1.190044		
2-1. By changing $S_{SMDWD}$														
GM 1994-95: $g^y > g^{kp}$														
parameters	$\Omega^p$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$		
period $g^y(t)$	$g_{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{\Omega P}(t)$	$\Omega_P(t)$	$\chi(t) = g^y / \rho(t)$	$\rho(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g_m(t)$		
1	0.103764	0.106859	0.088143	0.0851	0.002804	1.161448	0.820132	0.104697	72.89837	62.7651	0.123764	0.6876		
2	0.103764	0.10656	0.087849	0.0851	0.002533	1.16439	0.820132	0.104432	79.30241	68.1064	0.123764	0.6876		
3	0.103764	0.106291	0.087584	0.0851	0.002289	1.167056	0.820132	0.104194	86.24804	73.90226	0.123764	0.6876		



GM alternative policies

GM (2)		GM 1994-95: $g^a_{\gamma} > g^e_{\gamma} > g^e_{KP}$												GM (2)			
parameters	$n$	$g^a_{\gamma}$	$\pi^0$	$\Omega^0_P$	$g^e_{KP}(t)$	$g^e_{\gamma}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
3-1. By changing both $s^e_{SPF}$ and $s^e_{SVDWD}$		GM 1994-95: $g^a_{\gamma} > g^e_{\gamma} > g^e_{KP}$												GM (2)			
parameters	$n$	$g^a_{\gamma}$	$\pi^0$	$\Omega^0_P$	$g^e_{KP}(t)$	$g^e_{\gamma}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
		0.0172	1.1582	0.0172	1.1582	0.1216	66.9934	0.4	0.04864	0.02000	0.019027	0.067667	0.0623		57.84269	0.104991	
period	$g^e_{\gamma}(t)$	$g^e_{KP}(t)$	$g^e_{\nu}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	$y^0(t)$	$\rho^0(t)$		$m^0(t)$	$g^e_{m}(t)$	
1	0.051127	0.061412	0.043464	0.033353	0.009784	1.169532	0.652361	0.103973	69.9052	59.77192	0.071127	0.468925					
2	0.051127	0.060816	0.042879	0.033353	0.009218	1.180313	0.652361	0.103023	72.90266	61.7655	0.071127	0.468925					
3	0.051127	0.060261	0.042333	0.033353	0.00869	1.19057	0.652361	0.102136	75.98883	63.82558	0.071127	0.468925					
1-2. By changing $s^e_{SPF}$		GM 1994-95: $g^a_{\gamma} > g^e_{\gamma} > g^e_{KP}$												GM (2)			
parameters	$n$	$g^a_{\gamma}$	$\pi^0$	$\Omega^0_P$	$g^e_{KP}(t)$	$g^e_{\gamma}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
		0.0172	1.1582	0.0172	1.1582	0.1216	66.9934	0.9	0.10944	-0.02310	-0.020572	0.088868	0.0623		57.84269	0.104991	
period	$g^e_{\gamma}(t)$	$g^e_{KP}(t)$	$g^e_{\nu}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	$y^0(t)$	$\rho^0(t)$		$m^0(t)$	$g^e_{m}(t)$	
1	0.122889	0.086159	0.067793	0.103902	-0.032711	1.120315	0.845494	0.108541	71.53506	63.85265	0.099789	1.041216					
2	0.122889	0.089072	0.070657	0.103902	-0.030116	1.086575	0.845494	0.111911	76.58951	70.48706	0.099789	1.041216					
3	0.122889	0.091838	0.073376	0.103902	-0.027653	1.056529	0.845494	0.115094	82.20934	77.81079	0.099789	1.041216					
2-2. By changing $s^e_{SVDWD}$		GM 1994-95: $g^a_{\gamma} > g^e_{\gamma} > g^e_{KP}$												GM (2)			
parameters	$n$	$g^a_{\gamma}$	$\pi^0$	$\Omega^0_P$	$g^e_{KP}(t)$	$g^e_{\gamma}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
		0.0172	1.1582	0.0172	1.1582	0.1216	66.9934	0.7731	0.094009	0.10000	0.090599	0.184608	0.0623		57.84269	0.104991	
period	$g^e_{\gamma}(t)$	$g^e_{KP}(t)$	$g^e_{\nu}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	$y^0(t)$	$\rho^0(t)$		$m^0(t)$	$g^e_{m}(t)$	
1	0.103764	0.175931	0.156047	0.0851	0.065383	1.233927	0.820132	0.098547	77.44754	62.7651	0.203764	0.41764					
2	0.103764	0.165134	0.145433	0.0851	0.055601	1.302535	0.820132	0.093356	88.71096	68.1064	0.203764	0.41764					
3	0.103764	0.156436	0.136882	0.0851	0.047721	1.364693	0.820132	0.089104	100.8539	73.90226	0.203764	0.41764					
3-2. By changing both $s^e_{SPF}$ and $s^e_{SVDWD}$		GM 1994-95: $g^a_{\gamma} > g^e_{\gamma} > g^e_{KP}$												GM (2)			
parameters	$n$	$g^a_{\gamma}$	$\pi^0$	$\Omega^0_P$	$g^e_{KP}(t)$	$g^e_{\gamma}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
		0.0172	1.1582	0.0172	1.1582	0.1216	66.9934	0.9	0.10944	0.10000	0.089056	0.198496	0.0623		57.84269	0.104991	
period	$g^e_{\gamma}(t)$	$g^e_{KP}(t)$	$g^e_{\nu}(t)$	$g^e_{\nu}(t)$	$\Omega^0_P(t)$	$g^e_{SPF}$	$S^e_{SPY}$	$S^e_{SVDWD}$	$S^e_{SVDY}$	$S^e_{SY}$	$\delta^a$	$y^0(t)$	$\rho^0(t)$		$m^0(t)$	$g^e_{m}(t)$	
1	0.122889	0.192444	0.172281	0.103902	0.061943	1.229943	0.845494	0.098866	78.53509	63.85265	0.222889	0.46616					
2	0.122889	0.181219	0.161246	0.103902	0.051946	1.293834	0.845494	0.093984	91.19853	70.48706	0.222889	0.46616					
3	0.122889	0.17227	0.152448	0.103902	0.043977	1.350733	0.845494	0.090025	105.1016	77.81079	0.222889	0.46616					

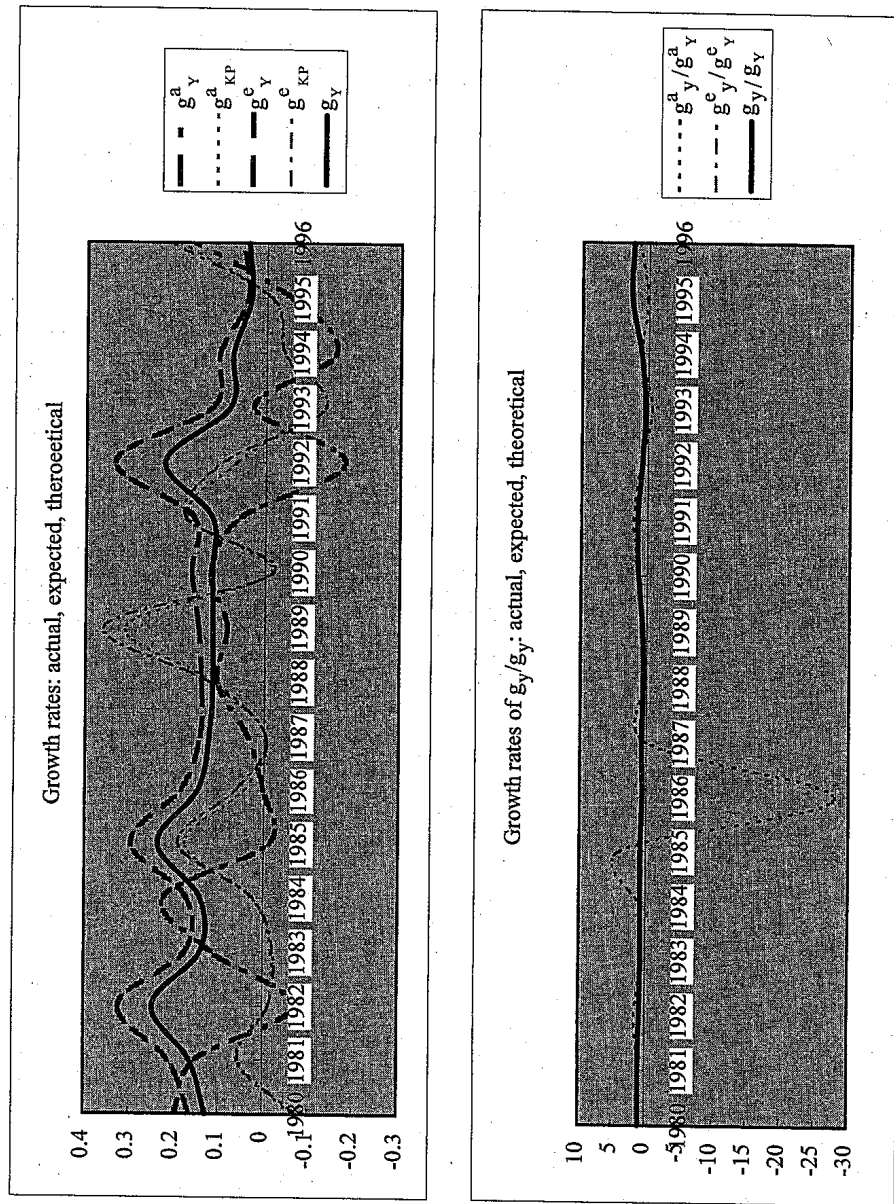


GM alternative policies

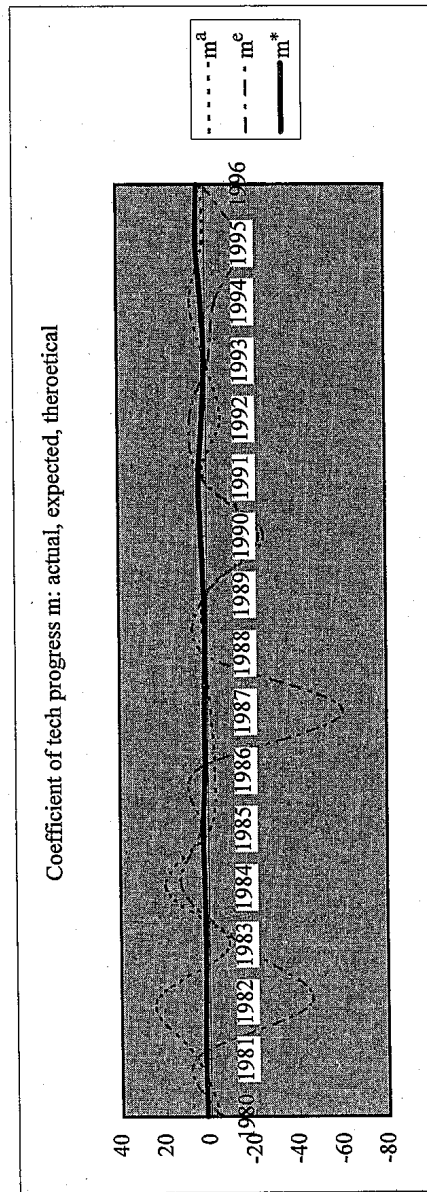
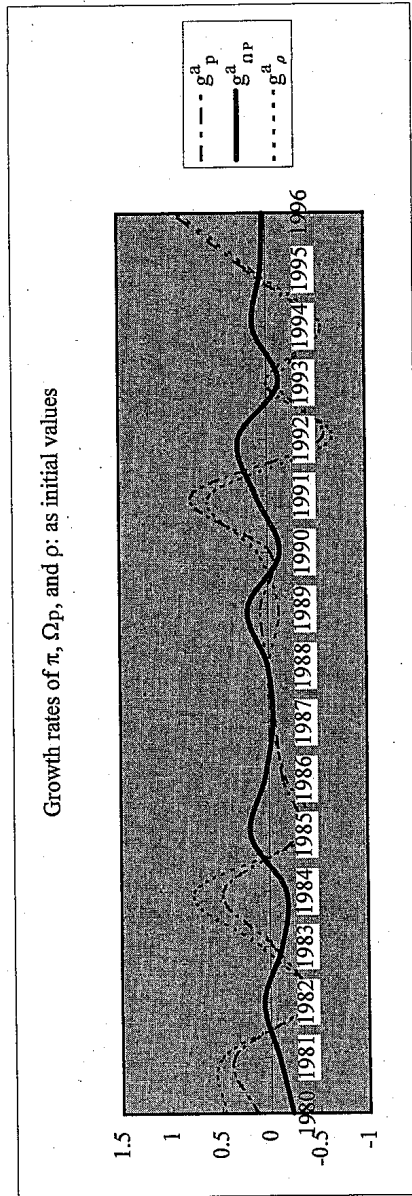
GM (4)														
5-2. By changing $\Omega_P$ : using tax rate and depreciation ratio and others														
parameters	n	$\Omega_P$	$\pi^0$	$k^0$	SPP	SPY	SSWD	SSWDY	SSY	variables	$\delta=gy$	$y^0$	$\rho^0$	
period	$gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
	0.0172	0.9	0.1216	66.9934	0.526316	0.064	-0.0064	-0.00599	0.05801		0.068376	74.43711	0.135111	
1	0.068376	0.068376	0.050311	0.050311	0	0.9	0.735794	0.135111	70.36389	78.1821	0.061538	0.817549	0	
2	0.068376	0.068376	0.050311	0.050311	0	0.9	0.735794	0.135111	73.90394	82.11549	0.061538	0.817549	0	
3	0.068376	0.068376	0.050311	0.050311	0	0.9	0.735794	0.135111	77.62211	86.24678	0.061538	0.817549	0	
6-1. By changing n as the growth rate of workers														
parameters	n	$\Omega_P$	$\pi^0$	$k^0$	SPP	SPY	SSWD	SSWDY	SSY	variables	$\delta=gy$	$y^0$	$\rho^0$	
period	$gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
	0.04	1.1582	0.1216	66.9934	0.463349	0.056343	0.008914	0.008411	0.064755		0.059707	57.84269	0.104991	
1	0.059707	0.059707	0.018949	0.018949	-6.81E-18	1.1582	0.317371	0.104991	68.26288	58.93877	0.069153	0.274021	0	
2	0.059707	0.059707	0.018949	0.018949	-6.81E-18	1.1582	0.317371	0.104991	69.55642	60.05562	0.069153	0.274021	0	
3	0.059707	0.059707	0.018949	0.018949	-6.81E-18	1.1582	0.317371	0.104991	70.87447	61.19364	0.069153	0.274021	0	
6-2. By changing n as the growth rate of workers														
parameters	n	$\Omega_P$	$\pi^0$	$k^0$	SPP	SPY	SSWD	SSWDY	SSY	variables	$\delta=gy$	$y^0$	$\rho^0$	
period	$gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
	-0.01	1.1582	0.1216	66.9934	0.463349	0.056343	0.008914	0.008411	0.064755		0.059707	57.84269	0.104991	
1	0.059707	0.059707	0.070411	0.070411	-1.3E-17	1.1582	1.179276	0.104991	71.7105	61.91548	0.069153	1.018197	0	
2	0.059707	0.059707	0.070411	0.070411	-1.3E-17	1.1582	1.179276	0.104991	76.75975	66.27504	0.069153	1.018197	0	
3	0.059707	0.059707	0.070411	0.070411	-1.3E-17	1.1582	1.179276	0.104991	82.16451	70.94156	0.069153	1.018197	0	
6-3. By changing n and $\Omega_P$														
parameters	n	$\Omega_P$	$\pi^0$	$k^0$	SPP	SPY	SSWD	SSWDY	SSY	variables	$\delta=gy$	$y^0$	$\rho^0$	
period	$gy(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\chi(t)=g_Y/g_Y$	$\rho(t)$	$k(t)$	$y(t)$	$I/Y^0(t)$	$m(t)$	$g_m(t)$	
	0	0.9	0.1216	66.9934	0.526316	0.064	-0.0064	-0.00599	0.05801		0.068376	74.43711	0.135111	
1	0.068376	0.068376	0.068376	0.068376	0	0.9	1	0.135111	71.57415	79.52683	0.061538	1.111111	0	
2	0.068376	0.068376	0.068376	0.068376	0	0.9	1	0.135111	76.4681	84.96456	0.061538	1.111111	0	
3	0.068376	0.068376	0.068376	0.068376	0	0.9	1	0.135111	81.69669	90.7741	0.061538	1.111111	0	

Isowa data 97

Figure 1 Isowa: changes in 1982, 1984, 1989, 1992, 1996



Isowa data 97



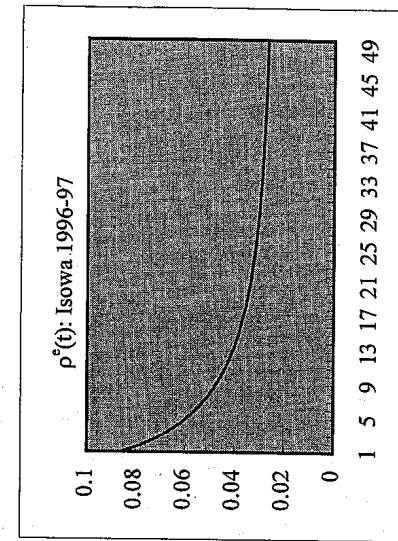
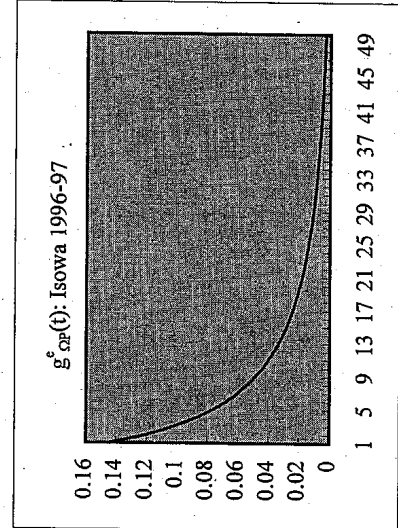
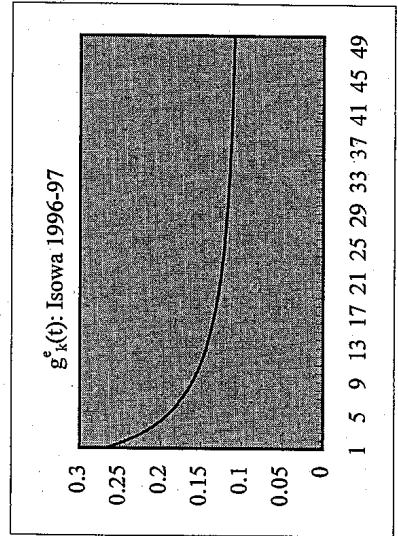
Isowa simulation 97

Table 2 Isowa 1996March:  $g^y = g^{kp} = g^y = g^{kp}$

Balanced growth													
period	$g^y(t)$	$g^{kp}(t)$	$g_k(t)$	$g_y(t)$	$g_{sp}(t)$	$g_{spP}$	$s^{spY}$	$s^{sWDWD}$	$s^{sY}$	variables	$\delta = g^y$	$y^0$	$\rho^0$
	-0.0483	0.6656	0.0656	4239	0.600384	0.039385	-0.01317	-0.012652	0.026734		0.041	6368.69	0.098558
1	0.041	0.041	0.093832	0.093832	1.27E-17	0.6656	2.28859	0.098558	4636.754	$y(t)$	6966.277	0.02729	3.438383
2	0.041	0.041	0.093832	0.093832	1.27E-17	0.6656	2.288588	0.098558	5071.831	$1/Y^0(t)$	7619.938	0.02729	3.438383
3	0.041	0.041	0.093832	0.093832	1.27E-17	0.6656	2.288588	0.098558	5547.731	$m(t)$	8334.932	0.02729	3.438383

Isowa1996March:  $g^y < g^{kp}$   $g^a_{kp} = 0.1955$

Unbalanced growth													
period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^{sp}(t)$	$g^{spP}$	$s^{spY}$	$s^{sWDWD}$	$s^{sY}$	variables	$\delta^a$	$y^0$	$\rho^0$
	-0.0483	0.6656	0.0656	4239	0.7678	0.050368	0.08400	0.079769	0.130137		0.032	6368.69	0.098558
1	0.0530	0.2059	0.2671	0.1065	0.1452	0.7622	2.0076	0.0861	5371	$y^0(t)$	7047	0.1370	0.7770
2	0.0530	0.1798	0.2397	0.1065	0.1204	0.8540	2.0076	0.0768	6658	$1/Y^{e0}(t)$	7797	0.1370	0.7770
3	0.0530	0.1605	0.2194	0.1065	0.1020	0.9411	2.0076	0.0697	8119	$m^e(t)$	8627	0.1370	0.7770
48	0.0530	0.0568	0.1104	0.1065	0.0035	2.4232	2.0076	0.0271	1985065		819188	0.1370	0.7770
49	0.0530	0.0566	0.1102	0.1065	0.0033	2.4313	2.0076	0.0270	2203767		906417	0.1370	0.7770
50	0.0530	0.0564	0.1100	0.1065	0.0032	2.4390	2.0076	0.0269	2446130		1002934	0.1370	0.7770



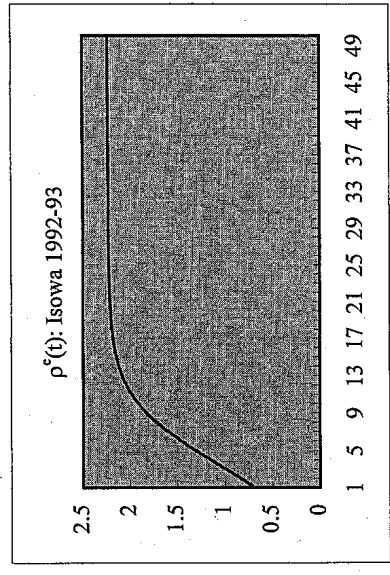
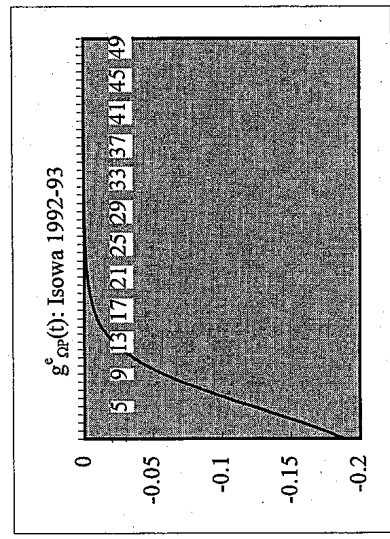
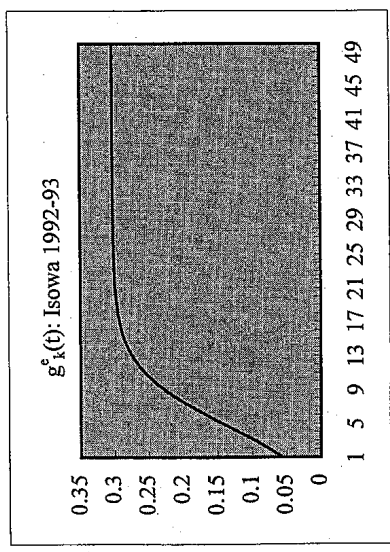
Isowa simulation 97

Isowa1992March:  $g^e_{Y=g_{KP}}=g^e_{Y=g_{KP}}=g^e_{Y=g_{KP}}$

Balanced growth		$n$	$0.0264$	$0.4871$	$0.2733$	$4680$	$0.67245$	$0.183781$	$-0.094261$	$-0.076938$	$0.1068428$	variables	$\delta=g_Y$	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_k(t)$	$g_Y(t)$	$g_{KP}(t)$	$g_Y(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$x(t)=g_Y/g_Y(t)$	$\rho(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g^e_{m(t)}$
1	0.225161	0.225161	0.193648	0.193648	-2.33E-17	0.4871	0.86005	0.561076	0.561076	5586.2742	11468.434	0.109676	1.765644		0
2	0.225161	0.225161	0.193648	0.193648	-2.33E-17	0.4871	0.86005	0.561076	0.561076	6668.0469	13689.2772	0.109676	1.765644		0
3	0.225161	0.225161	0.193648	0.193648	-2.33E-17	0.4871	0.86005	0.561076	0.561076	7959.3031	16340.183	0.109676	1.765644		0

Isowa1992March:  $g^a_{Y=g_{KP}}=g^a_{Y=g_{KP}}=g^a_{Y=g_{KP}}$

Unbalanced growth		$n$	$0.0264$	$0.4871$	$0.2733$	$4680$	$0.9207$	$0.251627$	$-0.295$	$-0.22077$	$0.0308574$	$0.0573$	variables	$y^0$	$\rho^0$
period	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_{k(t)}$	$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_{Y(t)}$	$\Omega^e_P(t)$	$\Omega^e_P(t)$	$x^e(t)=g^e_{Y/g^e_{Y}}$	$\rho^e(t)$	$k^e(t)$	$y^e(t)$	$1/Y^{e0}(t)$	$m^e(t)$	$g^e_{m(t)}$
1	0.3362	0.0846	0.0568	0.3019	-0.1883	0.3954	0.8978	0.6912	0.8978	0.8978	4946	12508	0.0412	7.3210	0.0000
2	0.3362	0.1043	0.0759	0.3019	-0.1736	0.3268	0.8978	0.8364	0.8978	0.8364	5321	16284	0.0412	7.3210	0.0000
3	0.3362	0.1262	0.0972	0.3019	-0.1572	0.2754	0.8978	0.9924	0.8978	0.9924	5838	21199	0.0412	7.3210	0.0000
48	0.3362	0.3362	0.3019	0.3019	0.0000	0.1226	0.8978	2.2286	0.8978	2.2286	371852261	3032272115	0.0412	7.3210	0.0000
49	0.3362	0.3362	0.3019	0.3019	0.0000	0.1226	0.8978	2.2286	0.8978	2.2286	484100529	3947604162	0.0412	7.3210	0.0000
50	0.3362	0.3362	0.3019	0.3019	0.0000	0.1226	0.8978	2.2286	0.8978	2.2286	630232453	5139241475	0.0412	7.3210	0.0000



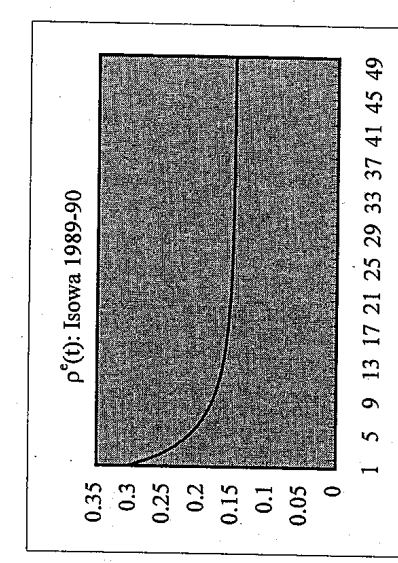
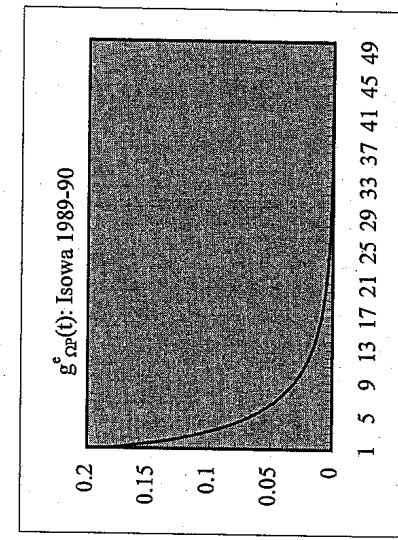
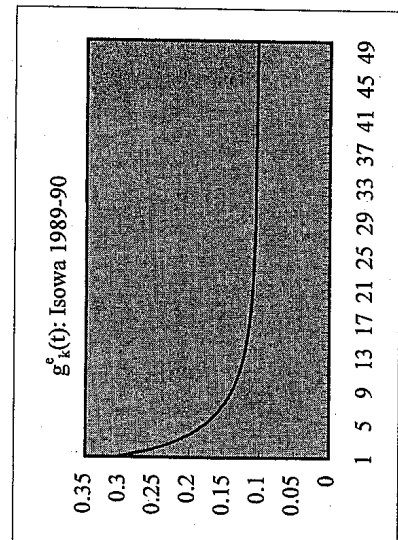
Isowa simulation 97

Isowa1989March:  $g^e_{Y=g_{KP}}=g_{Y=g_{KP}}$

Balanced growth														
period	$n$	$\Omega^0_P$	$\Omega^0_{KP}$	$\pi^0$	$k^0$	$S_{SP}$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	variables	$\delta=g_Y$	$y^0$	$\rho^0$
		0.0396	0.4109	0.1475	2934	0.708767	0.104543	-0.061586	-0.055148	0.049395		0.116748	7140.423	0.358968
		$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega_P(t)$	$x(t)=g_Y/g_Y(t)$	$p(t)$	$k(t)$	$y(t)$	$1/Y^0(t)$	$m(t)$	$g_m(t)$
1		0.116748	0.116748	0.07421	0.07421	-2.58E-17	0.4109	0.63564	0.358968	3151.731	7670.313	0.047972	1.546941	
2		0.116748	0.116748	0.07421	0.07421	-2.58E-17	0.4109	0.63564	0.358968	3385.621	8239.524	0.047972	1.546941	0
3		0.116748	0.116748	0.07421	0.07421	-2.58E-17	0.4109	0.63564	0.358968	3636.867	8850.978	0.047972	1.546941	0

Isowa1989March:  $g^e_{Y < g_{KP}} = g^e_{Y < g_{KP}}$

Unbalanced growth														
period	$n$	$\Omega^0_P$	$\Omega^0_{KP}$	$\pi^0$	$k^0$	$S_{SP}$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	variables	$\delta^a$	$y^0$	$\rho^0$
		0.0396	0.4109	0.1475	2934	0.8743	0.128959	-0.0019	-0.001655	0.127304	0.0567		7140.423	0.358968
		$g^e_{Y(t)}$	$g^e_{KP(t)}$	$g^e_K(t)$	$g^e_Y(t)$	$g^e_{KP}(t)$	$\Omega^e_P(t)$	$x^e(t)=g^e_Y/g^e_Y$	$p^e(t)$	$k^e(t)$	$y^e(t)$	$1^e/Y^{e0}(t)$	$m^e(t)$	$g^e_m(t)$
1		0.1481	0.3557	0.3040	0.1043	0.1809	0.4852	0.7046	0.3040	3826	7885	0.1462	0.7138	0.0000
2		0.1481	0.3012	0.2516	0.1043	0.1334	0.5499	0.7046	0.2682	4789	8708	0.1462	0.7138	0.0000
3		0.1481	0.2658	0.2175	0.1043	0.1025	0.6063	0.7046	0.2433	5831	9616	0.1462	0.7138	0.0000
48		0.1481	0.1482	0.1044	0.1043	0.0001	0.9864	0.7046	0.1495	824804	836173	0.1462	0.7138	0.0000
49		0.1481	0.1482	0.1044	0.1043	0.0001	0.9865	0.7046	0.1495	910940	923403	0.1462	0.7138	0.0000
50		0.1481	0.1482	0.1044	0.1043	0.0001	0.9866	0.7046	0.1495	1006057	1019734	0.1462	0.7138	0.0000





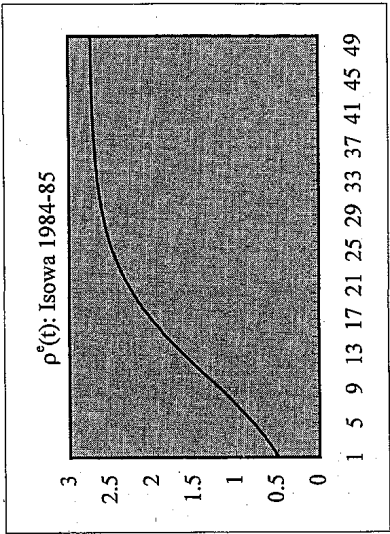
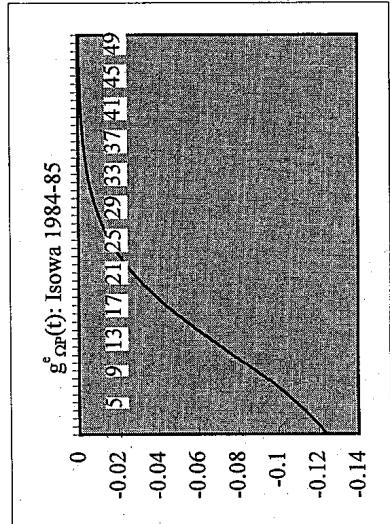
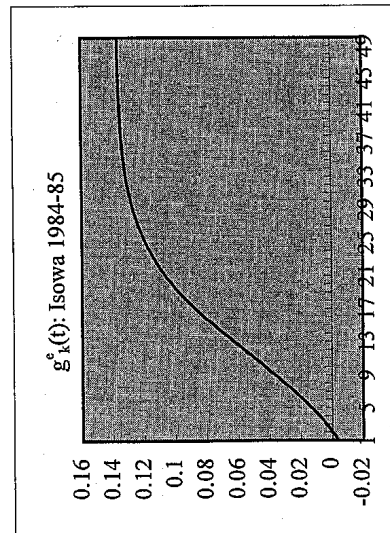
Isowa simulation 97

Isowa1984March:  $g^e = g^{kp} = g^y = g^{kp}$

period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	variables	$\delta = g^y$	$y^0$	$\rho^0$
	0.0311	0.4081	0.1748	2590	0.710177	0.124139	-0.073478	-0.064356	0.059783					0.141734	6346.484	0.428326
1	0.141734	0.141734	0.107297	0	0.4081	0.757031	0.428326	2867.898	7027.44	0.057841	1.855012					
2	0.141734	0.141734	0.107297	0	0.4081	0.757031	0.428326	3175.614	7781.461	0.057841	1.855012					
3	0.141734	0.141734	0.107297	0	0.4081	0.757031	0.428326	3516.347	8616.385	0.057841	1.855012					

Isowa1984March:  $g^a = g^y > g^{kp}$   $g^{kp} = 0.0232$

period	$g^y(t)$	$g^{kp}(t)$	$g^k(t)$	$g^y(t)$	$g^y(t)$	$g_{OP}(t)$	$\Omega_P(t)$	$\Omega_P(t)$	$S_{SPY}$	$S_{SMDWD}$	$S_{SMDY}$	$S_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
	0.0311	0.4081	0.1748	2590	0.8405	0.146919	-0.1612	-0.137517	0.009403	0.0654						
1	0.1722	0.0270	-0.0040	0.1369	-0.1239	0.3575	0.7947	0.4889	2580	7215	0.0110	12.4173				
2	0.1722	0.0308	-0.0003	0.1369	-0.1206	0.3144	0.7947	0.5559	2579	8203	0.0110	12.4173				
3	0.1722	0.0351	0.0038	0.1369	-0.1170	0.2776	0.7947	0.6296	2589	9325	0.0110	12.4173				
48	0.1722	0.1717	0.1364	0.1369	-0.0004	0.0642	0.7947	2.7241	192259	2996210	0.0110	12.4173				
49	0.1722	0.1718	0.1364	0.1369	-0.0004	0.0641	0.7947	2.7252	218489	3406288	0.0110	12.4173				
50	0.1722	0.1718	0.1365	0.1369	-0.0003	0.0641	0.7947	2.7261	248311	3872492	0.0110	12.4173				





Isowa alternative policies

3-1. By changing both $s^{SP/P}$ and $s^{S/D/W/D}$		Isowa(2)												
parameter	n	$\Omega^0_P$	$g^a_{Y^0} = g^e_{Y^0} > g^e_{KP}$	$\pi^0$	$g^a_{Y^0} = 0.076017$	$k^0$	$s^{SP/P}$	$s^{SP/Y}$	$s^{S/D/W/D}$	$s^{S/D/Y}$	$\delta^a$	variables	$y^0$	$\rho^0$
period	$g^e_{Y^0}(t)$	$g^e_{KP}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$\Omega^0_P(t)$	$\Omega^0_{SP}(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0(t)$	$g^e_{m^0}(t)$
1	0.026947	0.085558	0.140651	0.079066	0.057073	0.703587	2.934119	0.093236	4835.219	6872.237	0.056947	1.388411	0.098558	0.098558
2	0.026947	0.080938	0.135797	0.079066	0.052574	0.740578	2.934119	0.088579	5491.829	7415.597	0.056947	1.388411	0	0
3	0.026947	0.076895	0.131549	0.079066	0.048638	0.776598	2.934119	0.084471	6214.275	8001.918	0.056947	1.388411	-1.6E-16	-1.6E-16
1-2. By changing $s^{SP/P}$														
parameter	n	$\Omega^0_P$	$g^a_{Y^0} = g^e_{Y^0} > g^e_{KP}$	$\pi^0$	$g^a_{Y^0} = 0.076017$	$k^0$	$s^{SP/P}$	$s^{SP/Y}$	$s^{S/D/W/D}$	$s^{S/D/Y}$	$\delta^a$	variables	$y^0$	$\rho^0$
period	$g^e_{Y^0}(t)$	$g^e_{KP}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$\Omega^0_P(t)$	$\Omega^0_{SP}(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0(t)$	$g^e_{m^0}(t)$
1	0.062744	0.220469	0.28241	0.11668	0.148413	0.764384	1.859609	0.085821	5436.135	7111.789	0.146744	0.795124	0.098558	0.098558
2	0.062744	0.191977	0.252472	0.11668	0.121603	0.857335	1.859609	0.076516	6808.606	7941.593	0.146744	0.795124	0	0
3	0.062744	0.171163	0.230602	0.11668	0.102018	0.944799	1.859609	0.069433	8378.681	8868.219	0.146744	0.795124	-1.4E-16	-1.4E-16
2-2. By changing $s^{S/D/W/D}$														
parameter	n	$\Omega^0_P$	$g^a_{Y^0} = g^e_{Y^0} > g^e_{KP}$	$\pi^0$	$g^a_{Y^0} = 0.076017$	$k^0$	$s^{SP/P}$	$s^{SP/Y}$	$s^{S/D/W/D}$	$s^{S/D/Y}$	$\delta^a$	variables	$y^0$	$\rho^0$
period	$g^e_{Y^0}(t)$	$g^e_{KP}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$\Omega^0_P(t)$	$\Omega^0_{SP}(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0(t)$	$g^e_{m^0}(t)$
1	0.053039	0.259975	0.32392	0.106482	0.196513	0.796399	2.007616	0.082371	5612.097	7046.842	0.173039	0.615365	0.098558	0.098558
2	0.053039	0.217277	0.279055	0.106482	0.155966	0.92061	2.007616	0.071257	7178.183	7797.206	0.173039	0.615365	0	0
3	0.053039	0.187961	0.248252	0.106482	0.128127	1.038564	2.007616	0.063164	8960.181	8627.47	0.173039	0.615365	0	0
3-2. By changing both $s^{SP/P}$ and $s^{S/D/W/D}$														
parameter	n	$\Omega^0_P$	$g^a_{Y^0} = g^e_{Y^0} > g^e_{KP}$	$\pi^0$	$g^a_{Y^0} = 0.076017$	$k^0$	$s^{SP/P}$	$s^{SP/Y}$	$s^{S/D/W/D}$	$s^{S/D/Y}$	$\delta^a$	variables	$y^0$	$\rho^0$
period	$g^e_{Y^0}(t)$	$g^e_{KP}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$g^e_{Y^0}(t)$	$g^e_{K^0}(t)$	$\Omega^0_P(t)$	$\Omega^0_{SP}(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$\chi^0(t) = g^e_{Y^0}/\rho^0(t)$	$k^0(t)$	$y^0(t)$	$\rho^0(t)$	$g^e_{m^0}(t)$
1	0.062744	0.274556	0.339241	0.11668	0.199306	0.798258	1.859609	0.082179	5677.044	7111.789	0.182744	0.638488	0.098558	0.098558
2	0.062744	0.228929	0.291299	0.11668	0.156373	0.923084	1.859609	0.071066	7330.759	7941.593	0.182744	0.638488	1.74E-16	1.74E-16
3	0.062744	0.197972	0.25877	0.11668	0.127243	1.040541	1.859609	0.063044	9227.741	8868.219	0.182744	0.638488	0	0



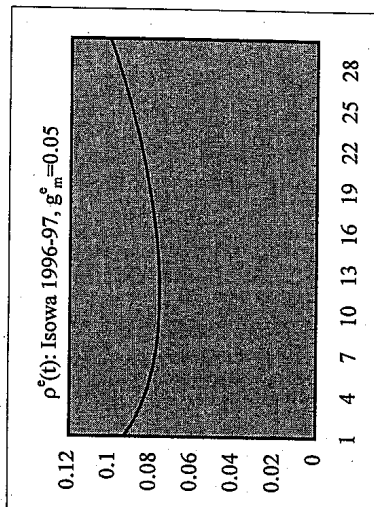
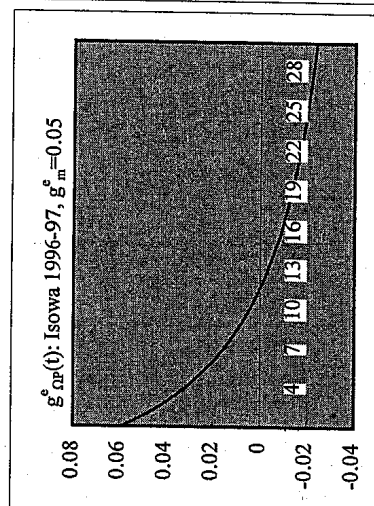
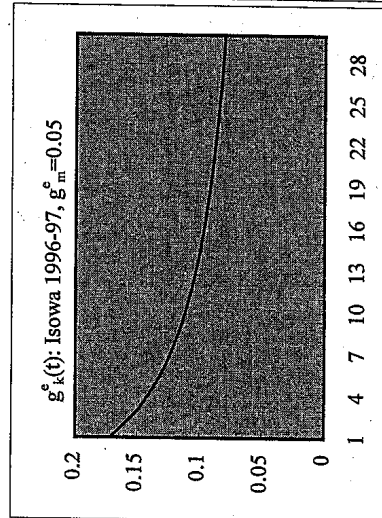
Isowa alternative policies

5-2. By changing $\Omega_P$ : using tax rate and depreciation ratio and others													
parameter	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SPY}$	$S_{SMD/D}$	$S_{SMD/Y}$	$S_{SY}$	variables	$\delta=gy$	Isowa(4)
period	$gy(t)$	$g_{KP}(t)$	$g_k(t)$	$g_y(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$\chi(t)=g_y/g_y$	$\rho(t)$	$k(t)$	$y(t)$	$IY^0(t)$	$y^0$
	-0.0483		0.5	0.0656	4239	0.6666667	0.043733	-0.021867	-0.02091	0.022823		0.045733	8478
													0.1312
1	0.045733	0.045733	0.098806	0.098806	1.26E-17	0.5	2.160472	0.1312	0.1312	4657.837	9315.675	0.022867	4.320943
2	0.045733	0.045733	0.098806	0.098806	1.26E-17	0.5	2.160472	0.1312	0.1312	5118.058	10236.12	0.022867	4.320943
3	0.045733	0.045733	0.098806	0.098806	1.26E-17	0.5	2.160472	0.1312	0.1312	5623.752	11247.5	0.022867	4.320943
6-1. By changing $n$ as the growth rate of workers													
parameter	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SPY}$	$S_{SMD/D}$	$S_{SMD/Y}$	$S_{SY}$	variables	$\delta=gy$	$y^0$
period	$gy(t)$	$g_{KP}(t)$	$g_k(t)$	$g_y(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$\chi(t)=g_y/g_y$	$\rho(t)$	$k(t)$	$y(t)$	$IY^0(t)$	$m(t)$
	0.01		0.6656	0.0656	4239	0.600384	0.039385	-0.01317	-0.012652	0.026734		0.041	6368.69
													0.098558
1	0.041	0.041	0.030693	0.030693	6.73E-18	0.6656	0.74861	0.098558	0.098558	4369.108	6564.165	0.02729	1.124717
2	0.041	0.041	0.030693	0.030693	6.73E-18	0.6656	0.748611	0.098558	0.098558	4503.209	6765.639	0.02729	1.124717
3	0.041	0.041	0.030693	0.030693	6.73E-18	0.6656	0.748611	0.098558	0.098558	4641.427	6973.297	0.02729	1.124717
6-2. By changing $n$ as the growth rate of workers													
parameter	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SPY}$	$S_{SMD/D}$	$S_{SMD/Y}$	$S_{SY}$	variables	$\delta=gy$	$y^0$
period	$gy(t)$	$g_{KP}(t)$	$g_k(t)$	$g_y(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$\chi(t)=g_y/g_y$	$\rho(t)$	$k(t)$	$y(t)$	$IY^0(t)$	$m(t)$
	-0.06		0.6656	0.0656	4239	0.600384	0.039385	-0.01317	-0.012652	0.026734		0.041	6368.69
													0.098558
1	0.041	0.041	0.107447	0.107447	0	0.6656	2.62065	0.098558	0.098558	4694.467	7052.985	0.02729	3.93728
2	0.041	0.041	0.107447	0.107447	0	0.6656	2.620654	0.098558	0.098558	5198.873	7810.806	0.02729	3.93728
3	0.041	0.041	0.107447	0.107447	0	0.6656	2.620654	0.098558	0.098558	5757.475	8650.052	0.02729	3.93728
6-3. By changing $n$ and $\Omega_P$													
parameter	$n$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SPY}$	$S_{SPY}$	$S_{SMD/D}$	$S_{SMD/Y}$	$S_{SY}$	variables	$\delta=gy$	$y^0$
period	$gy(t)$	$g_{KP}(t)$	$g_k(t)$	$g_y(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$g_{OP}(t)$	$\chi(t)=g_y/g_y$	$\rho(t)$	$k(t)$	$y(t)$	$IY^0(t)$	$m(t)$
	0		0.6656	0.0656	4239	0.600384	0.039385	-0.01317	-0.012652	0.026734		0.041	6368.69
													0.098558
1	0.041	0.041	0.041	0.041	6.67E-18	0.6656	1	0.098558	0.098558	4412.799	6629.806	0.02729	1.502404
2	0.041	0.041	0.041	0.041	6.67E-18	0.6656	1	0.098558	0.098558	4593.724	6901.628	0.02729	1.502404
3	0.041	0.041	0.041	0.041	6.67E-18	0.6656	1	0.098558	0.098558	4782.066	7184.595	0.02729	1.502404

Isowa gem as given

Table 4 Isowa 1996 March:  $g^o_{Y=g^o_{kp}-g^o_{Y=g^o_{kp}}}$

Balanced growth												Unbalanced growth											
period	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$	$g^o_{Y(t)}$	$g^o_{kp(t)}$	$g^o_{k(t)}$		
1	0.041	0.041	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	
2	0.041	0.041	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	
3	0.041	0.041	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	0.041	0.093832	1.27E-17	0.6656	
Isowa 1996: $g^o_{Y=g^o_{kp}}$												Isowa 1996: $g^o_{Y=g^o_{kp}}$											
1	0.0530	0.0530	0.0530	0.1152	0.1718	0.1065	0.0530	0.1152	0.1718	0.1065	0.0530	0.1152	0.1718	0.1065	0.0530	0.1152	0.1718	0.1065	0.0530	0.1152	0.1718	0.1065	
2	0.0530	0.0530	0.0530	0.1077	0.1639	0.1065	0.0530	0.1077	0.1639	0.1065	0.0530	0.1077	0.1639	0.1065	0.0530	0.1077	0.1639	0.1065	0.0530	0.1077	0.1639	0.1065	
3	0.0530	0.0530	0.0530	0.1014	0.1573	0.1065	0.0530	0.1014	0.1573	0.1065	0.0530	0.1014	0.1573	0.1065	0.0530	0.1014	0.1573	0.1065	0.0530	0.1014	0.1573	0.1065	
27.0000	0.0530	0.0530	0.0530	0.0541	0.1076	0.1065	0.0530	0.0541	0.1076	0.1065	0.0530	0.0541	0.1076	0.1065	0.0530	0.0541	0.1076	0.1065	0.0530	0.0541	0.1076	0.1065	
28.0000	0.0530	0.0530	0.0530	0.0535	0.1070	0.1065	0.0530	0.0535	0.1070	0.1065	0.0530	0.0535	0.1070	0.1065	0.0530	0.0535	0.1070	0.1065	0.0530	0.0535	0.1070	0.1065	
29.0000	0.0530	0.0530	0.0530	0.0530	0.1064	0.1065	0.0530	0.0530	0.1064	0.1065	0.0530	0.0530	0.1064	0.1065	0.0530	0.0530	0.1064	0.1065	0.0530	0.0530	0.1064	0.1065	











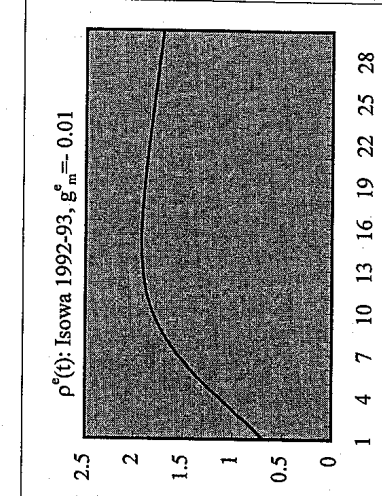
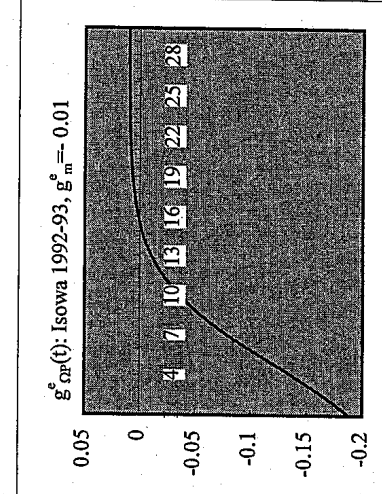
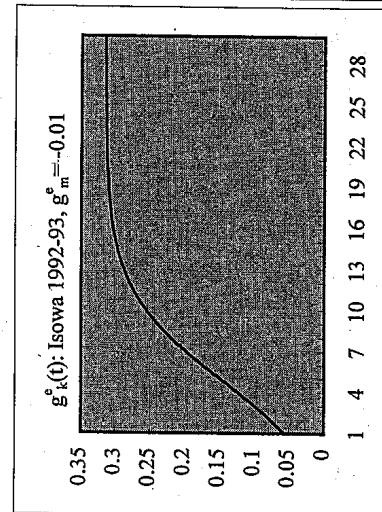
Isowa gem as given

Isowa1992March:  $\dot{g}_Y = \dot{g}_{KP} = \dot{g}_Y = \dot{g}_{KP}$   $gm=0$ : no technological change

Balanced growth	$\pi$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPY}$	$S_{SVDW}$	$S_{SVDY}$	$S_{SY}$	variables	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{KP}(t)$	$x(t)=g_Y/g_Y(t)$	$p(t)$	$k(t)$	$Y(t)$	$I/Y^0(t)$	$g_m(t)$
1	0.0264	0.4871	0.2733	4680	0.67245	0.183781	-0.094261	-0.076938	0.106843	9607.883	0.561076
2	0.225161	0.225161	0.193648	0.193648	-2.33E-17	0.4871	0.860045	0.561076	5586.274	11468.43	0.109676
3	0.225161	0.225161	0.193648	0.193648	-2.33E-17	0.4871	0.860045	0.561076	6668.047	13689.28	0.109676
	0.225161	0.225161	0.193648	0.193648	-2.33E-17	0.4871	0.860045	0.561076	7959.303	16340.18	0.109676

Isowa1992:  $\dot{g}_Y > \dot{g}_{KP}$   $g_m = -0.01$

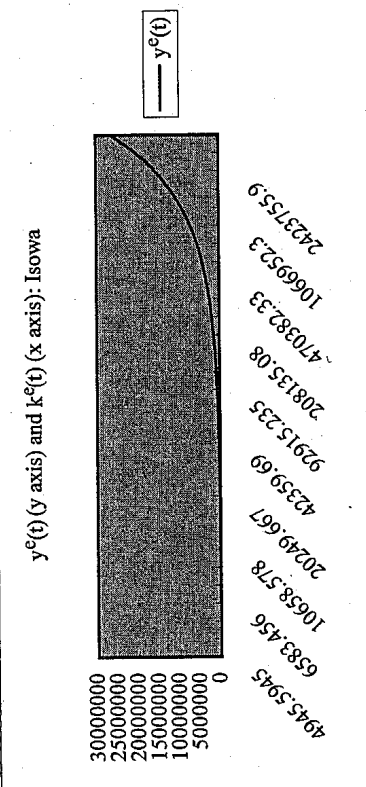
Unbalanced growth	$\pi$	$\Omega^0_P$	$\pi^0$	$k^0$	$S_{SPP}$	$S_{SPPY}$	$S_{SVDW}$	$S_{SVDY}$	$S_{SY}$	$\delta^a$	variables	$y^0$	$\rho^0$
period	$g_Y(t)$	$g_{KP}(t)$	$g_K(t)$	$g_Y(t)$	$g_{KP}(t)$	$\Omega^0_P(t)$	$x^0(t)=g_Y/g_Y$	$p^0(t)$	$k^0(t)$	$Y^0(t)$	$I/Y^{e0}(t)$	$m^e(t)$	$g_m^e(t)$
1	0.0264	0.4871	0.2733	4680	0.9207	0.024	-0.295	0.0488	0.0728	0.0573	9607.883	0.561076	
2	0.3362	0.0846	0.0568	0.3019	-0.1883	0.3954	0.8978	0.6912	4946	12508	0.0412	7.3210	GIVEN
3	0.3362	0.1053	0.0769	0.3019	-0.1728	0.3271	0.8978	0.8356	5326	16284	0.0416	7.2478	-0.0100
15	0.3362	0.1286	0.0996	0.3019	-0.1554	0.2763	0.8978	0.9893	5856	21199	0.0421	7.1753	-0.0100
16	0.3362	0.3340	0.2997	0.3019	-0.0017	0.1419	0.8978	1.9266	71279	502469	0.0475	6.3601	-0.0100
17	0.3362	0.3380	0.3035	0.3019	0.0013	0.1420	0.8978	1.9241	92915	654146	0.0479	6.2965	-0.0100
	0.3362	0.3409	0.3064	0.3019	0.0035	0.1425	0.8978	1.9174	121388	851608	0.0484	6.2335	-0.0100



Hideyuki Kamiryo: Data and Analysis in Terms of Sustainable Growth in Corporate Accounts: As a Supplement to IAAER/CIERA, 1998

Isowa gem as given

period	$g^0_{kp}(1) = \frac{g^0_{kp}(1)}{D(37) * (1 - \$H837)}$	$g^0_{kp}(2) = \frac{N40}{I39}$	$1 + g^0_{y}$	$\delta^a$	$y^0$	$\rho^0$							
1	0.0264	0.4871	0.2733	4680	0.9207	0.251627	-0.295	-0.22077	0.030857	1.336233	0.0573	9607.883	0.561076
2	0.336233	0.084649	0.056751	0.301863	-0.188278	0.395539	0.897781	0.691217	4945.595	12508.15	0.041233	7.320986	GIVEN
3	0.336233	0.337956	0.303543	0.301863	0.00129	0.142041	0.897781	1.924098	5325.943	16283.91	0.041649	7.247776	-0.01
4	0.336233	0.34093	0.30644	0.301863	0.003516	0.14254	0.897781	1.917358	5856.395	21199.42	0.04207	7.175298	-0.01
5	0.336233	0.343167	0.30862	0.301863	0.00519	0.14328	0.897781	1.907458	6583.456	27598.75	0.042495	7.103545	-0.01
6	0.336233	0.344844	0.310253	0.301863	0.006445	0.144203	0.897781	1.895244	7568.302	35929.8	0.042924	7.03251	-0.01
7	0.336233	0.346097	0.311474	0.301863	0.007382	0.145268	0.897781	1.881356	8891.398	46775.7	0.043358	6.962185	-0.01
8	0.336233	0.347031	0.312384	0.301863	0.008081	0.146442	0.897781	1.866274	10658.58	60895.57	0.043796	6.892563	-0.01
9	0.336233	0.347726	0.313062	0.301863	0.008602	0.147701	0.897781	1.850358	13009.03	79277.72	0.044238	6.823637	-0.01
10	0.336233	0.348243	0.313565	0.301863	0.008988	0.149029	0.897781	1.833874	16125.82	103208.8	0.044685	6.755401	-0.01
11	0.336233	0.348627	0.313939	0.301863	0.009276	0.150411	0.897781	1.81702	20249.67	134363.7	0.045136	6.687847	-0.01
12	0.336233	0.348912	0.314217	0.301863	0.009489	0.151838	0.897781	1.80027	25697.18	174923.2	0.045592	6.620968	-0.01
13	0.336233	0.349124	0.314423	0.301863	0.009647	0.153303	0.897781	1.782741	32884.68	227726.1	0.046053	6.554759	-0.01
14	0.336233	0.349281	0.314576	0.301863	0.009765	0.1548	0.897781	1.765501	42359.69	296468.3	0.046518	6.489211	-0.01
15	0.336233	0.349397	0.314689	0.301863	0.009852	0.156325	0.897781	1.748278	54842.19	385961.2	0.046988	6.424319	-0.01
16	0.336233	0.349483	0.314773	0.301863	0.009916	0.157875	0.897781	1.731111	71279.01	502468.8	0.047462	6.360076	-0.01
17	0.336233	0.349547	0.314835	0.301863	0.009964	0.159449	0.897781	1.714032	92915.24	654145.8	0.047942	6.296475	-0.01
18	0.336233	0.349578	0.314858	0.301863	0.0100129	0.161031	0.897781	1.697041	121388.2	851608.5	0.048426	6.23351	-0.01
19	0.336233	0.349592	0.314863	0.301863	0.0100519	0.162625	0.897781	1.680076	158851	1108678	0.048915	6.171175	-0.01
20	0.336233	0.349599	0.314863	0.301863	0.010081	0.164233	0.897781	1.663125	208135.1	1443347	0.049409	6.109463	-0.01
21	0.336233	0.349602	0.314863	0.301863	0.010102	0.165858	0.897781	1.646274	272963.8	1879041	0.049908	6.048369	-0.01
22	0.336233	0.349604	0.314863	0.301863	0.010115	0.167501	0.897781	1.630423	358233.3	2446255	0.050412	5.987885	-0.01
23	0.336233	0.349606	0.314863	0.301863	0.010129	0.169159	0.897781	1.614572	470382.3	3184689	0.050922	5.928006	-0.01
24	0.336233	0.349607	0.314863	0.301863	0.010143	0.170831	0.897781	1.598721	61877.8	4146031	0.051436	5.868726	-0.01
25	0.336233	0.349608	0.314863	0.301863	0.010157	0.172516	0.897781	1.582870	811854	5397566	0.051955	5.810039	-0.01
26	0.336233	0.349609	0.314863	0.301863	0.010171	0.174214	0.897781	1.567019	1066952	7026894	0.05248	5.751939	-0.01
27	0.336233	0.349610	0.314863	0.301863	0.010185	0.175925	0.897781	1.551168	1402427	9148056	0.05301	5.694419	-0.01
28	0.336233	0.349611	0.314863	0.301863	0.010199	0.177648	0.897781	1.535317	1843596	11909519	0.053546	5.637475	-0.01
29	0.336233	0.349612	0.314863	0.301863	0.010213	0.179383	0.897781	1.519466	2423756	15504567	0.054087	5.5811	-0.01
30	0.336233	0.349613	0.314863	0.301863	0.010227	0.181131	0.897781	1.503615	3186689	20184829	0.054633	5.525289	-0.01
31	0.336233	0.349614	0.314863	0.301863	0.010241	0.182889	0.897781	1.487764	4189972	26277891	0.055185	5.470036	-0.01

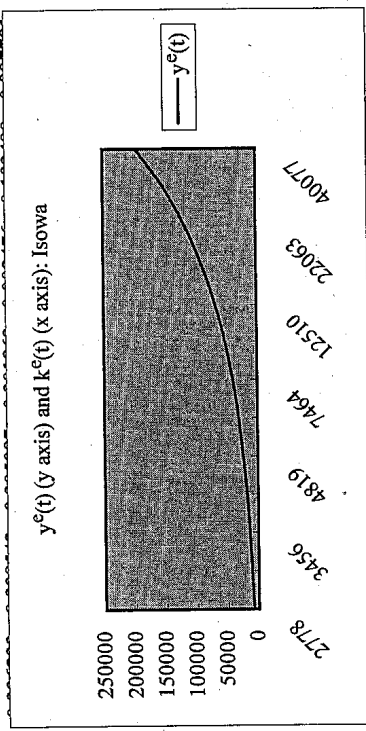




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Isowa gem as given

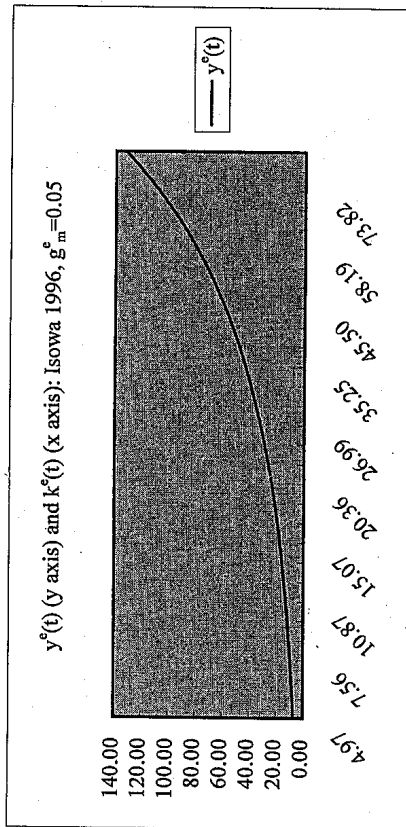
period	3			2			1						
	$\Omega^0_P$	$\pi^0$	$k^0$	$s^{SPIP}$	$s^{SPY}$	$s^{SNDWD}$	$s^{SNDWD}$	$s^{SY}$	$1+g^y$	$\delta^a$	$y^0$	$p^0$	
1	0.0311	0.4081	0.1748	2590	0.8405	0.146919	-0.1612	-0.137517	0.009403	1.336233	0.0654	6346.484	0.428326
2	0.336233	0.101036	0.072716	0.301863	-0.176015	0.336268	0.897781	0.812744	2778	8262	0.041233	7.320986	GIVEN
3	0.336233	0.129072	0.100031	0.301863	-0.155033	0.284135	0.897781	0.961865	3056	10756	0.043403	6.954937	-0.05
4	0.336233	0.160793	0.130937	0.301863	-0.131294	0.246683	0.897781	1.107239	3456	14003	0.045687	6.60719	-0.05
5	0.336233	0.194837	0.164105	0.301863	-0.105816	0.220711	0.897781	1.238268	4024	18230	0.048092	6.27683	-0.05
6	0.336233	0.229362	0.197742	0.301863	-0.079979	0.203059	0.897781	1.345913	4819	23733	0.050623	5.962989	-0.05
7	0.336233	0.262422	0.229951	0.301863	-0.055238	0.191843	0.897781	1.424605	5927	30898	0.053287	5.664839	-0.05
8	0.336233	0.292384	0.259143	0.301863	-0.032815	0.185547	0.897781	1.472939	7464	40225	0.056092	5.381597	-0.05
9	0.336233	0.318215	0.284309	0.301863	-0.013484	0.183045	0.897781	1.493072	9586	52367	0.059044	5.112517	-0.05
10							1.489383	1.489383	12510	68175	0.062152	4.856892	-0.05
11							1.467099	1.467099	16534	88754	0.065423	4.614047	-0.05
12							1.431274	1.431274	22063	115545	0.068866	4.383345	-0.05
13							1.386248	1.386248	29656	150424	0.072491	4.164177	-0.05
14							1.335467	1.335467	40077	195832	0.076306	3.955969	-0.05
15							1.281514	1.281514	54371	254947	0.080322	3.75817	-0.05
16							1.226249	1.226249	73973	331906	0.084549	3.570262	-0.05
17							1.17096	1.17096	100850	432096	0.088999	3.391749	-0.05
18							1.116517	1.116517	137695	562530	0.093684	3.222161	-0.05
19							1.063482	1.063482	188200	732337	0.098614	3.061053	-0.05
20							1.0122	1.0122	257424	953402	0.103804	2.908	-0.05
21							0.962873	0.962873	352300	1241200	0.109268	2.7626	-0.05
22							0.915598	0.915598	482328	1615873	0.115019	2.62447	-0.05
23							0.870405	0.870405	660527	2103645	0.121072	2.493247	-0.05
24							0.827282	0.827282	904740	2738659	0.127445	2.368585	-0.05
25							0.786186	0.786186	1239417	3565360	0.134152	2.250155	-0.05
26							0.747058	0.747058	1698063	4641612	0.141213	2.137648	-0.05
27							0.709828	0.709828	2326594	6042745	0.148645	2.030765	-0.05
28							0.67442	0.67442	3187933	7866828	0.156469	1.929227	-0.05
29							0.640755	0.640755	4368306	10241536	0.164704	1.832766	-0.05
30							0.608755	0.608755	5985878	13333081	0.173372	1.741127	-0.05
							0.578342	0.578342	8202581	17357851	0.182497	1.654071	-0.05



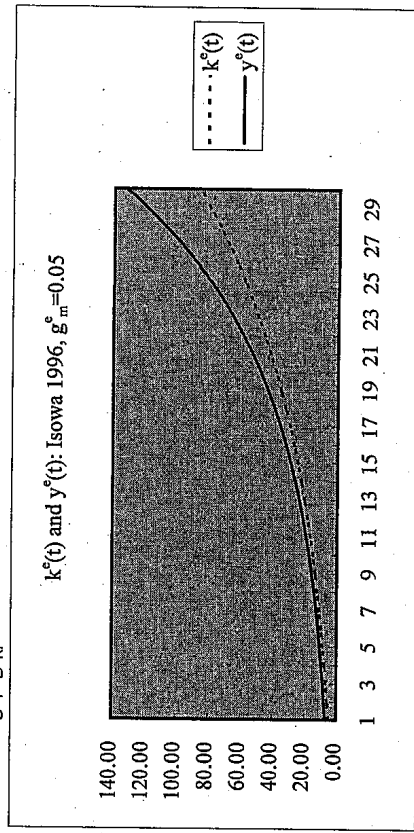
Isowa gem as given

Figure 2 Isowa: changes in 1984 and 1996

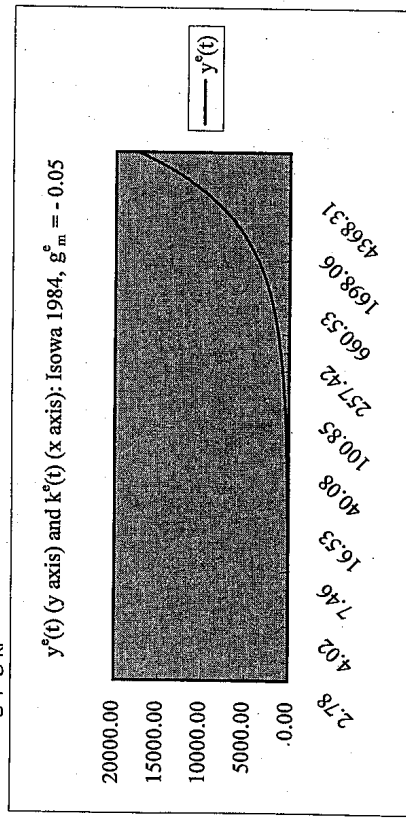
Isowa 1996:  $g^e < g^p$  KP



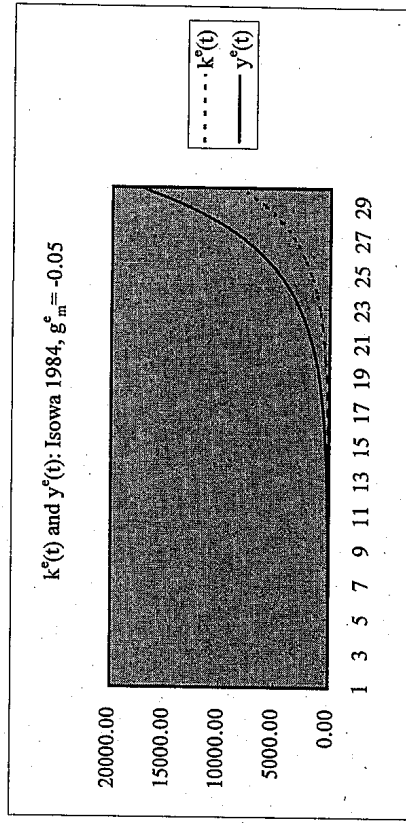
Isowa 1996:  $g^e < g^p$  KP



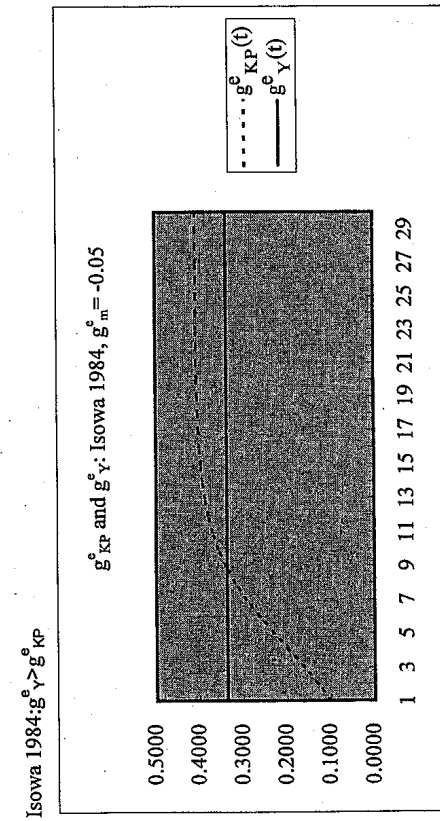
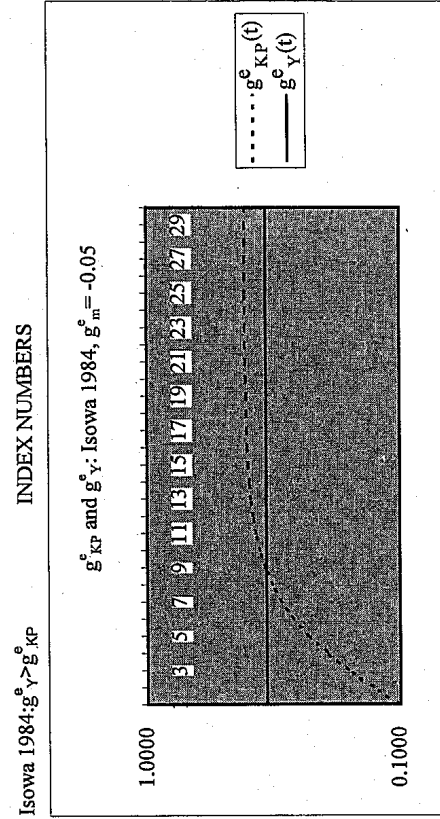
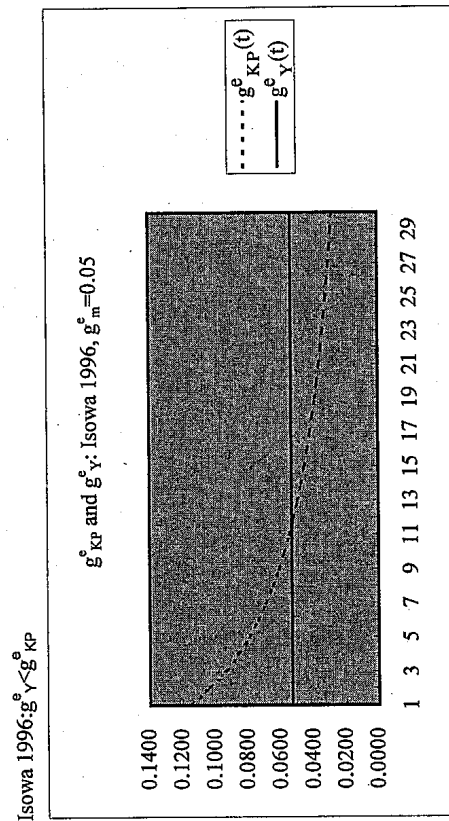
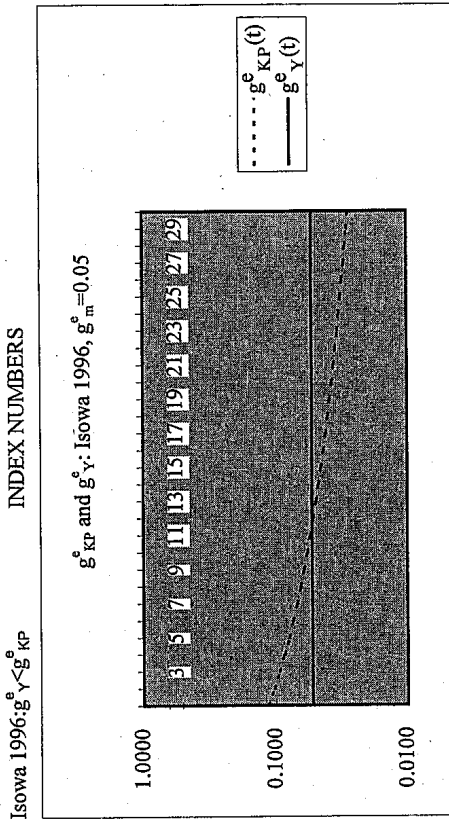
Isowa1984:  $g^e > g^p$  KP



Isowa1984:  $g^e > g^p$  KP

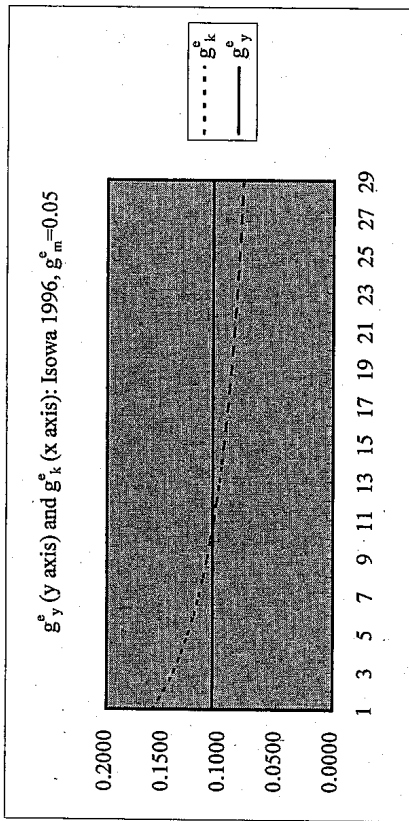


Isowa gem as given

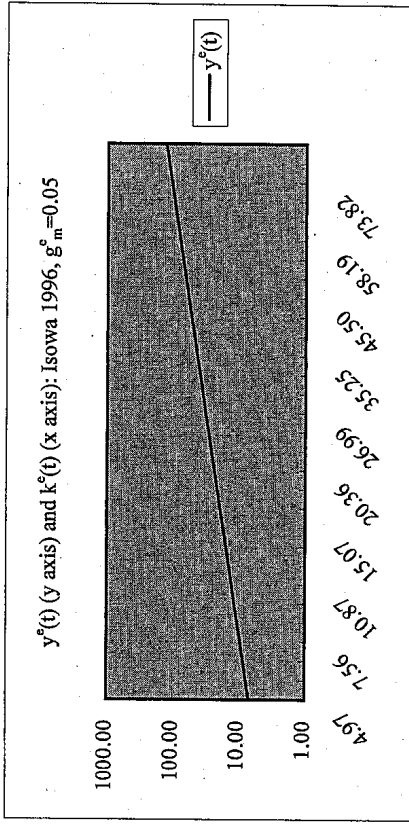


Isowa gem as given

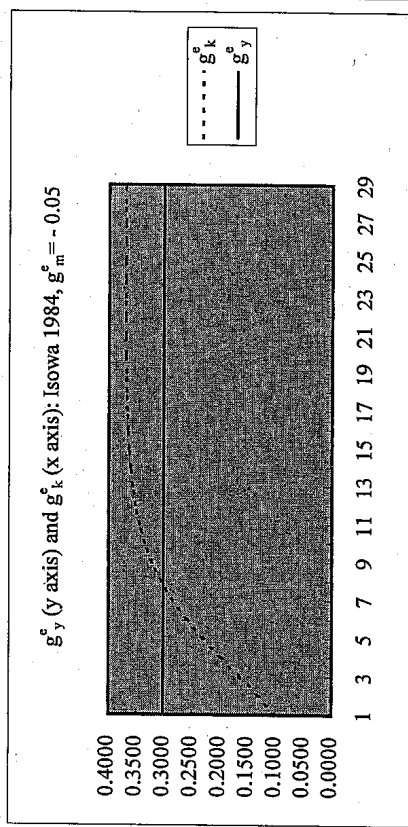
Isowa 1996:  $g^y < g^k$



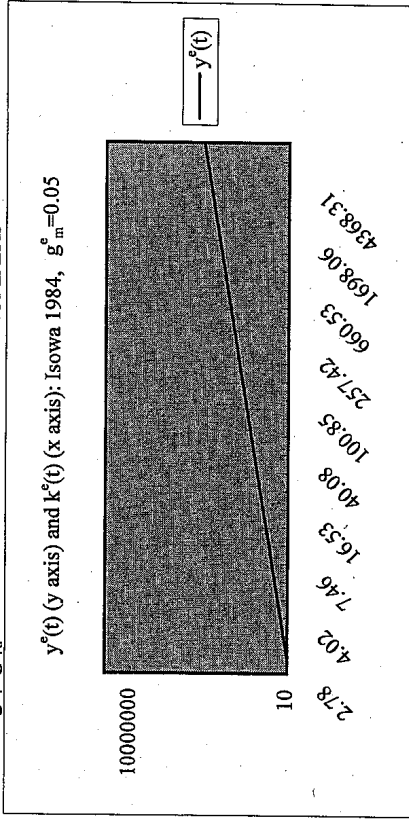
Isowa 1996:  $g^y < g^k$



Isowa 1984:  $g^y > g^k$



Isowa 1984:  $g^y > g^k$





Hideyuki Kamiryō: Data and Analysis in Terms of Sustainable Growth in Corporate Accounts: As a Supplement to IAAER/CIERA, 1998

Isowa gem as given

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INDEX NUMBERS	4967	7047	4.97	7.05	2778	8262	2.78	8.26
Isowa1996: $k^c(t)$ and $y^c(t)$	5760	7797	5.76	7.80	3056	10756	3.06	10.76
	6622	8627	6.62	8.63	3456	14003	3.46	14.00
	7558	9546	7.56	9.55	4024	18230	4.02	18.23
	8574	10563	8.57	10.56	4819	23733	4.82	23.73
	9676	11687	9.68	11.69	5927	30898	5.93	30.90
	10870	12932	10.87	12.93	7464	40225	7.46	40.22
	12162	14309	12.16	14.31	9586	52367	9.59	52.37
	13559	15833	13.56	15.83	12510	68175	12.51	68.17
	15069	17518	15.07	17.52	16534	88754	16.53	88.75
	16701	19384	16.70	19.38	22063	115545	22.06	115.55
	18461	21448	18.46	21.45	29656	150424	29.66	150.42
	20360	23732	20.36	23.73	40077	195832	40.08	195.83
	22407	26259	22.41	26.26	54371	254947	54.37	254.95
	24613	29055	24.61	29.05	73973	331906	73.97	331.91
	26987	32149	26.99	32.15	100850	432096	100.85	432.10
	29543	35572	29.54	35.57	137695	562530	137.70	562.53
	32293	39360	32.29	39.36	188200	732337	188.20	732.34
	35249	43551	35.25	43.55	257424	953402	257.42	953.40
	38427	48188	38.43	48.19	352300	1241200	352.30	1241.20
	41840	53319	41.84	53.32	482328	1615873	482.33	1615.87
	45505	58997	45.50	59.00	660527	2103645	660.53	2103.65
	49439	65279	49.44	65.28	904740	2738659	904.74	2738.66
	53660	72230	53.66	72.23	1239417	3565360	1239.42	3565.36
	58187	79921	58.19	79.92	1698063	4641612	1698.06	4641.61
	63041	88431	63.04	88.43	2326594	6042745	2326.59	6042.74
	68244	97848	68.24	97.85	3187933	7866828	3187.93	7866.83
	73819	108267	73.82	108.27	4368306	10241536	4368.31	10241.54
	79790	119795	79.79	119.80	5985878	13333081	5985.88	13333.08
	86184	132551	86.18	132.55	8202581	17357851	8202.58	17357.85

